

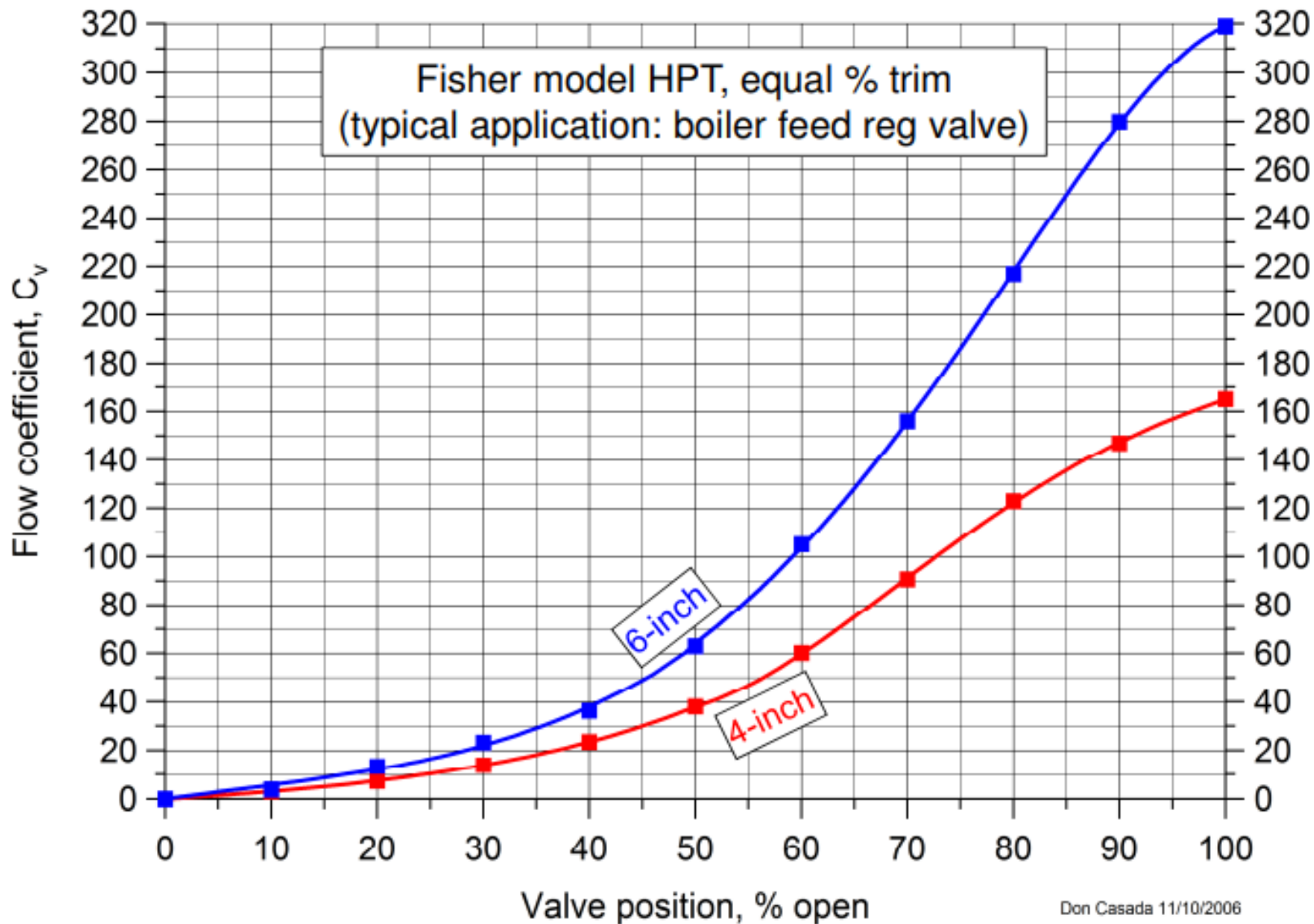


# Pumping System Assessment

Week 6: Digging Deeper  
Valves, Specific Speed,  
etc.



# Valve suppliers use the valve flow coefficient, $C_v$ as a primary indicator of valve performance



# The valve flow coefficient is used to predict flow rate, based on differential pressure, fluid SG and adjacent fittings

(Reference: ANSI/ISA S75.01.01-2002, Flow Equations for Sizing Control Valves)

$$Q = F_p C_v \sqrt{\frac{\Delta P}{s.g.}}$$

Q flow rate, *gpm*

$F_p$  Valve inlet/outlet geometry factor (see below), *dimensionless*

$C_v$  Valve flow coefficient, *gpm/(psi<sup>0.5</sup>)*

$\Delta P$  Valve unit pressure drop, *psid*

s.g. Fluid specific gravity, *dimensionless*

K Loss and Bernoulli coefficients for fittings, *dimensionless*

d Valve end diameter, *inches*

$$F_p = \left( \frac{C_v^2 \Sigma K}{890d^4} + 1 \right)^{-0.5}$$

$$\Sigma K = K_1 + K_2 + K_{B1} - K_{B2}$$

$K_1$  = Inlet reducer friction loss (control valves are commonly smaller than adjacent pipe)

$K_2$  = Outlet expander friction loss

$K_{B1} - K_{B2}$  = adjustment for velocity head differences in inlet, outlet piping

As a limiting case, the friction losses can be treated as sudden contraction and expansion:

$$K_1 = 0.5 \left( 1 - \left[ \frac{d}{D_1} \right]^2 \right) \quad K_2 = \left( 1 - \left[ \frac{d}{D_2} \right]^2 \right)^2 \quad K_{Bi} = \left( 1 - \left[ \frac{d}{D_i} \right]^2 \right)^2$$

For most applications, the pipe upstream and downstream of the valve is the same size,

so the  $K_B$  terms drop out. This is for estimating only; ISA notes that to meet a 5% accuracy, the valve and fittings should be tested as a unit.

3

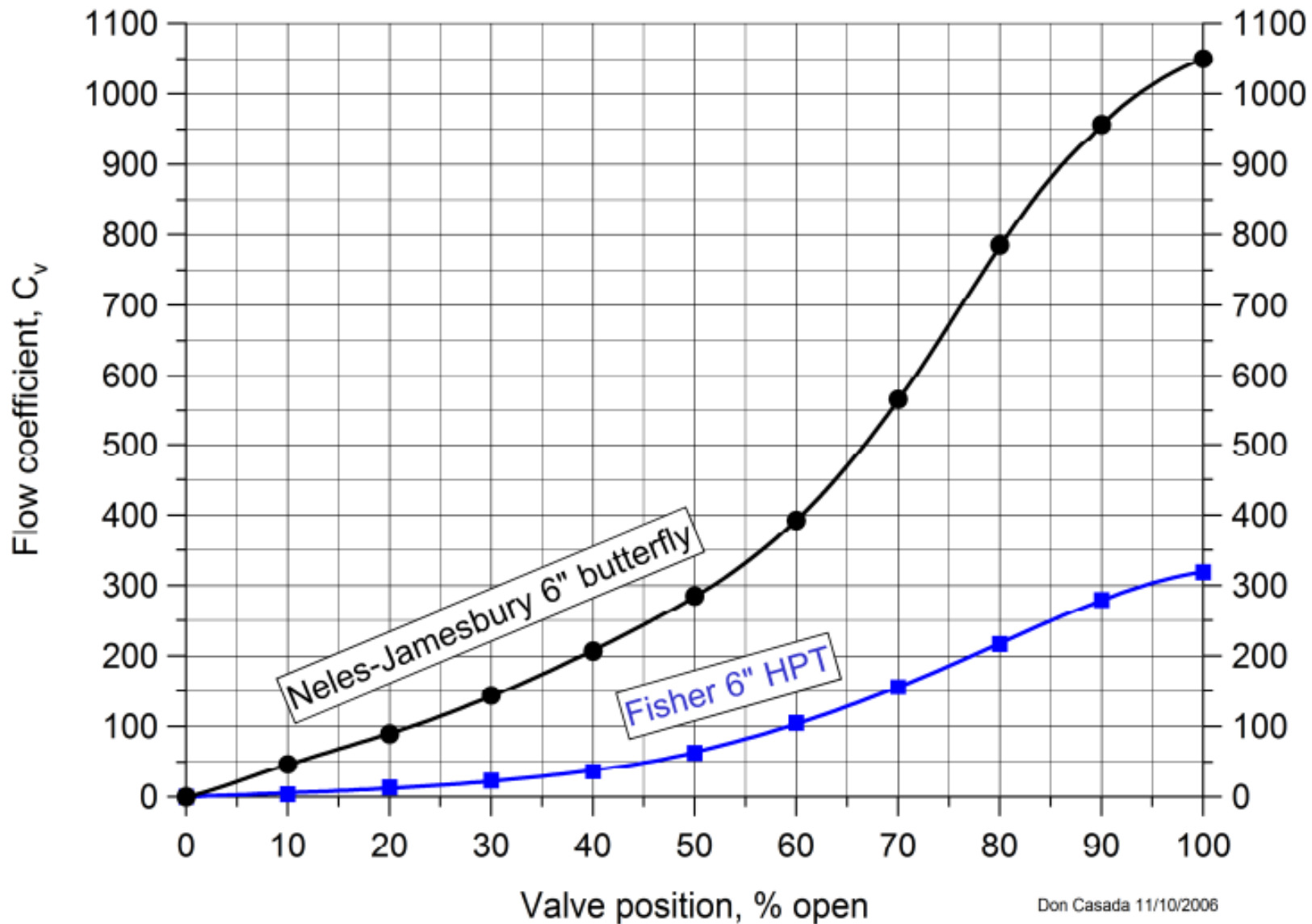
Note: The ISA standard adds a squared exponent to the  $K_1$  term:

Cameron Hydraulics does not include this exponent in their sudden reduction estimating algorithm.

$$K_1 = 0.5 \left( 1 - \left[ \frac{d}{D_1} \right]^2 \right)^2$$

2

# Both the shape and magnitude of the coefficient are strongly dependent on valve design



# How does the valve flow coefficient relate to the frictional loss coefficient (used in the Darcy-Weisbach equation)?

$Q = C_v \sqrt{\frac{\Delta P}{\text{s.g.}}}$

$H_f = K \frac{V^2}{2g}$

# These algebraic steps show the process of converting from $C_v$ to the head loss coefficient $K$

$$Q = C_v \sqrt{\frac{\Delta P}{\text{s.g.}}} \quad \text{or} \quad \Delta P = \frac{\text{s.g.} \cdot Q^2}{C_v^2} \quad (1)$$

and

$$\Delta P = \frac{H_f \cdot \text{s.g.}}{2.3108} \quad \text{so} \quad H_f = \frac{2.3108 \times Q^2}{C_v^2} \quad (2)$$

Using the modified version of Darcy-Weisbach for friction loss:

$$H_f = K \frac{V^2}{2g} \quad \text{and} \quad V = \frac{q'}{A} = \frac{\frac{Q}{448.8}}{\pi \left(\frac{d}{24}\right)^2} = \frac{Q}{2.448 \cdot d^2} \quad (3)$$

Substituting,  $H_f = K \frac{V^2}{2g} = K \frac{\left(\frac{Q}{2.448 \cdot d^2}\right)^2}{64.348} = K \frac{Q^2}{385.6 d^4}$  (4)

Combining (2) & (4):  $H_f = \frac{2.3108 \times Q^2}{C_v^2} = K \frac{Q^2}{385.6 d^4}$  (5)

Rearranging,  $K = \frac{891.1 d^4}{C_v^2}$  or  $C_v = \frac{29.851 d^2}{\sqrt{K}}$  (6)

Also,  $Q = 29.851 d^2 \sqrt{\frac{\Delta P}{K \cdot \text{s.g.}}}$  (7)

LEGEND	
Symbol	Represents
A	area (ft <sup>2</sup> )
$C_v$	Valve flow coefficient (gpm/(psid <sup>0.5</sup> ))
$\Delta P$	Pressure drop across valve, psid
d	pipe inside diameter (inches)
g	gravitational constant (32.174 ft/sec <sup>2</sup> )
$H_f$	Head loss across valve (ft)
K	Loss coefficient (dimensionless)
Q	Volumetric flow rate (gpm)
$q'$	Volumetric flow rate (ft <sup>3</sup> /sec)
s.g.	specific gravity (dimensionless)
V	velocity (ft/sec)

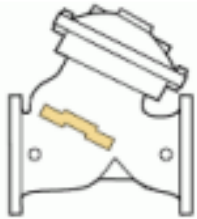
Constants, Conversions used	
s.g.	= 1.00 reference for 62.316 lb/ft <sup>3</sup> (68F)
1 cubic foot	= 7.48052 gallons

This is tedious work for the algebraically challenged (yours truly), but these last two items are fairly useful.

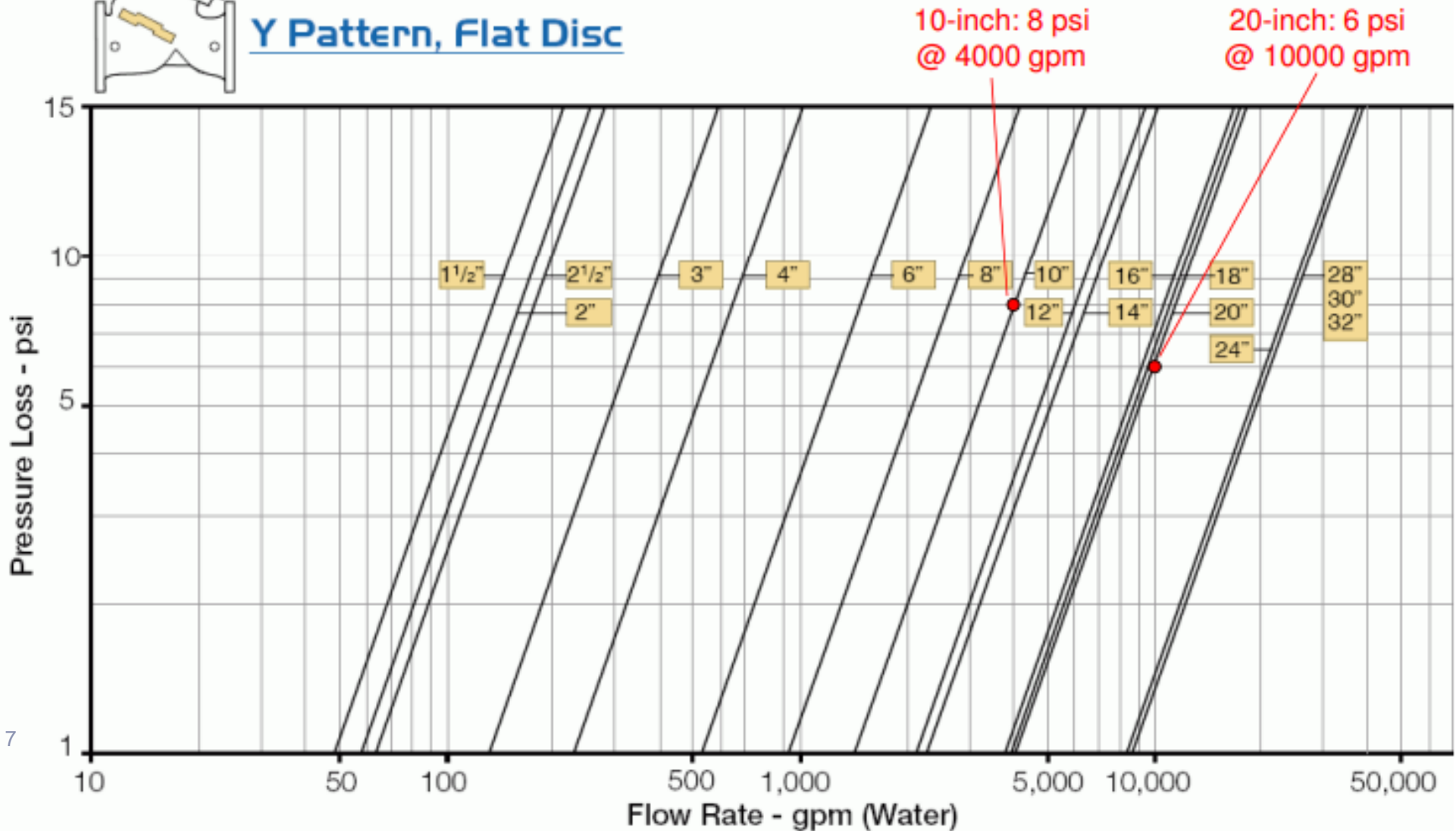
Note that these relations are for the valve exclusively, and do not include the inlet and outlet losses. When dealing with loss coefficients, the inlet and outlet losses would be added to the valve

Note: the value of 891.1 corresponds to the rounded value of 890 in the ISA valve equation

# Determine the loss K for 10 and 20-inch valves



Y Pattern, Flat Disc



# Determine the loss K for 10 and 20-inch valves

10-inch valve: 4000 gpm with 8 psi pressure loss

$$Q = C_v \sqrt{\frac{\Delta P}{\text{s.g.}}}$$

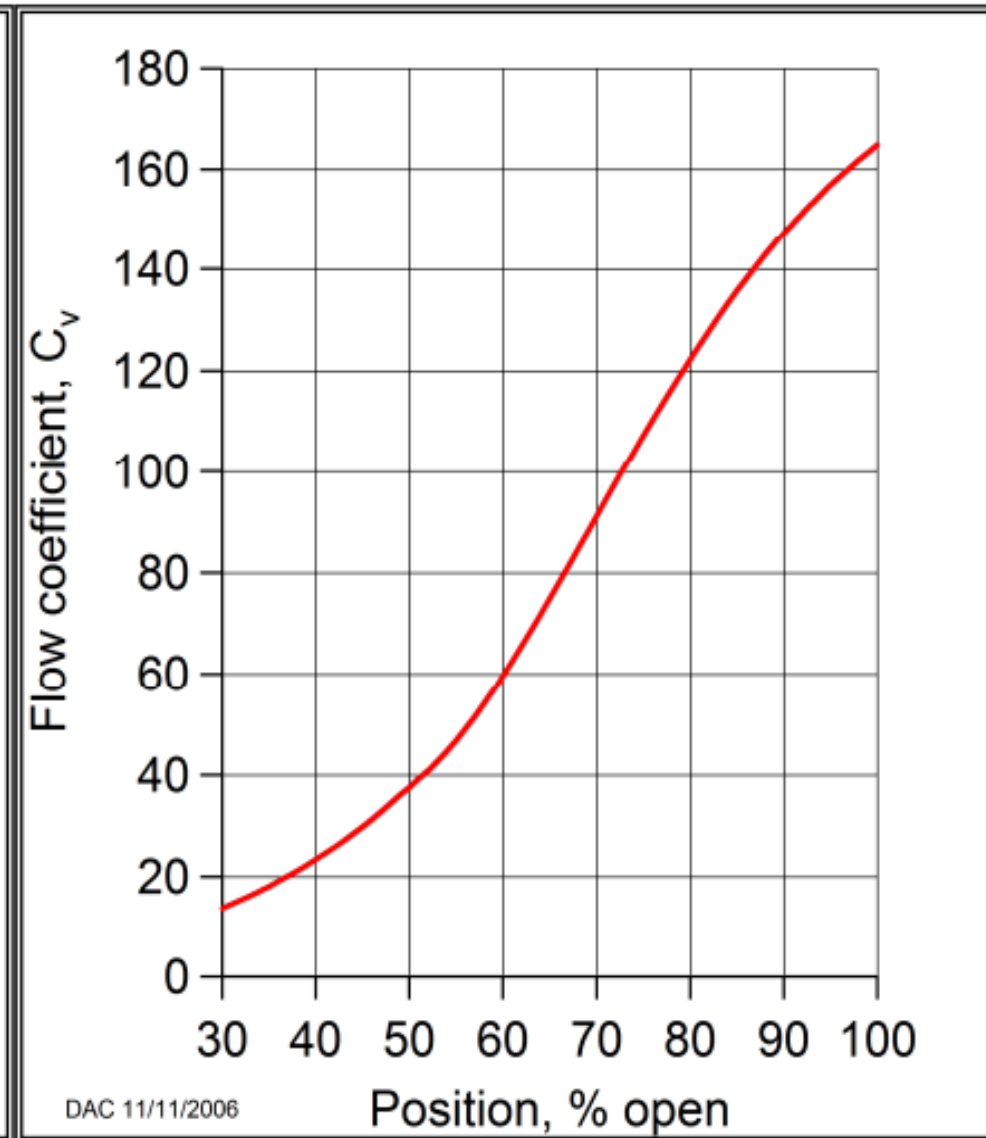
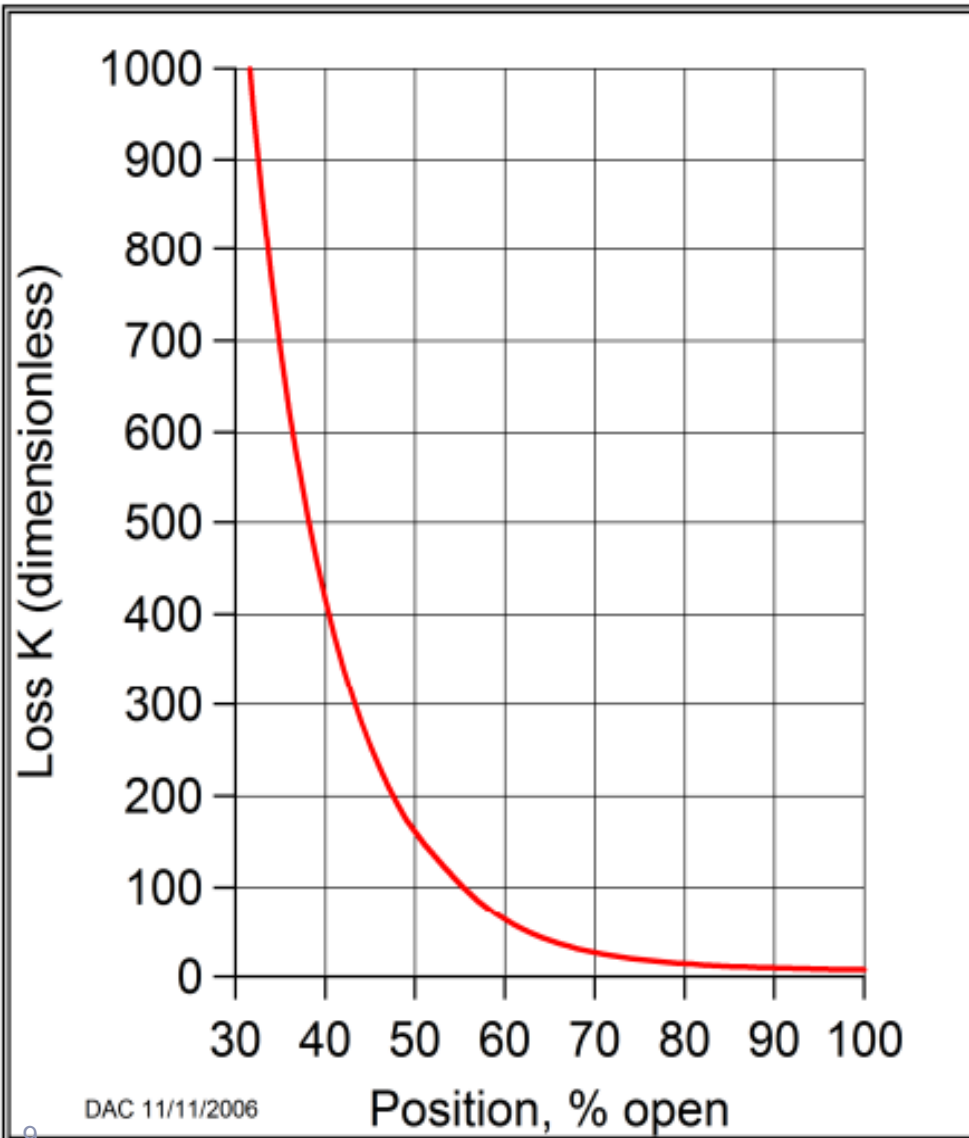
$$C_v = \frac{4000}{\sqrt{8}} = 1414.2$$

$$K = \frac{891.1 d^4}{C_v^2} \quad \text{or} \quad C_v = \frac{29.851 d^2}{\sqrt{K}}$$

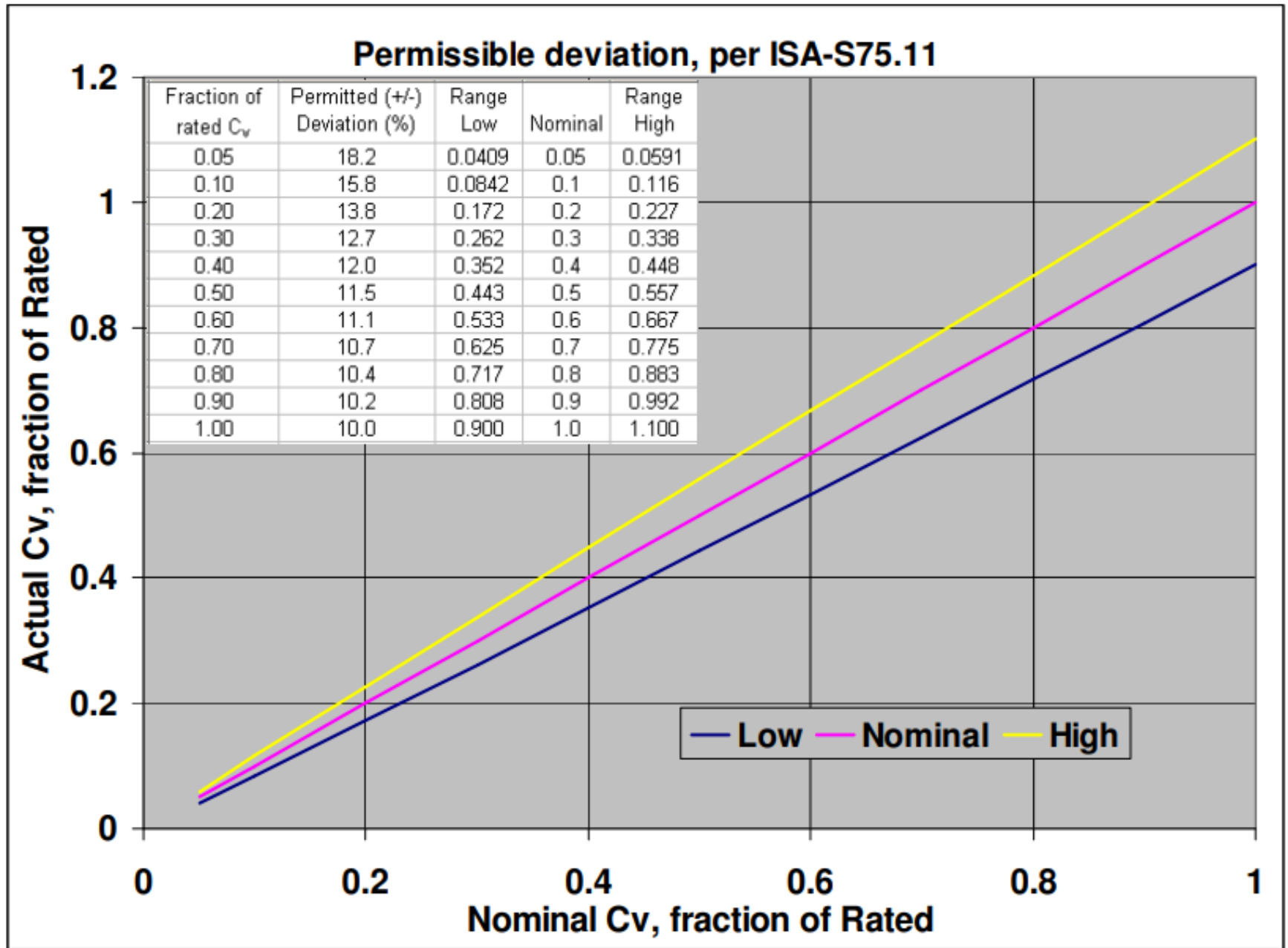
$$K = \frac{891.1 (10^4)}{1414.2^2} = 4.46$$



# A comparison of loss coefficient $K$ and flow coefficient $C_v$ for 4-inch Fisher HPT



# Allowable deviation from normal performance can be significant



# Operating basis for the Valve Tool relating valve or other frictional pressure drops to fluid and electric power

$$\text{Fluid power (hp)} = \frac{\text{gpm} \times \text{ft} \times \text{s.g.}}{3960} \quad \text{and} \quad \text{ft} = \frac{\text{dP} \times 2.31}{\text{s.g.}} \quad \text{so} \quad \text{Fluid power (hp)} = \frac{\text{gpm} \times \text{psid}}{1714}$$

From the valve characteristic equation,

$$\text{dP (or psid)} = \text{s.g.} \times \left( \frac{\text{gpm}}{C_v} \right)^2 \quad \text{so} \quad \text{Fluid power (hp)} = \text{s.g.} \times \left( \frac{\text{gpm}^3}{1714 C_v^2} \right)$$

Note that if a combined pump and motor efficiency of 74.6% is assumed, the fluid horsepower will also be equal to the electric power in kilowatts.

With this simplified (and generally conservative) assumption, the annual electrical energy consumption in kilowatt-hours for full time operation is:

$$\text{Annual kWhr} = 5.11 \times \text{s.g.} \times \left( \frac{\text{gpm}^3}{C_v^2} \right) = 5.11 \times \text{gpm} \times \text{psid}$$

So for a flow rate of 1000 gpm passing through a valve with a 10 psid pressure drop, the annual energy required to overcome the valve friction would be 51,100 kWhr. At an electrical cost rate of 5 cents/kWhr, that translates into an annual cost of \$2,555.

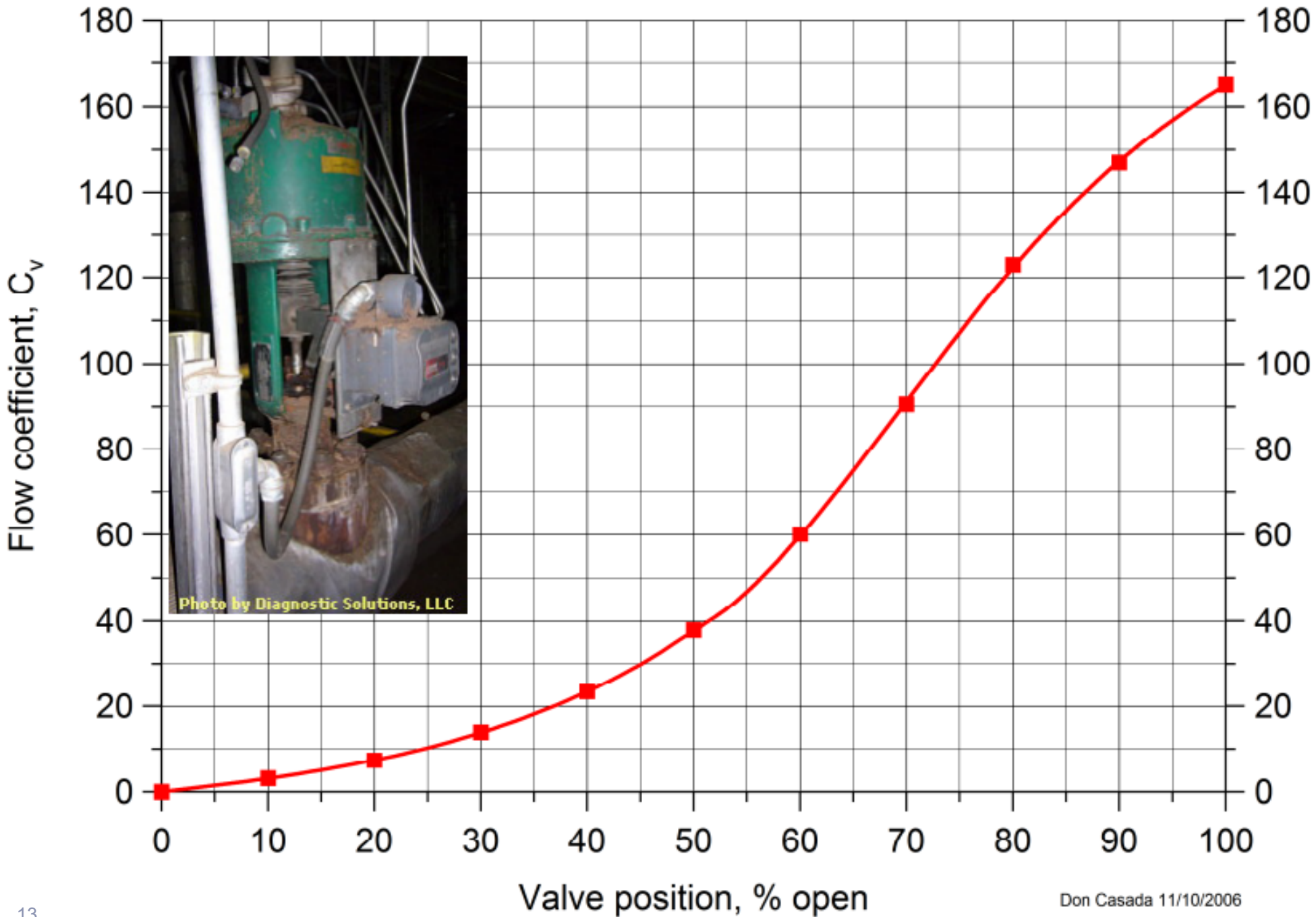
# An exercise using valve curves and Valve Tool

The 4-inch valve is 50% open. Fluid is boiler feedwater at 275 F (specific gravity = 0.931). Pressure just before the valve is 1550 psig. Pressure downstream, about 50 feet in elevation above the upstream gauge is 1100 psig. All piping is 4-inch diameter.

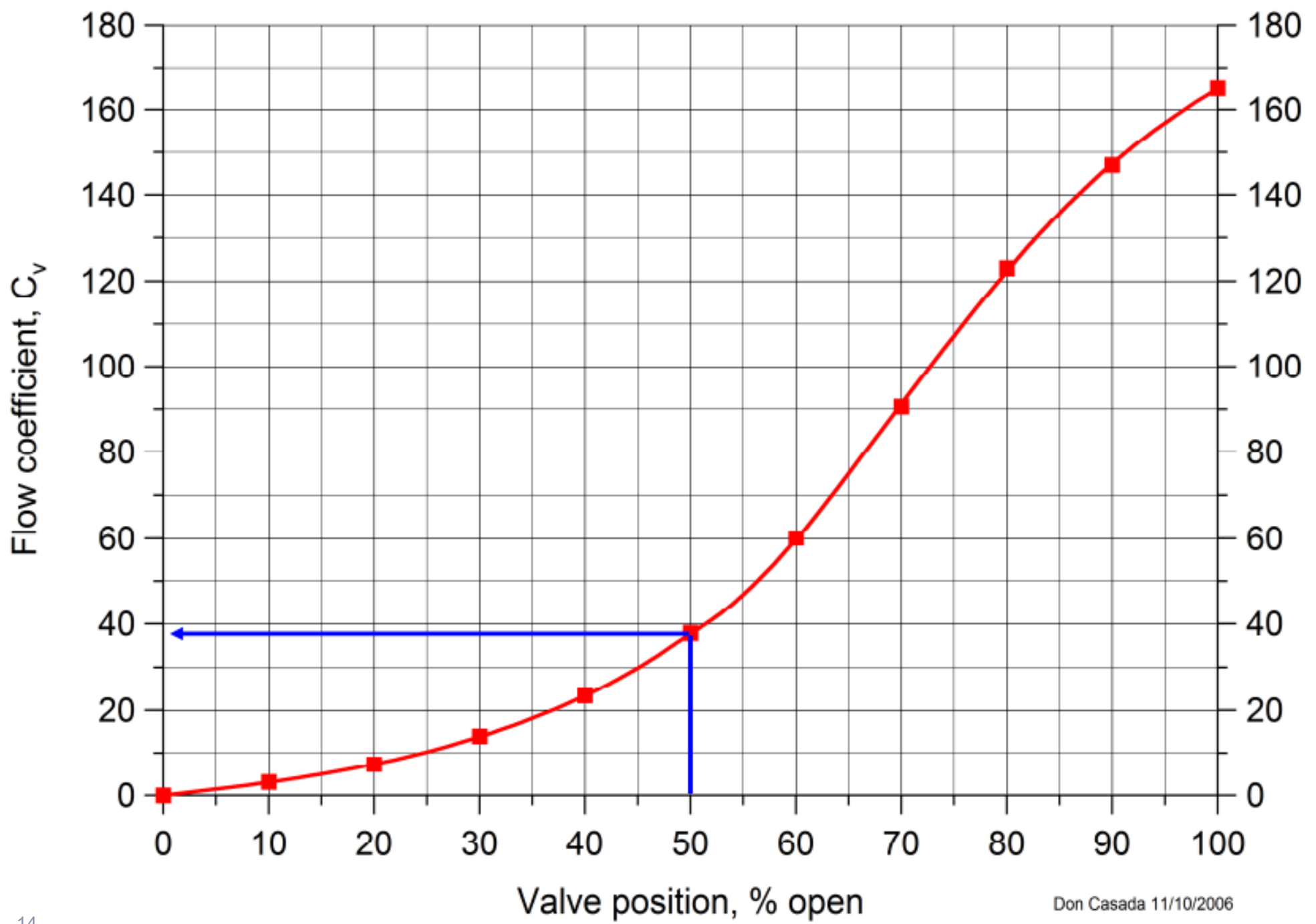
Part 1. Read the nominal valve  $C_v$  from the next slide.

Part 2. Use the valve tool to estimate flow rate.

Part 3. Use the permissible deviation chart to estimate the lower and upper  $C_v$  values and corresponding flow rates.



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# Estimates.....

	Cv	Estimated gpm
Nominal	38	820
Low allowable	33	710
High allowable	43	920

$$\text{Ratio} = 38/165 \text{ (slide 10)} = 0.23$$

$$\text{Low allowable} = 38 - ((13.8 - (13.8 - 12.7)0.3)/100)38 = 33$$

$$\text{High allowable} = 38 + ((13.8 - (13.8 - 12.7)0.3)/100)38 = 43$$

# Estimated flow rate (nominal) is around 820 gpm


Units

Available data selector

Operating fraction   
Average electrical cost rate, \$/kWh   
Pump efficiency, %   
Motor efficiency, %

Head loss, ft   
Frictional power loss, hp   
Frictional electrical power, kW   
Annual cost of friction, \$

Specific gravity   
Calculated flow rate



Specified valve Cv

Upstream pressure, psig   
Upstream pipe ID, inches   
Upstream gauge elev, ft   
Upstream gauge velocity, ft/s

Downstream pressure, psig   
Downstream pipe ID, inches   
Downstream gauge elev, ft   
Downstream gauge velocity, ft/s

Valve size, inches   
Valve velocity, ft/s

K\_reducer & expander  
 K\_valve  
 K\_total



# Estimated flow rate (low) is around 710 gpm

Units **gpm, ft, inches, psig**

Operating fraction **1.000**

Average electrical cost rate, \$/kWh **0.0500**

Pump efficiency, % **85.0**

Motor efficiency, % **96.0**

Available data selector **Flow rate from delta-P, Cv**

Head loss, ft **1066.93**

Frictional power loss, hp **177.8**

Frictional electrical power, kW **162.6**

Annual cost of friction, \$ **71197**

Specific gravity **0.931**

Calculated flow rate **709**



Upstream pressure, psig **1550.0**

Downstream pressure, psig **1100.0**

Upstream pipe ID, inches **4.00**

Valve size, inches **4.00**

Downstream pipe ID, inches **4.00**

Upstream gauge elev, ft **0.0**

Downstream gauge elev, ft **50.0**

Upstream gauge velocity, ft/s **18.1**

Valve velocity, ft/s **18.1**

Downstream gauge velocity, ft/s **18.1**

**0.000** K\_reducer & expander

**209.47** K\_valve

**209.47** K\_total

Create new log

Retrieve log entry

# Estimated flow rate (high) is around 920 gpm


Units: **gpm, ft, inches, psig**

Available data selector: **Flow rate from delta-P, Cv**

Operating fraction: 1.000  
Average electrical cost rate, \$/kWh: 0.0500  
Pump efficiency, %: 85.0  
Motor efficiency, %: 96.0

Head loss, ft: 1066.93  
Frictional power loss, hp: 231.7  
Frictional electrical power, kW: 211.8  
Annual cost of friction, \$: 92772

Specific gravity: 0.931  
Calculated flow rate: 924



Specified valve Cv: 43.0

Upstream pressure, psig: 1550.0  
Downstream pressure, psig: 1100.0

Upstream pipe ID, inches: 4.00  
Valve size, inches: 4.00  
Downstream pipe ID, inches: 4.00

Upstream gauge elev, ft: 0.0  
Downstream gauge elev, ft: 50.0

Upstream gauge velocity, ft/s: 23.6  
Valve velocity, ft/s: 23.6  
Downstream gauge velocity, ft/s: 23.6

0.000 K\_reducer & expander  
123.37 K\_valve  
123.37 K\_total

**Create new log** **Retrieve log entry**

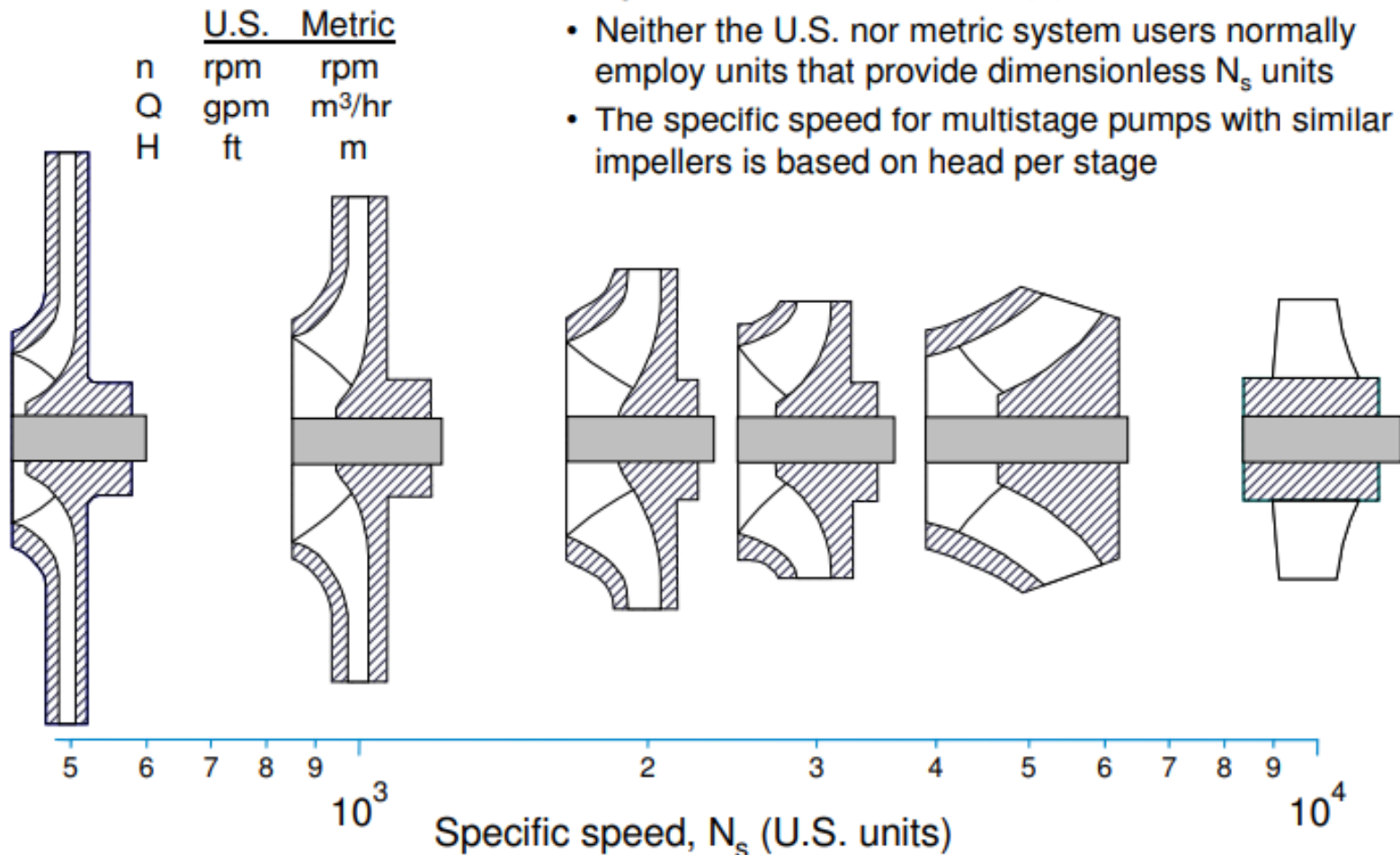
# Pump specific speed basics, HI efficiency-estimating algorithms, and the MEASUR implementation

# The general impeller shape and specific speed are related

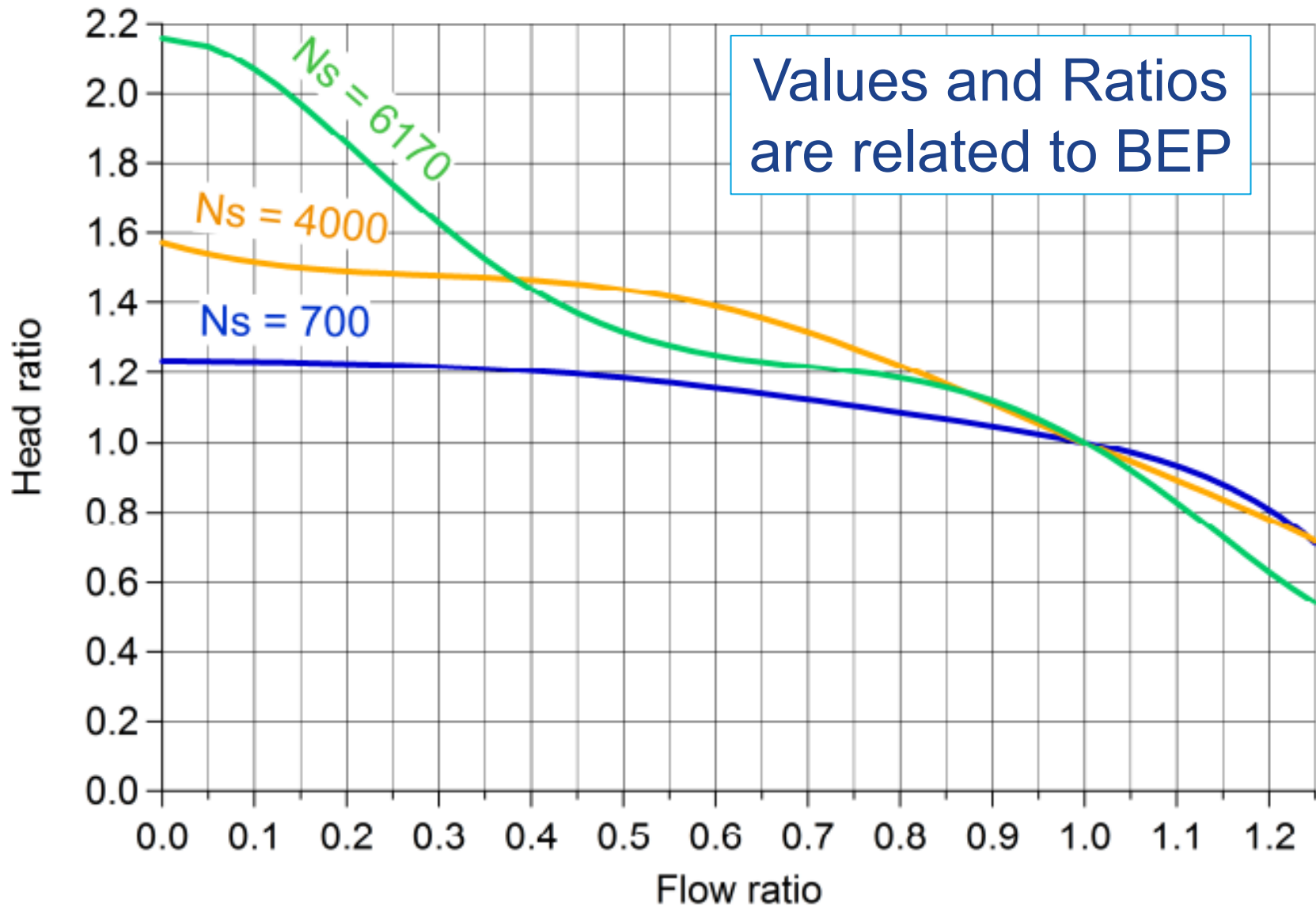
$$\text{Specific speed, } N_s = \frac{n \times Q^{1/2}}{H^{3/4}}$$

n = speed, Q = flow rate, H = head

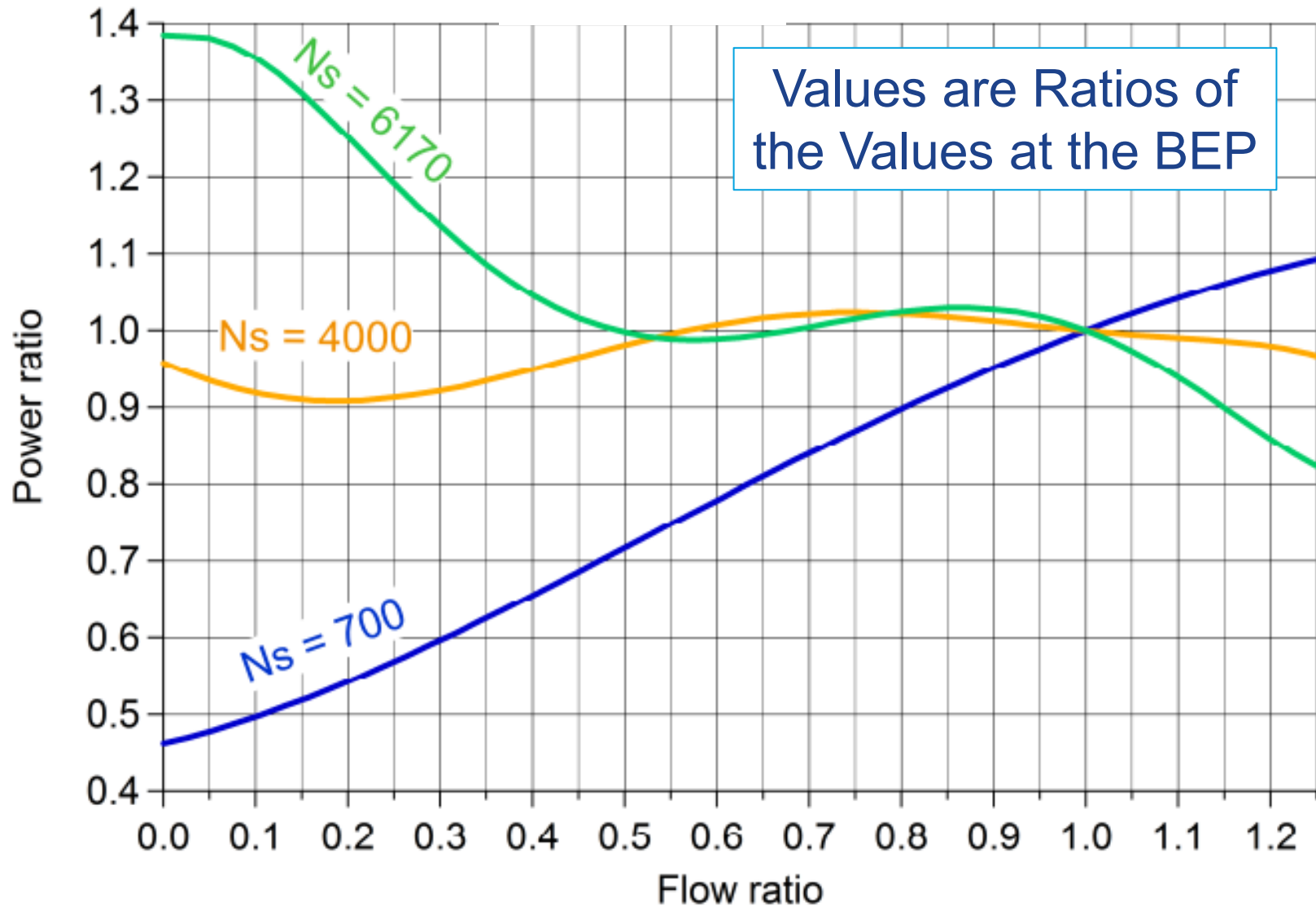
- $N_s$  is ideally a dimensionless parameter that characterizes impeller performance and shape
- $N_s$  is based on best efficiency point conditions
- Neither the U.S. nor metric system users normally employ units that provide dimensionless  $N_s$  units
- The specific speed for multistage pumps with similar impellers is based on head per stage



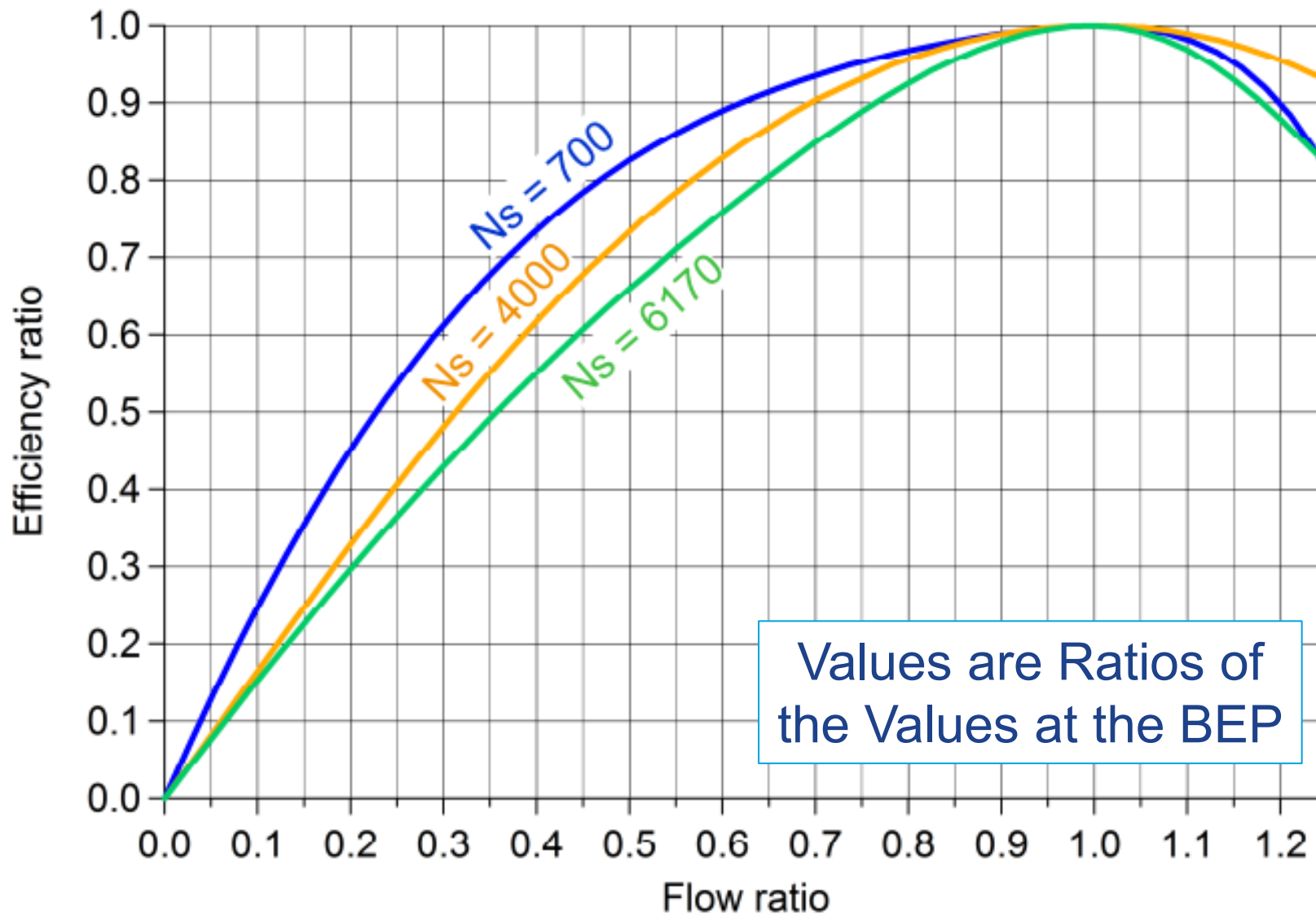
# Normalized head-capacity curves for three different pumps



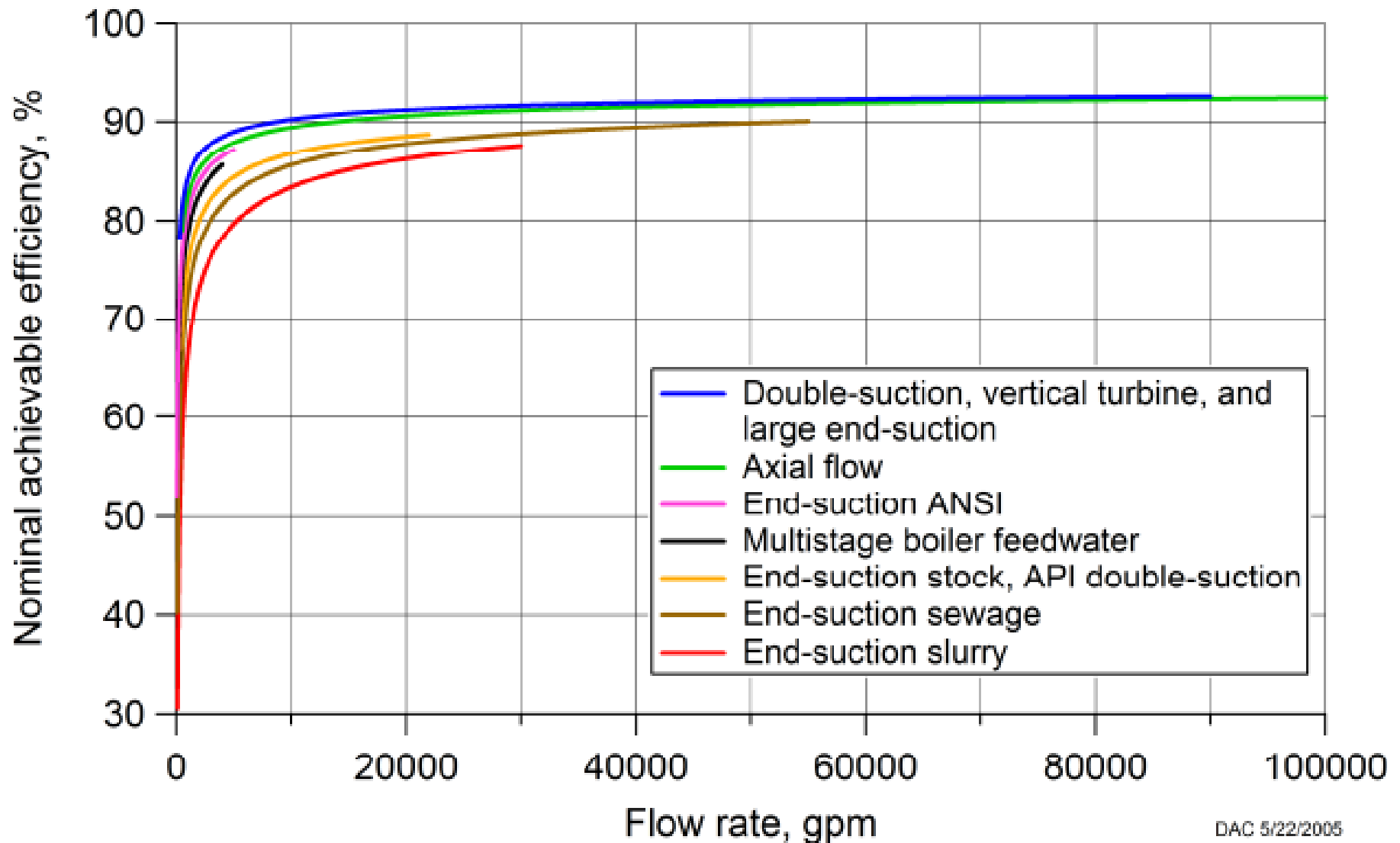
# Power-capacity curve shapes vary considerably



# Efficiency-capacity curves



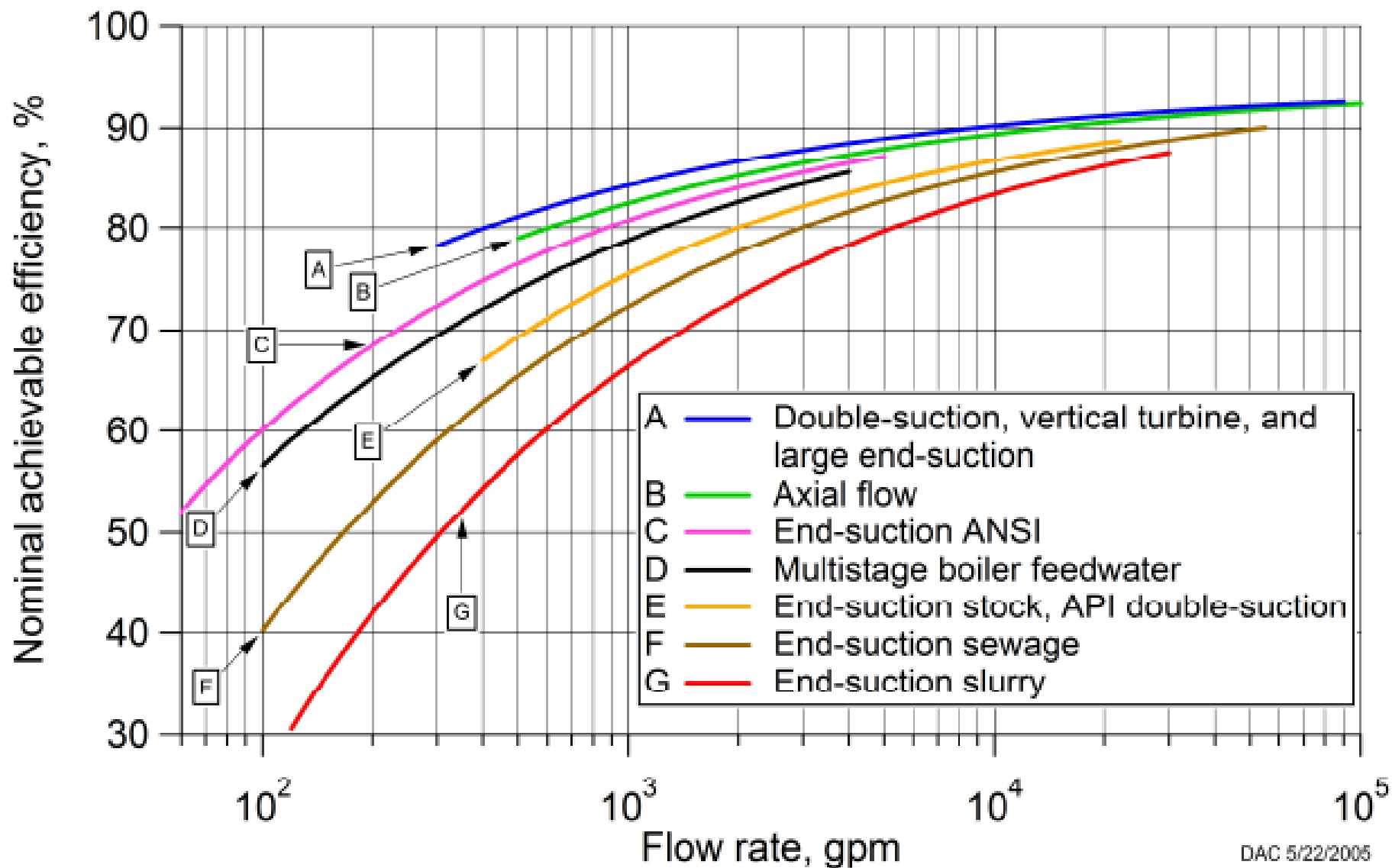
# Nominal achievable efficiencies, per HI 1.3



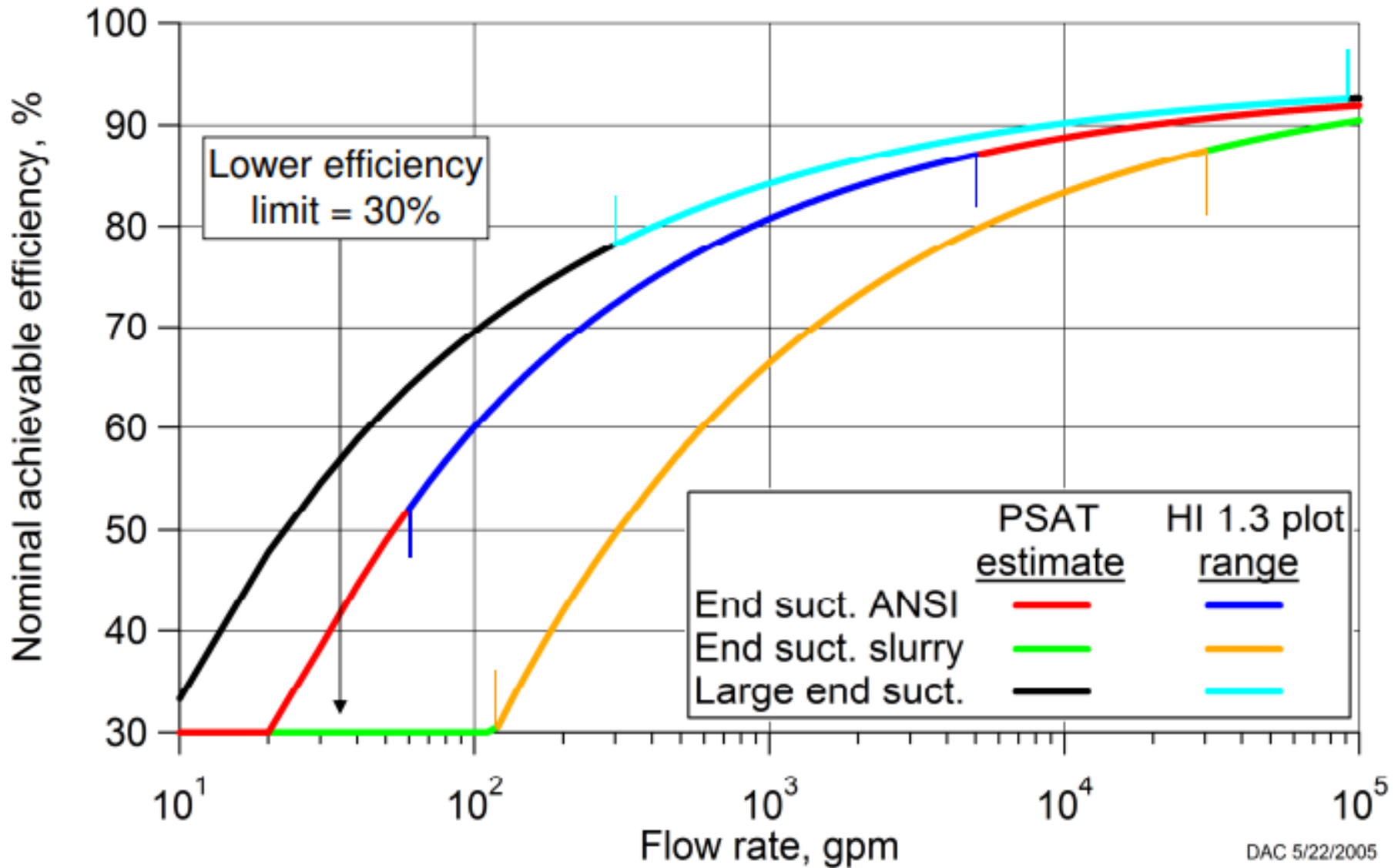
DAC 5/22/2005



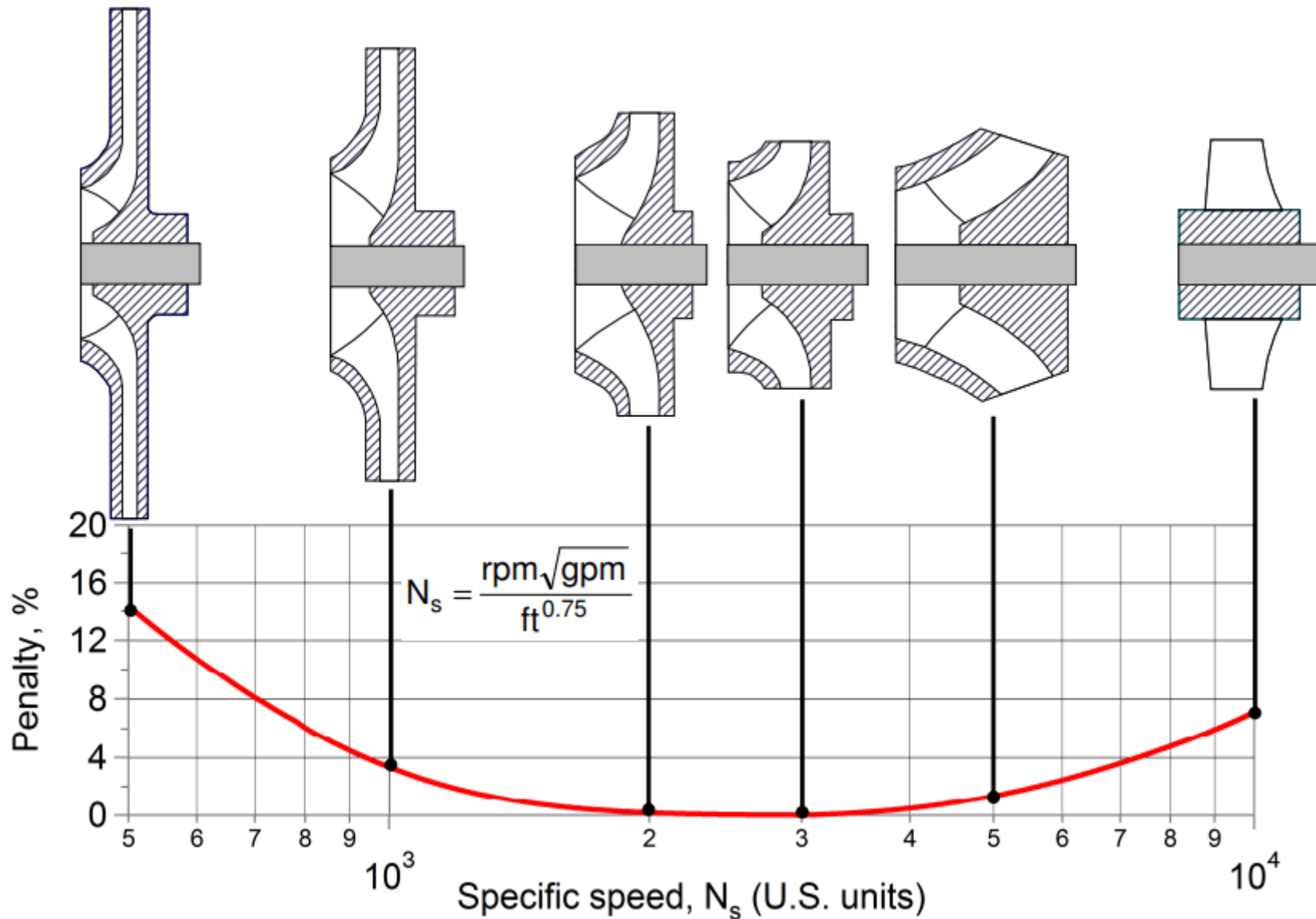
# Nominal achievable efficiencies, per HI 1.3



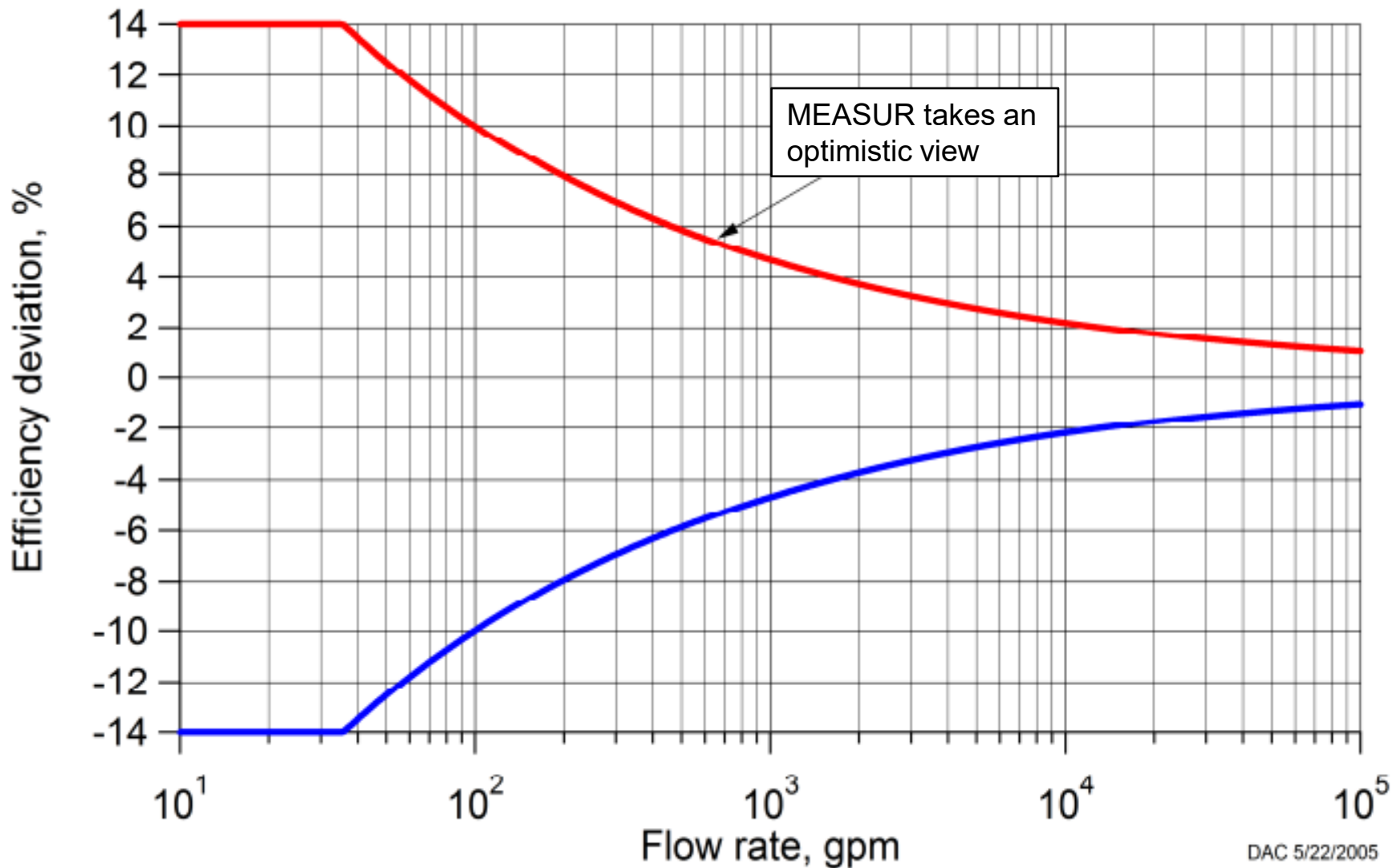
# MEASUR takes some liberties and extrapolates the HI ranges



# Achievable efficiency is a function of the specific speed



HI – 1.3 has a +/- efficiency deviation (% of generally attainable). MEASUR looks upward



DAC 5/22/2005

# MEASUR uses HI viscosity adjustment

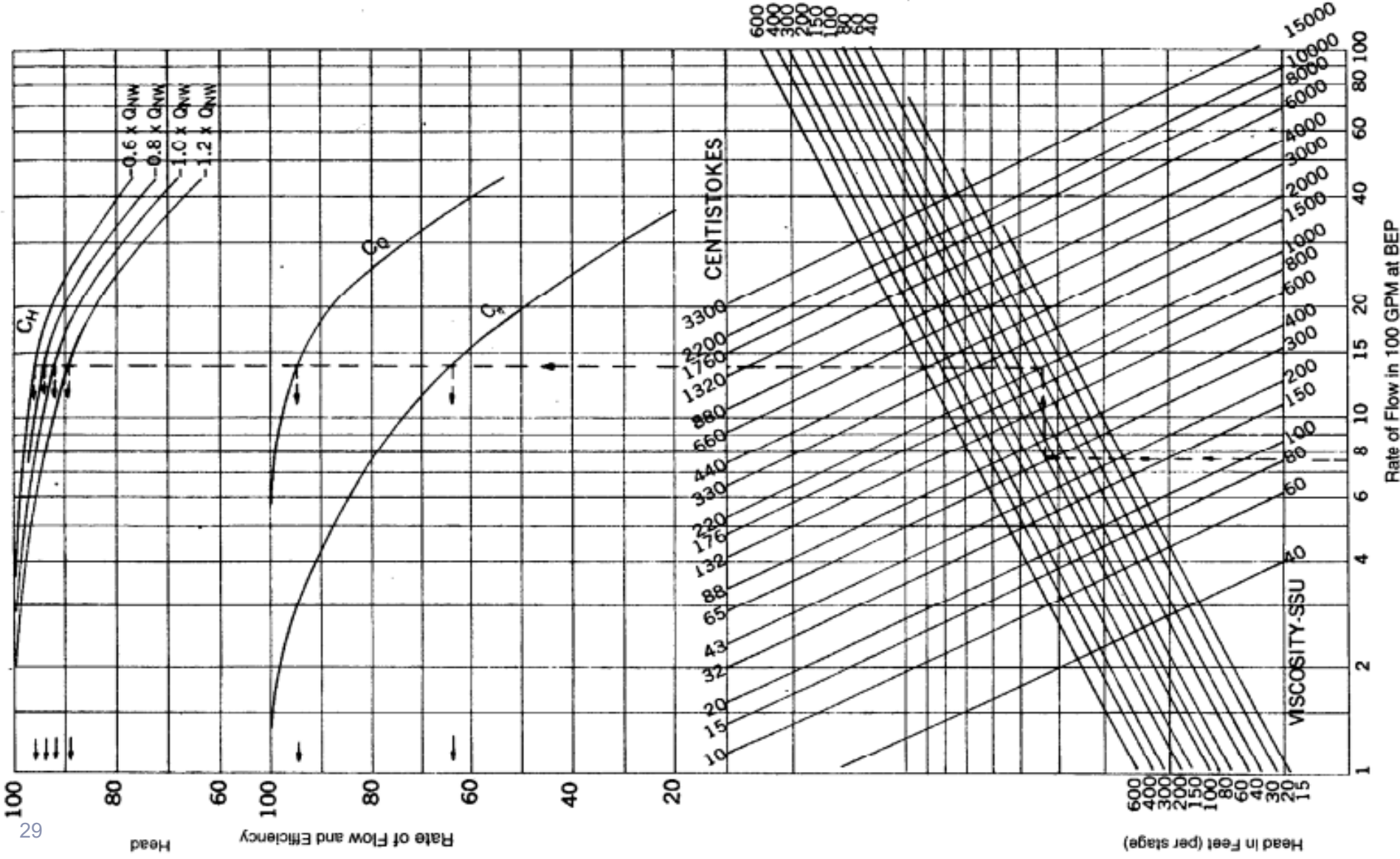
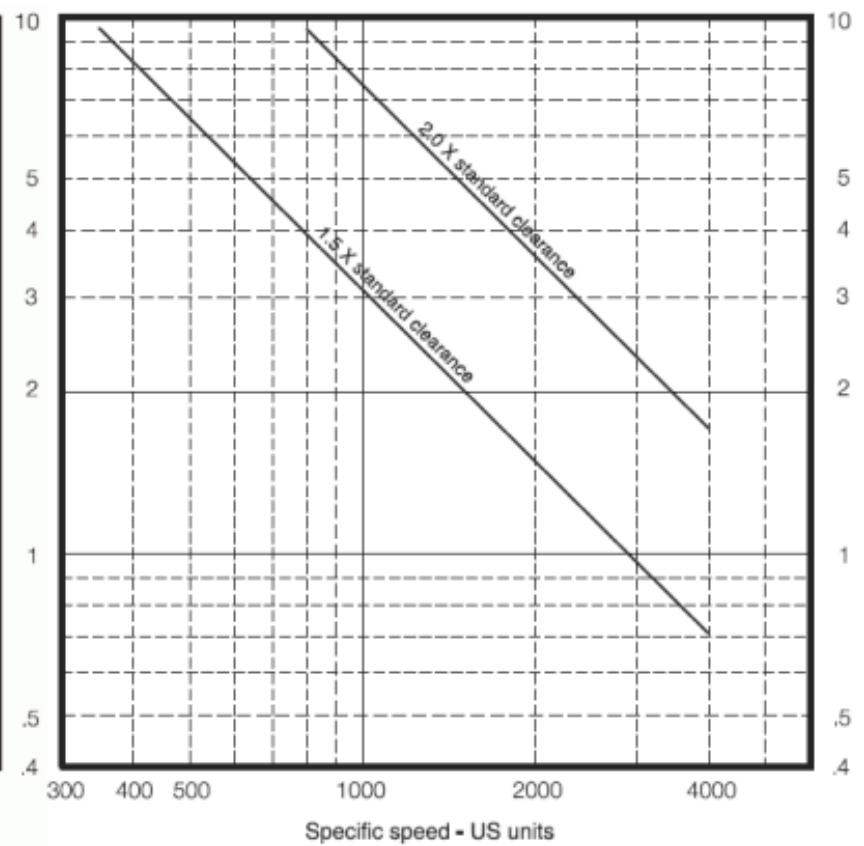
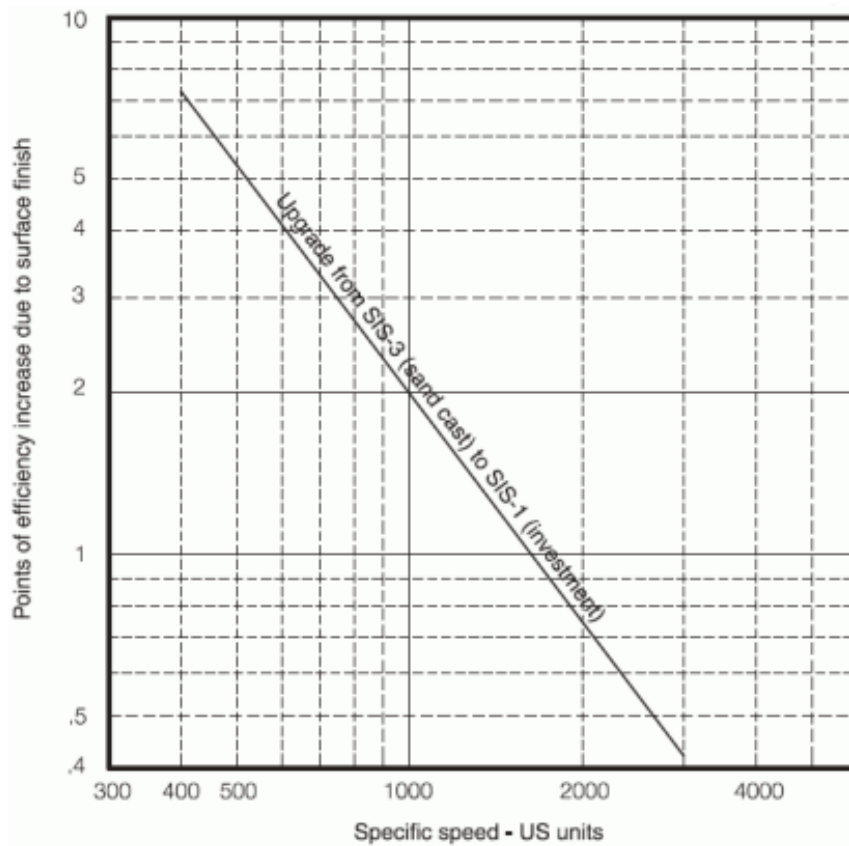


Figure 1.65B — Performance correction chart for viscous liquids (US units)

(Scanned from ANSI/HI 1.3)

# Other factors: surface finish & wear ring clearance

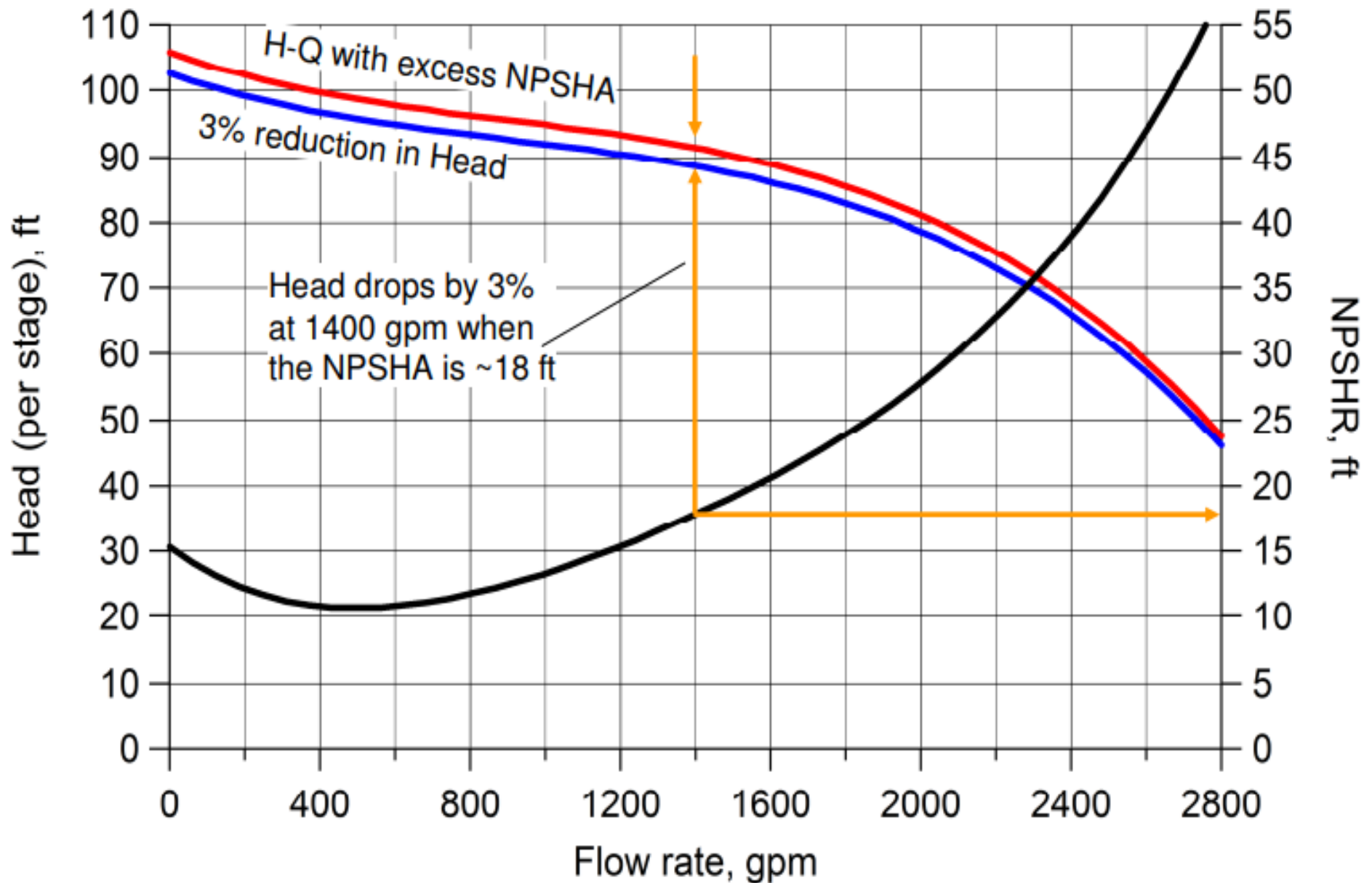
- MEASUR does NOT apply surface finish adder
- MEASUR does NOT provide for wear ring clearance decrement



# Net Positive Suction Head Required

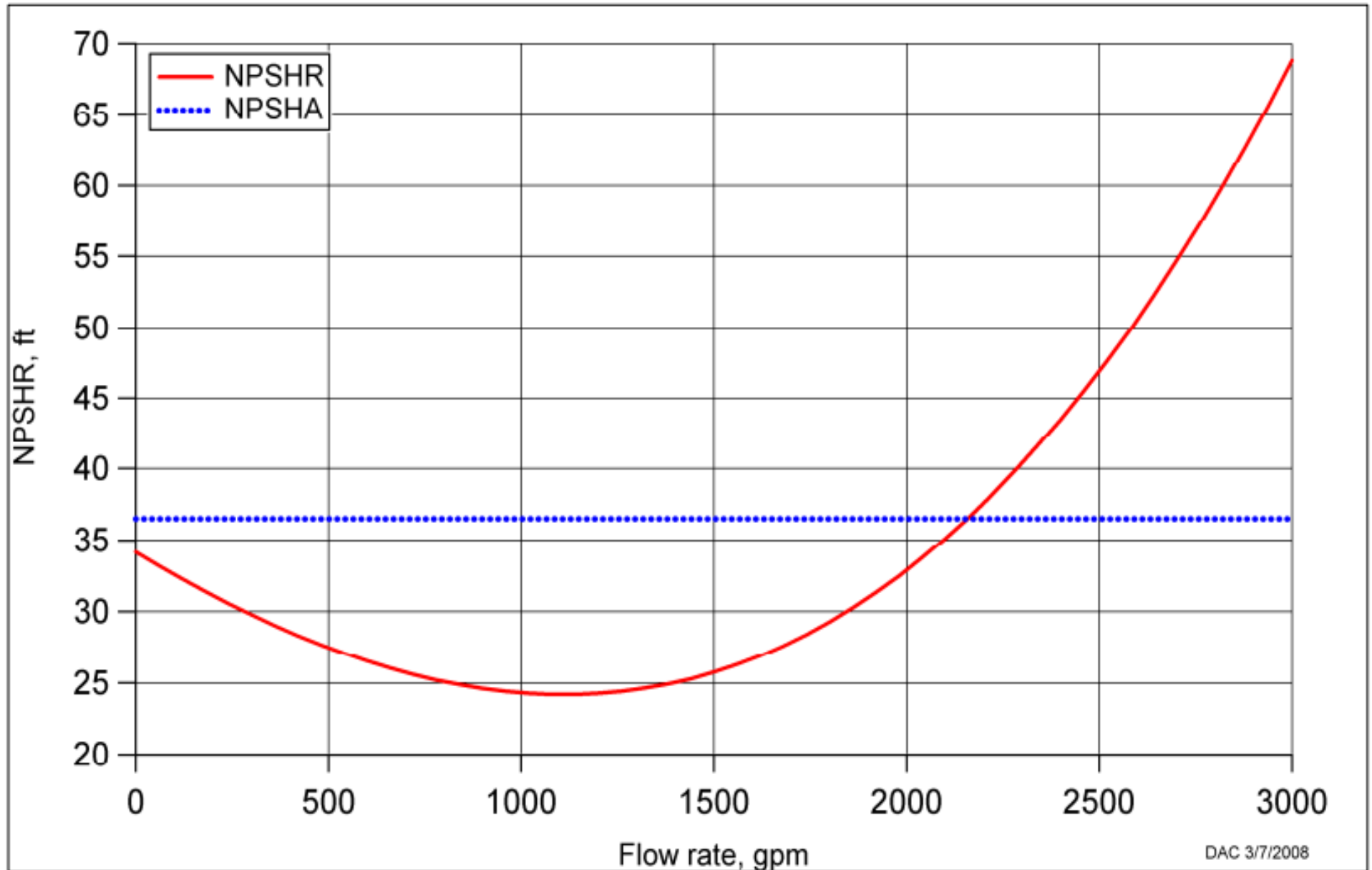
- NPSHR is, by long-term accepted practice, the available suction head at which the developed pump head has dropped by 3% from the head that it produced with bountiful available suction head
- By definition, then, the pump performance is already degraded due to cavitation-related flow disturbance
- The actual point when cavitation actually begins can be with significantly greater available head than the pump supplier's NPSHR curve
- Two accepted approaches for developing the NPSHR curve:
  - Establish a fixed suction head, then increase flow rate until a 3% reduction in head at a particular flow rate is observed
  - Maintain a constant flow rate and gradually decrease the suction head until the developed head drops by 3%

# NPSHR: Available suction head with 3% degradation in developed head

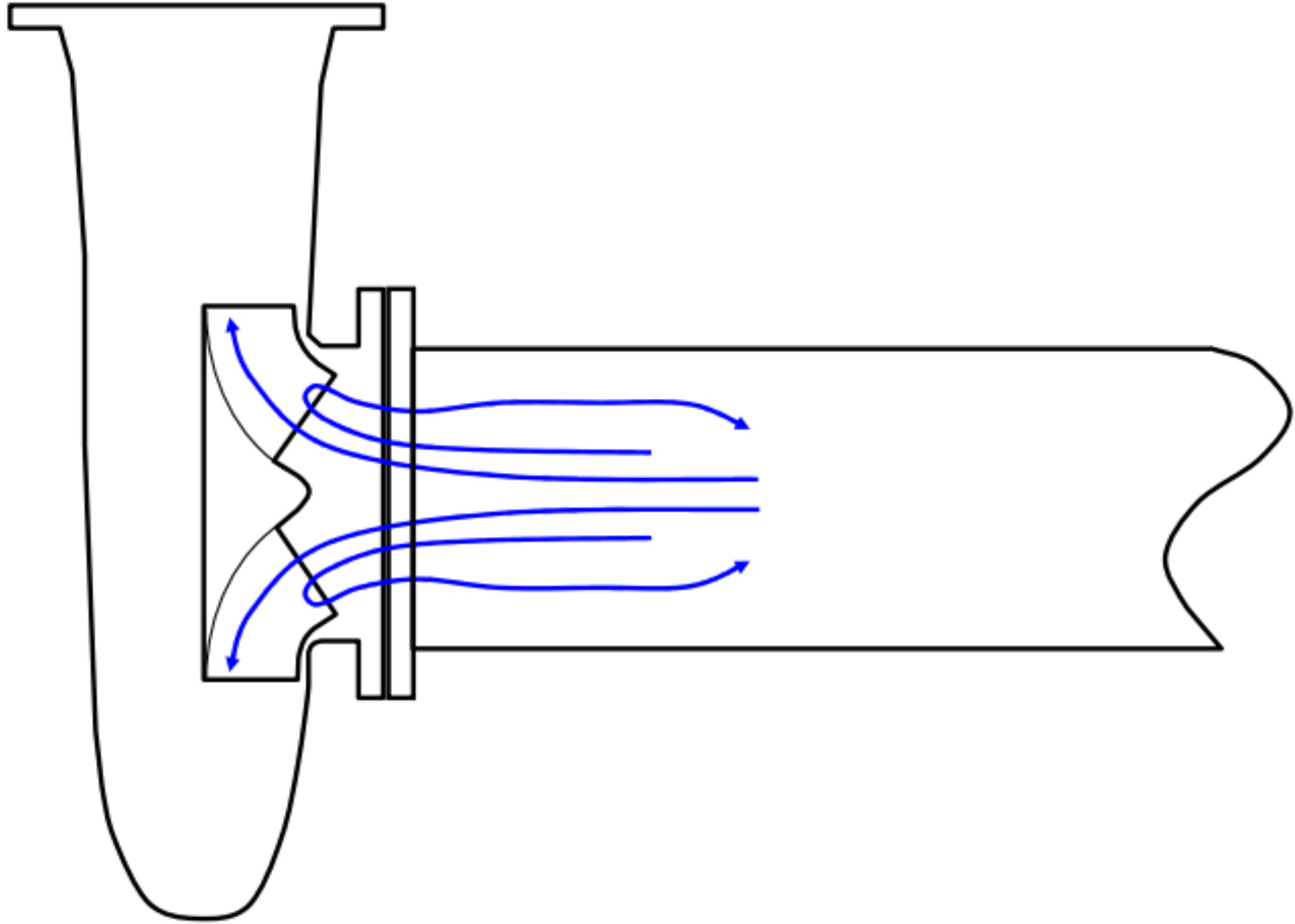




# NPSHR curve and NPSHA near the low level switch of a submersible lift station pump



Pumps operated away from BEP are more likely to have various problems – including at the suction



# Suction specific speed

$$S = \frac{n\sqrt{Q}}{\text{NPSHR}^{0.75}}$$

S = Suction specific speed

N = Rotating speed (rpm)

Q\* = Flow rate (gpm)

NPSHR = Net positive suction head required (ft)

\* Half of the flow rate for double suction pumps

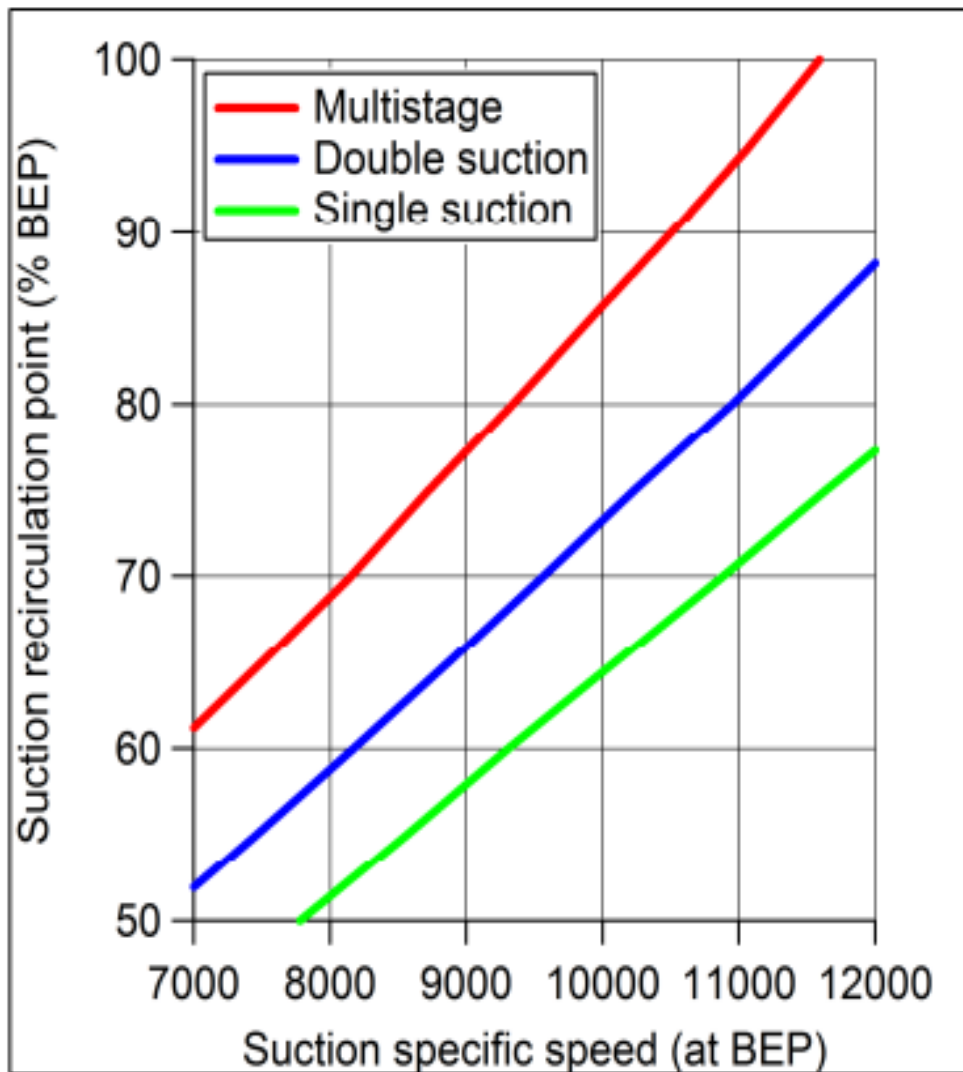
Reducing NPSHR translates into increasing suction specific speed

Suction Specific Speed, S (Suction Specific Speed Required) is another dimensionless ratio and is analogous to specific speed. It describes all the inlet conditions that produce similar flow conditions in geometrically similar inlet passages. Like specific speed it is defined at the BEP of the pump.

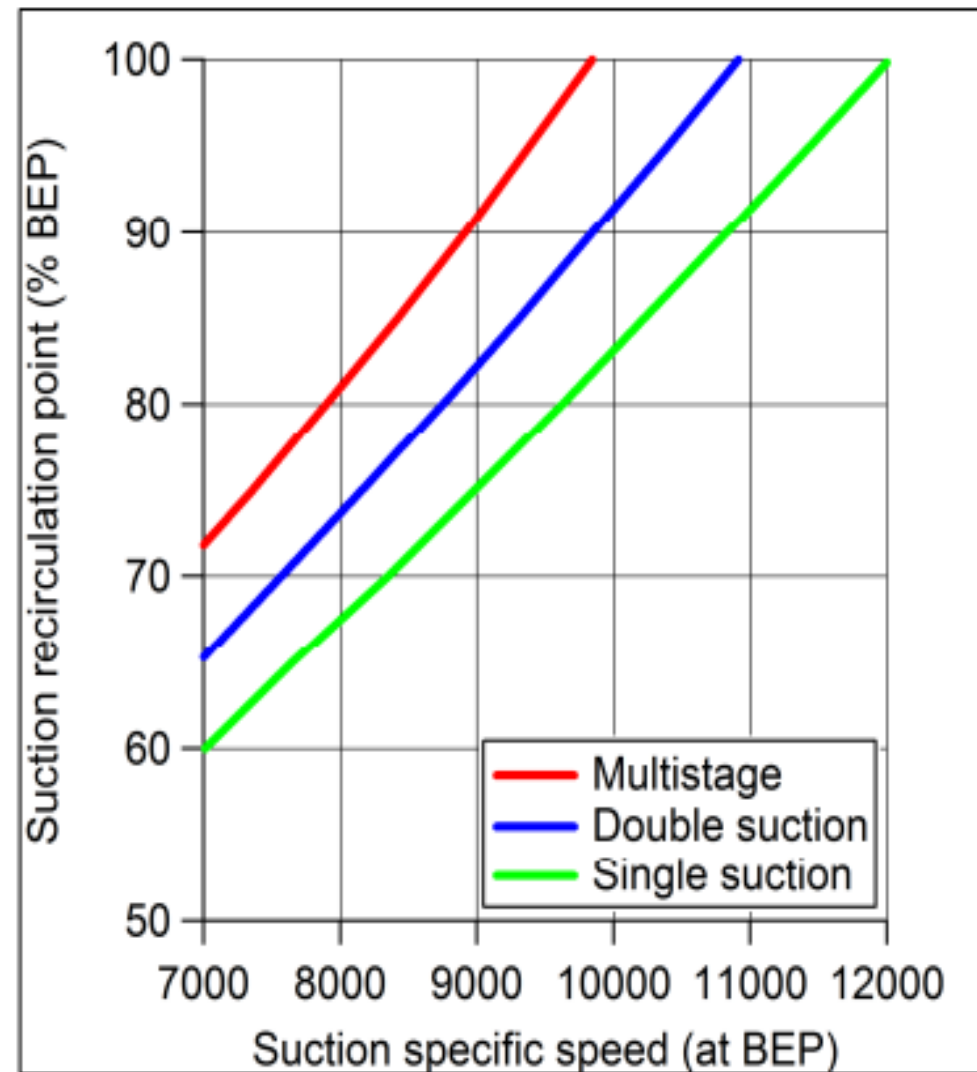
# Suction specific speed

- Suction specific speed is an index number for a centrifugal pump similar to discharge specific speed and is used to define its suction characteristic. It is constant for a given pump, regardless of pump speed. Higher numerical values of “S” are associated with better suction capabilities. The numerical value of “S” is mainly a function of the impeller inlet and suction inlet design. For pumps of normal design, values of “S” vary from 6,000 to 12,000.
- It shows how aggressive the pump impeller inlet design is (how low is the NPSHR for a given pump speed and BEP flow rate). Higher “S” values mean lower NPSHR and, therefore, greater NPSH Margins.
- Suction Specific Speed is another factor (in addition to Specific Speed) in determining the flow rate at which suction recirculation starts in a pump. Pumps with higher values of Suction Specific Speed typically have narrower “Allowable Operating Flow Regions”.

# Fraser estimate of suction recirculation onset



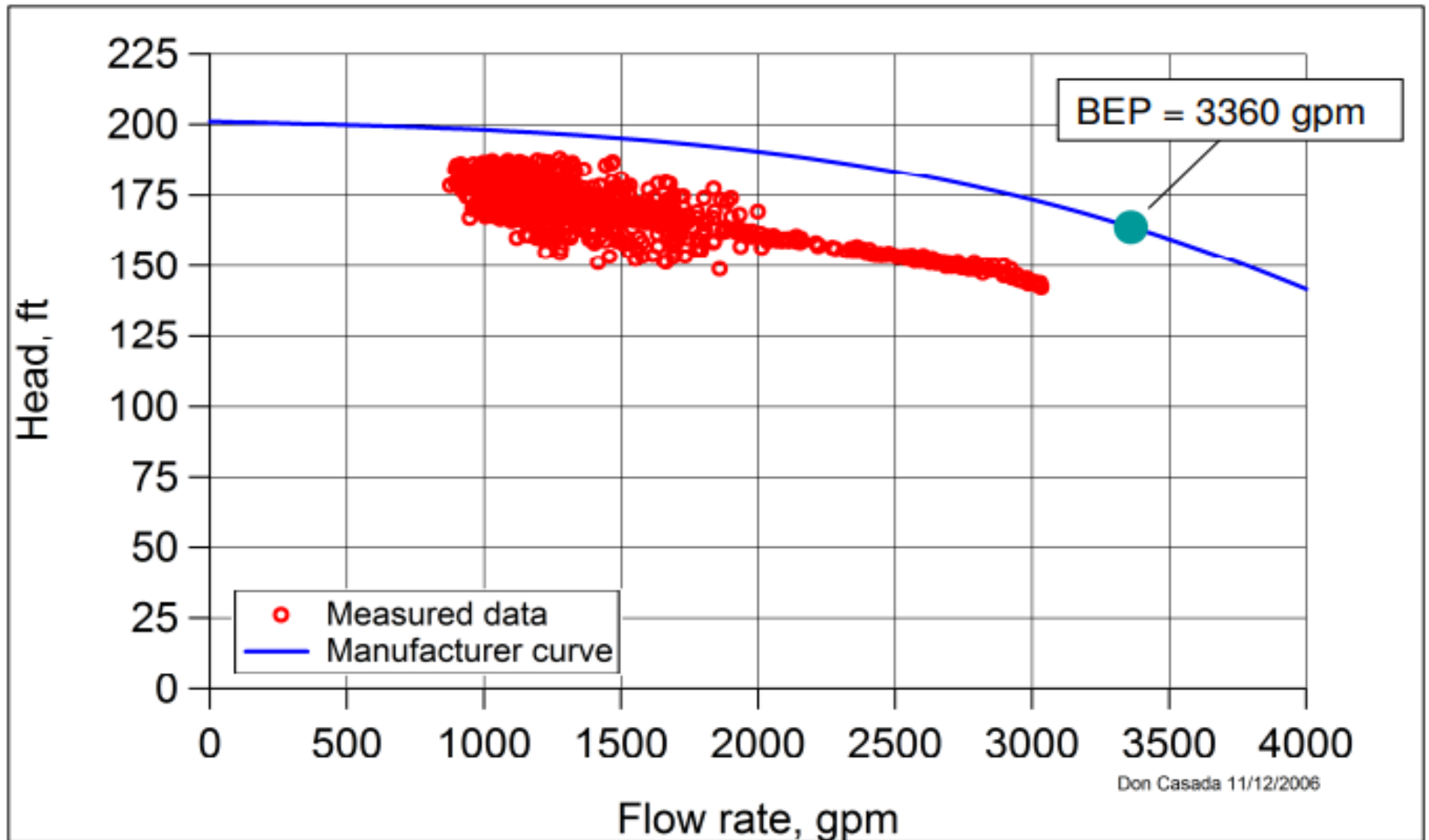
$N_s = 500$  to  $2,500$



$N_s = 2,500$  to  $10,000$

These are estimates of curves included in a paper by Warren H. Fraser, "Flow Recirculation in Centrifugal Pumps," Proceedings of the 10th Annual Turbomachinery Symposium, Texas A&M University.

# A single suction pump with a well-defined point of suction recirculation onset



$$N_s = 2260$$
$$S = 8840$$

# NPSHR is a well-established performance measurement, but it ain't enough

- $NPSHA > NPSHR$  does not guarantee cavitation-free operation
- Higher suction specific speed pumps can, ironically, be more likely to be misbehaved (particularly as flow is reduced)
- Other important factors in determining the energy level and likelihood of damage include:
  - suction geometry
  - operating point (relative to BEP)
  - impeller material
  - fluid characteristics (including corrosive or erosive materials)
  - the pump duty cycle

# Suction intake design

- Improper design can, even with adequate NPSHA, cause operating problems
- Example considerations:
  - Non-uniform flow profile
  - Entrained air in the liquid (e.g., from free-fall)
  - Inlet velocity and submergence
  - Spacing relative to the floor, walls, other pump inlet
- Many issues are addressed in ANSI/HI 9.8, Pump Intake Design, such as open structure inlet velocity and submergence



# Velocities and vortices: some HI 9.8 guidelines

<u>Flow rate range, gpm</u>	<u>Recommended inlet bell velocity, ft/s</u>	<u>Acceptable velocity range, ft/s</u>
< 5,000	5.5	2 to 9
5,000-20,000	5.5	3 to 8
≥ 20,000	5.5	4 to 7

## Recommended minimum submergence to avoid introduction of surface vortices

$$S = D + 0.574 Q/D^{1.5}$$

S = minimum submergence (in.)

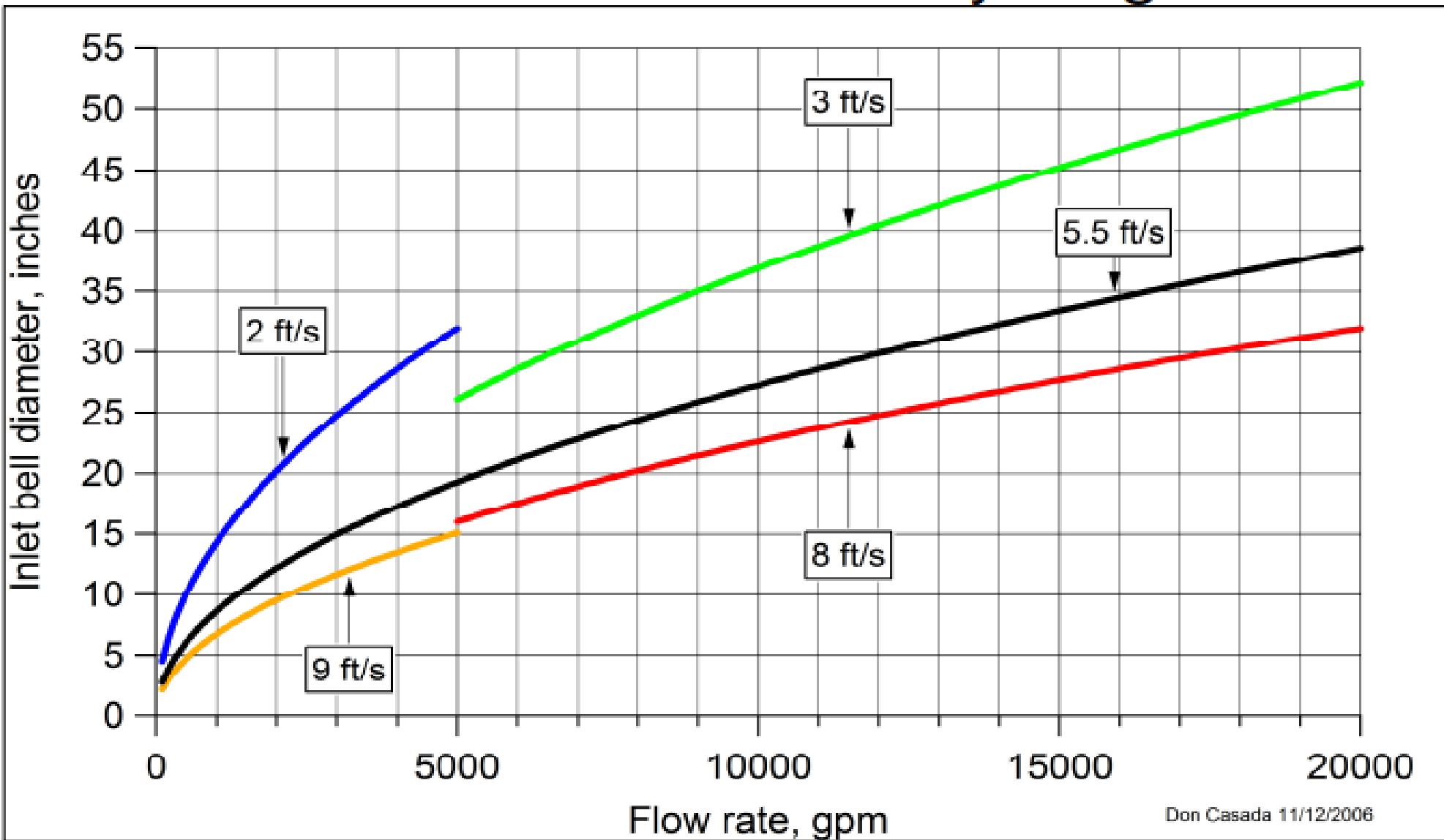
D = bellmouth inlet diameter (in.)

Q = flow rate (gpm)

Source: ANSI/HI 9.8, Pump Intake Design

Note: This standard also provides guidance on a variety of suction recommendations, ranging from floor clearance to distances from disturbances to the suction flange

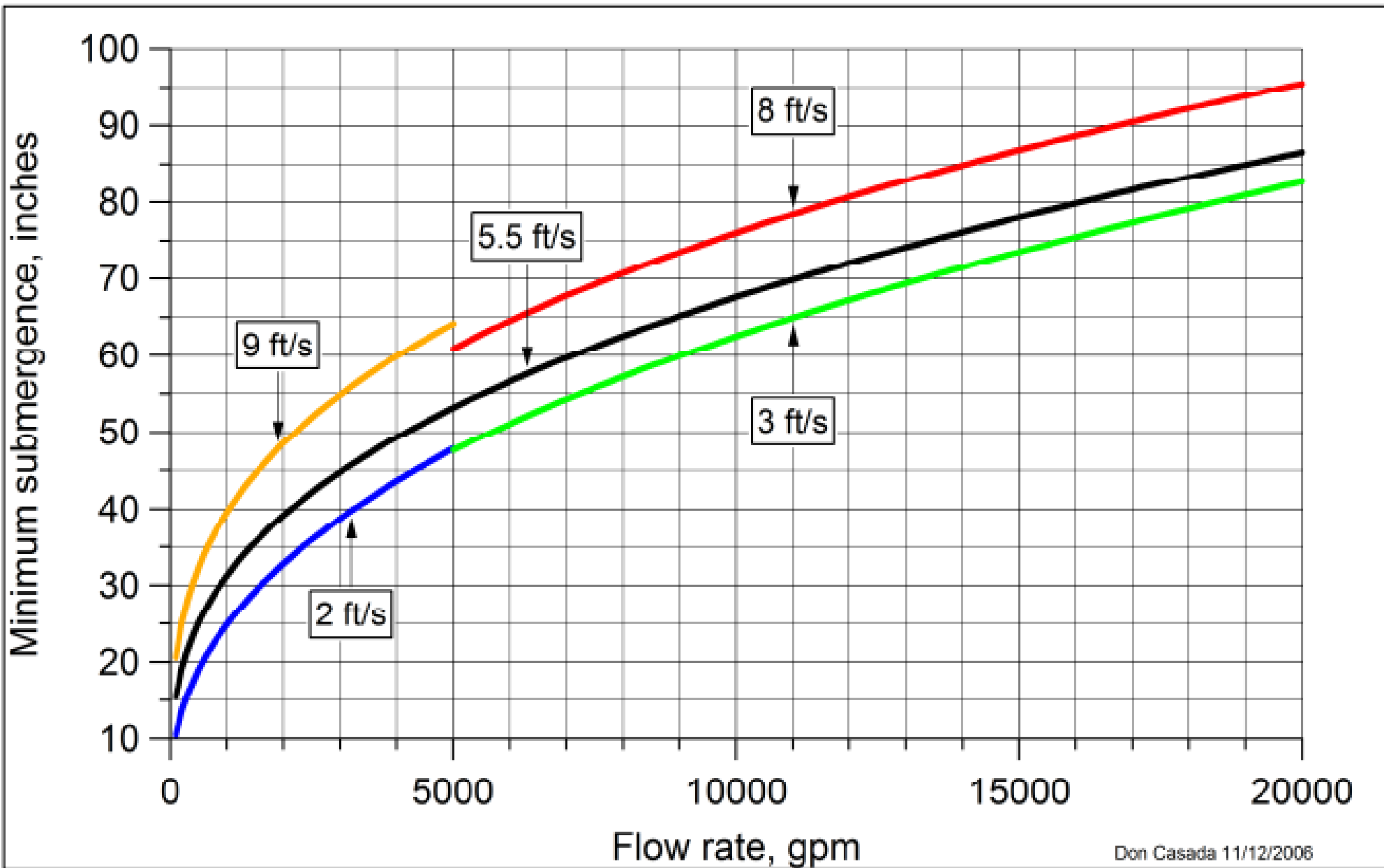
# Bellmouth inlet diameters corresponding to the HI-recommended velocity ranges



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Note: the lower velocity limits are primarily a practical consideration related to the physical size and economics of the pipe.

# Minimum submergence to avoid introduction of free-surface air vortices



A pump with plenty of NPSHA that was not leading a happy and fulfilling life



Photo by Diagnostic Solutions, LLC

# Another one.....



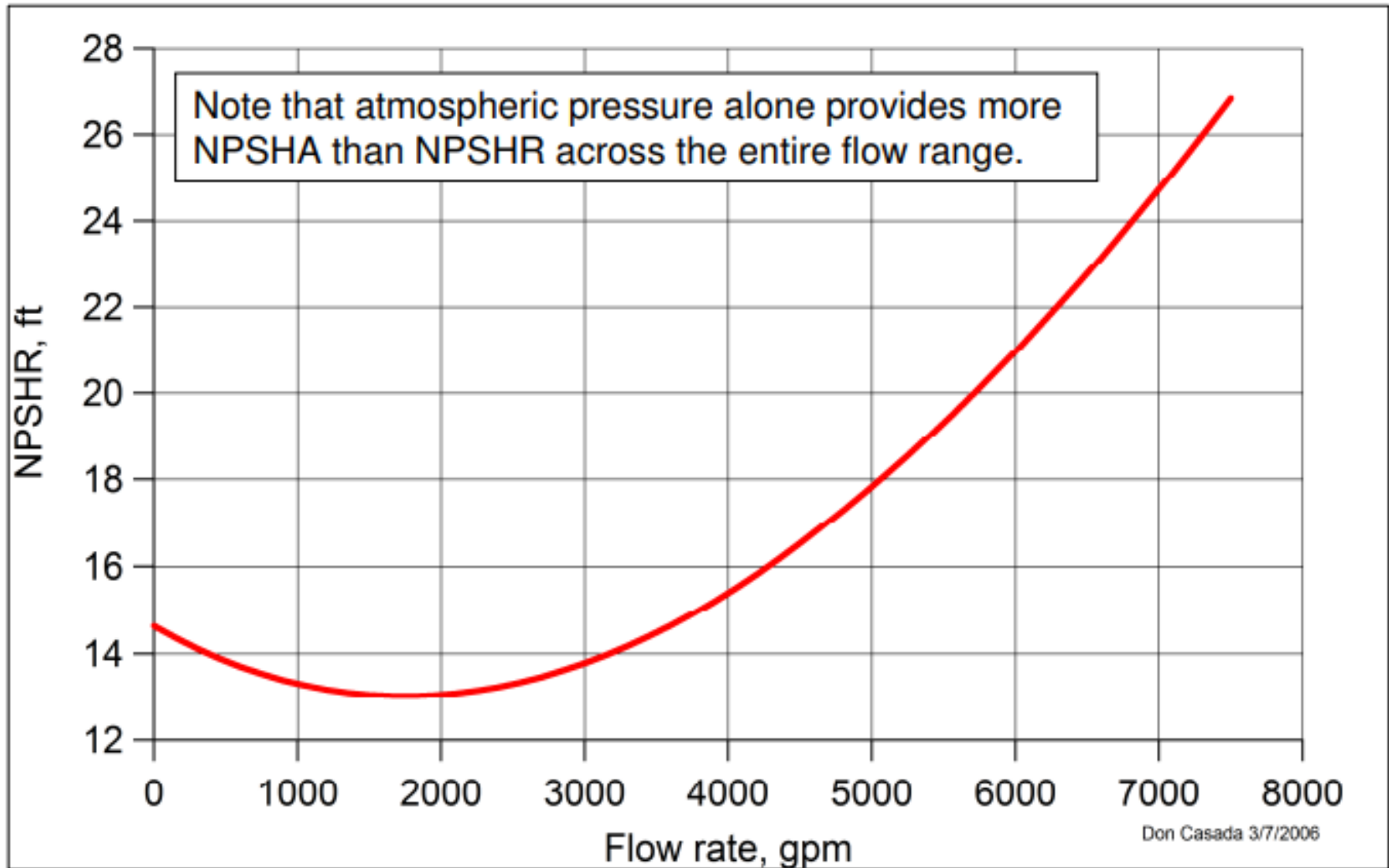
Photo by Diagnostic Solutions, LLC

# Pump with $S = 14,260$ (very high)



Compare nose of the impeller on the left (repaired spare unit) with the one on the right, which was being removed from the center pump. But also notice the crack at the vane/shroud of the repaired pump. No significant direct cavitation damage to either impeller was noted.

# NPSHR curve for previous pump



# Cavitation damage in the pump suction casing (from suction recirculation)





# The End