



Pumping System Assessment



Energy-saving Opportunities in Pumping Systems:

Where they are and how
to recognize them

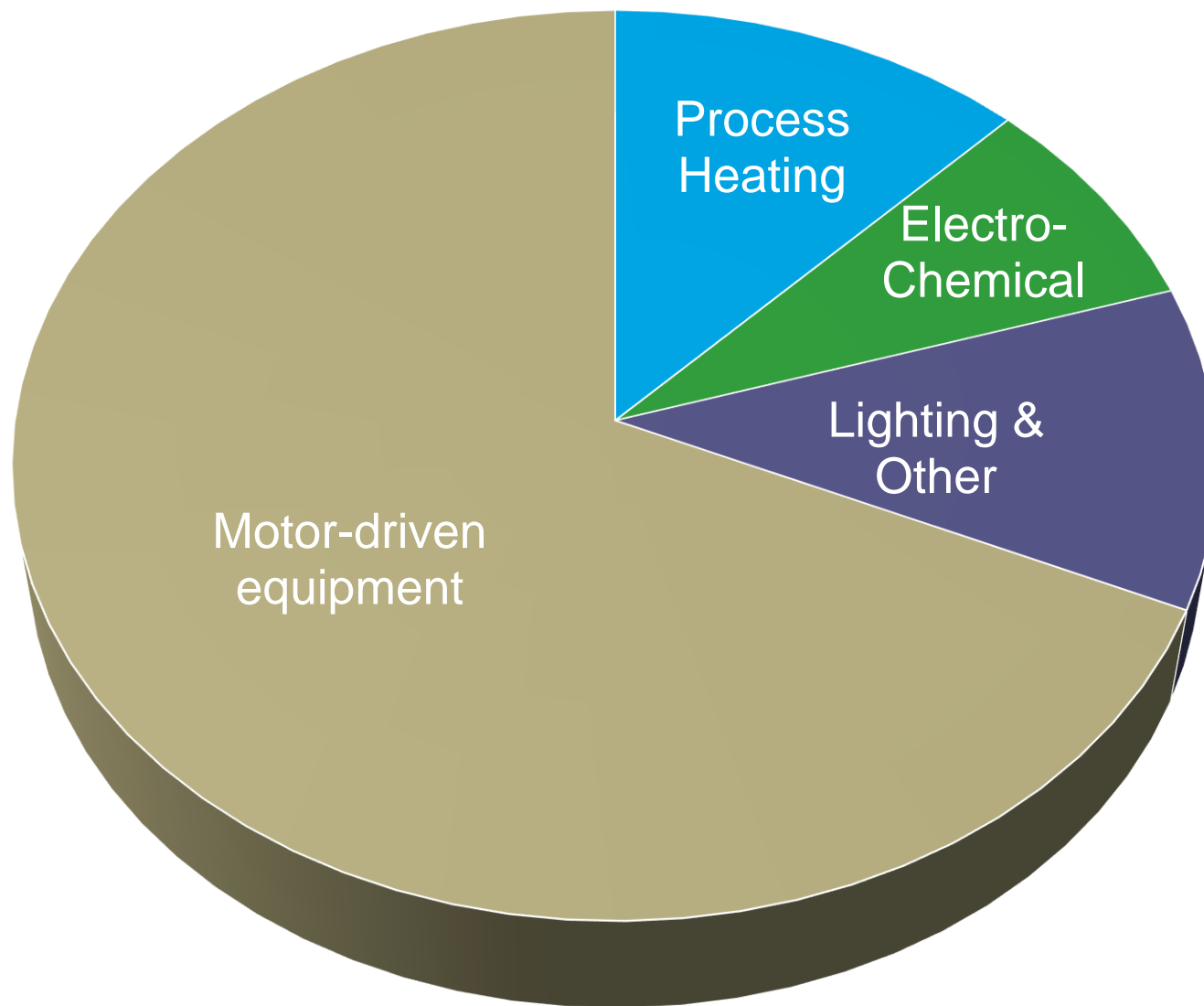
Big Picture Perspectives: Industrial Motor Systems

Industrial motor systems:

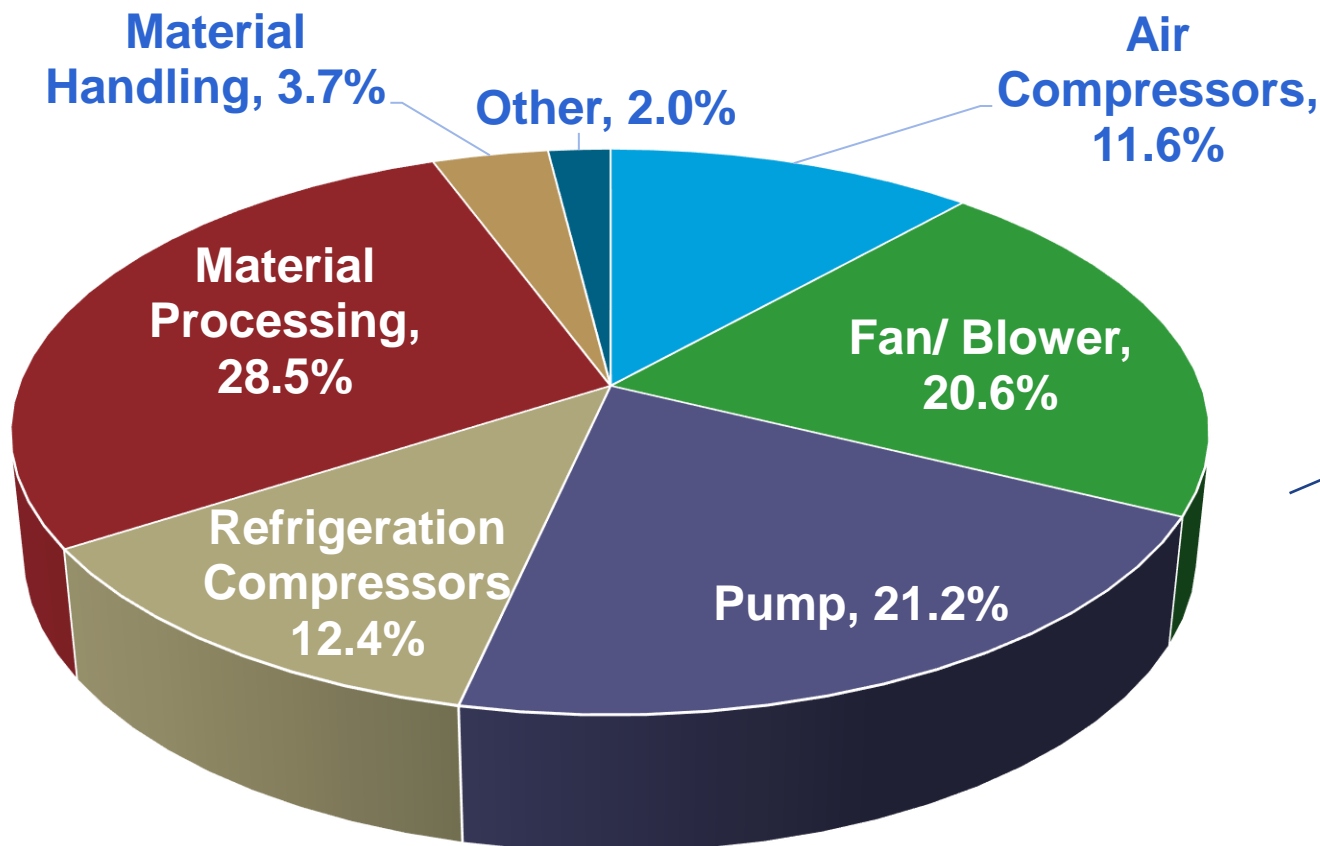
- are the *single largest electrical end use* category in the American economy
- account for 25% of U.S. electrical sales
- 950 million MWh in 2019



Motor loads dominate industrial electrical energy consumption



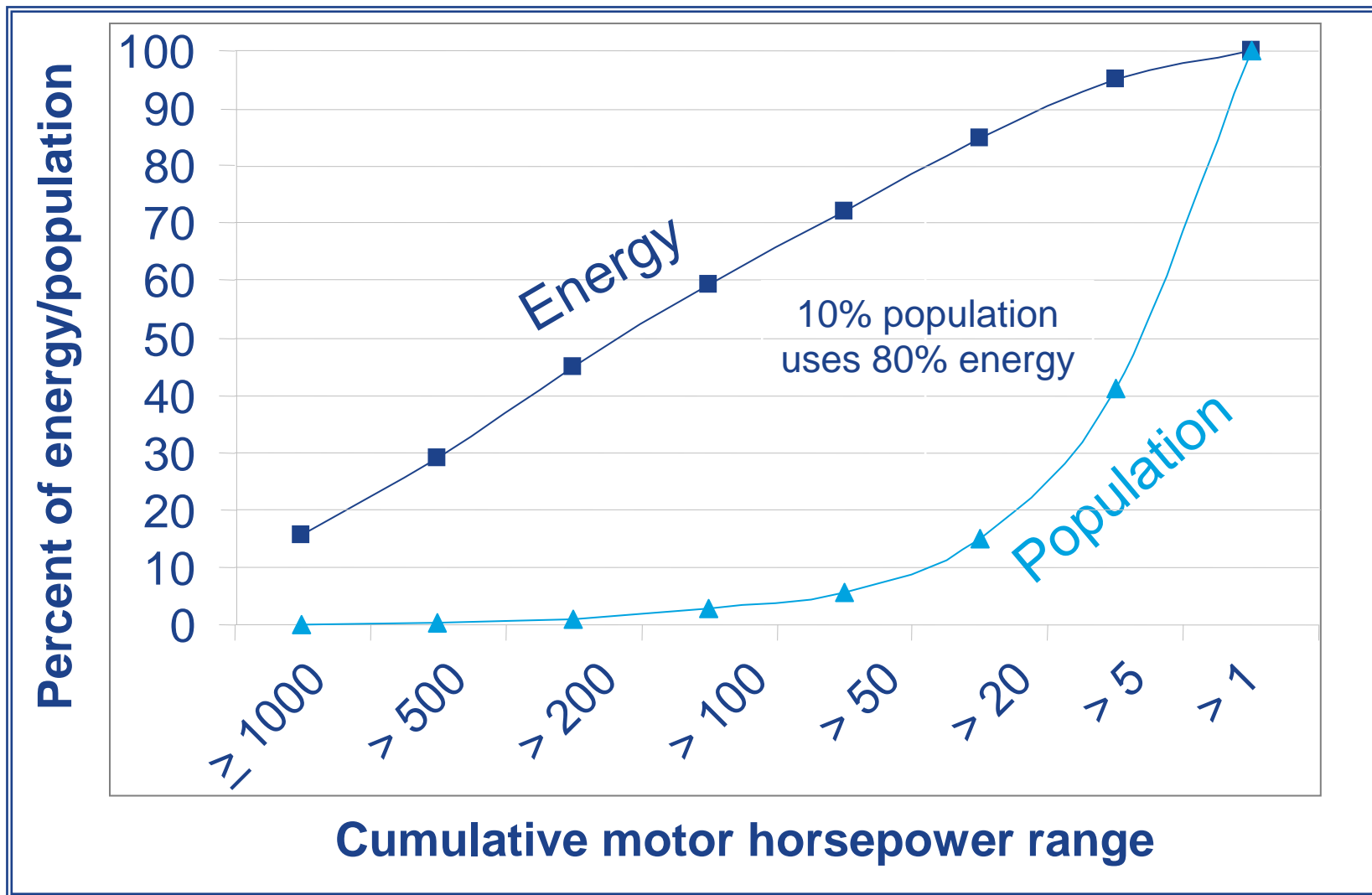
66% of industrial motor-system energy consumption involves fluid handling



Half of the motor population accounts for 2/3 of the energy

A large portion are centrifugal devices

A small fraction of the motor population is responsible for most of the energy consumption



Note the descending order (left to right)

Comparing life cycle costs: automobile and pump/motor combination

Common assumptions

Discount rate = 8%

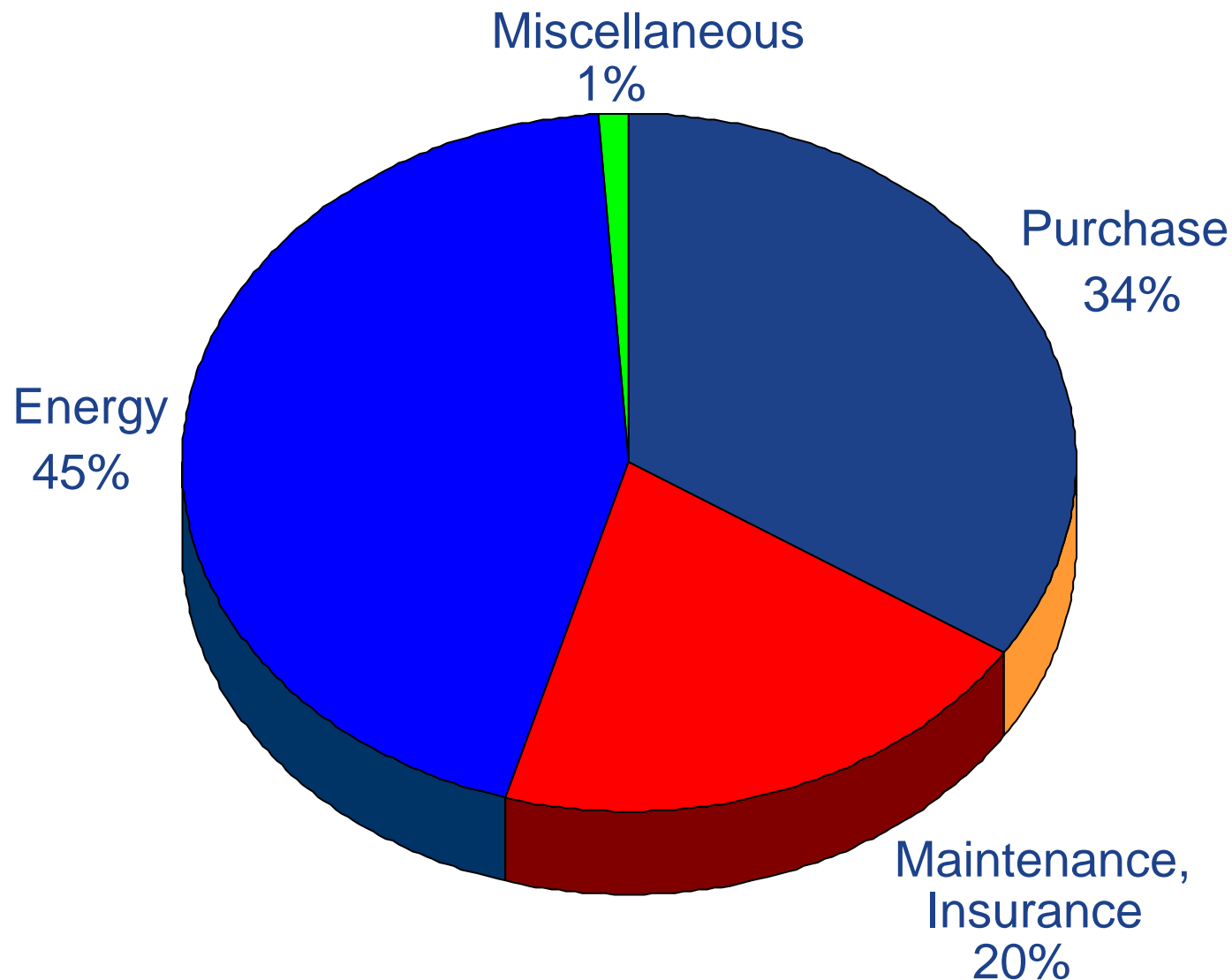
Non-energy inflation rate = 4%

Lifetime = 10 years

Item	Automobile	Pump & motor
Initial energy cost rate	\$4.00/gal	5 cents/kWhr
Energy inflation rate	10%/yr	5%/yr
Operating extent	20,000 miles/yr	7000 hr/yr (80%)
Maintenance/Insurance	\$2,000/yr	\$5,000/yr

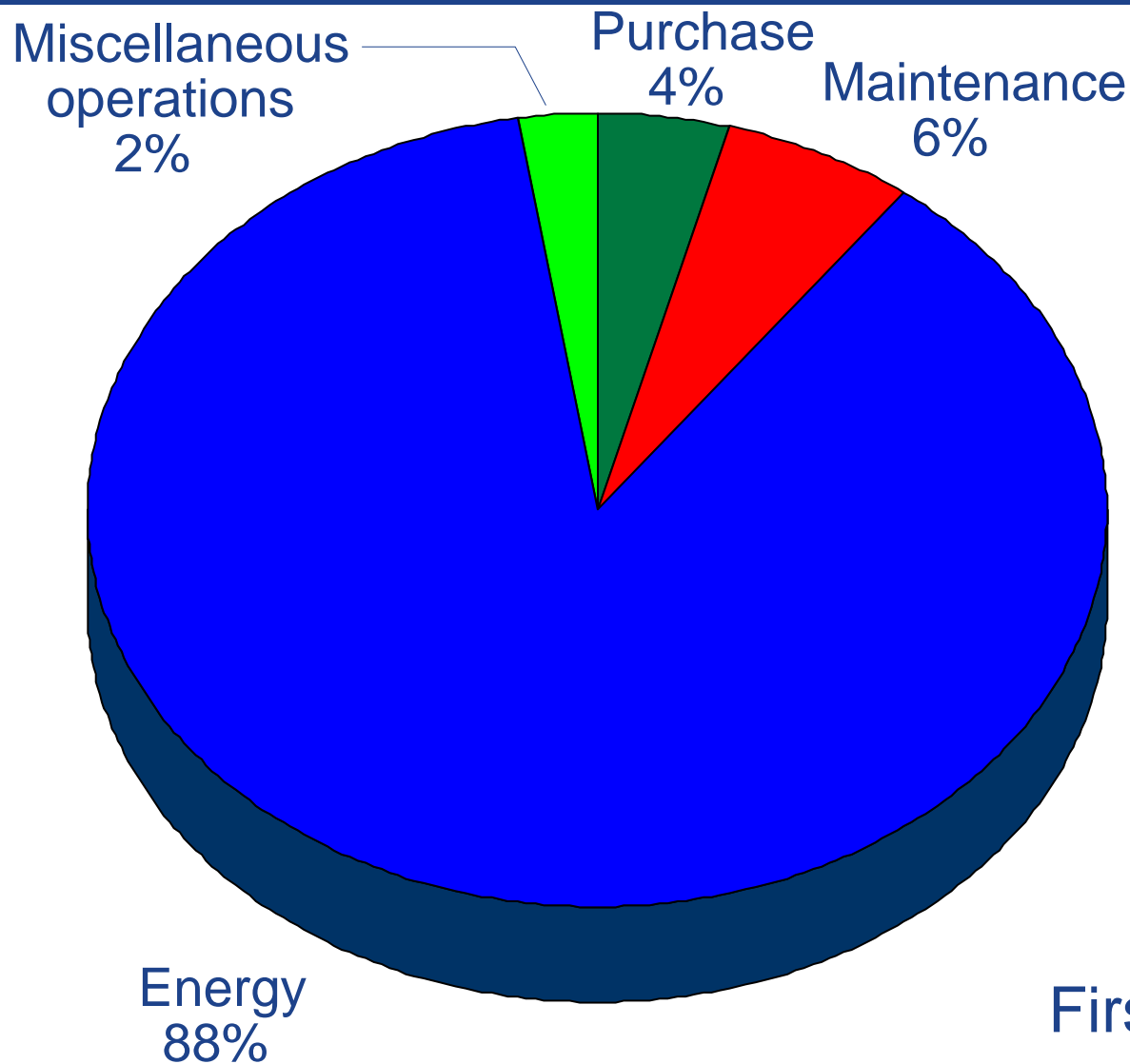
Life cycle cost - example automobile

\$28,000 purchase, 24 mpg, \$4.00/gal, 20,000 miles/yr



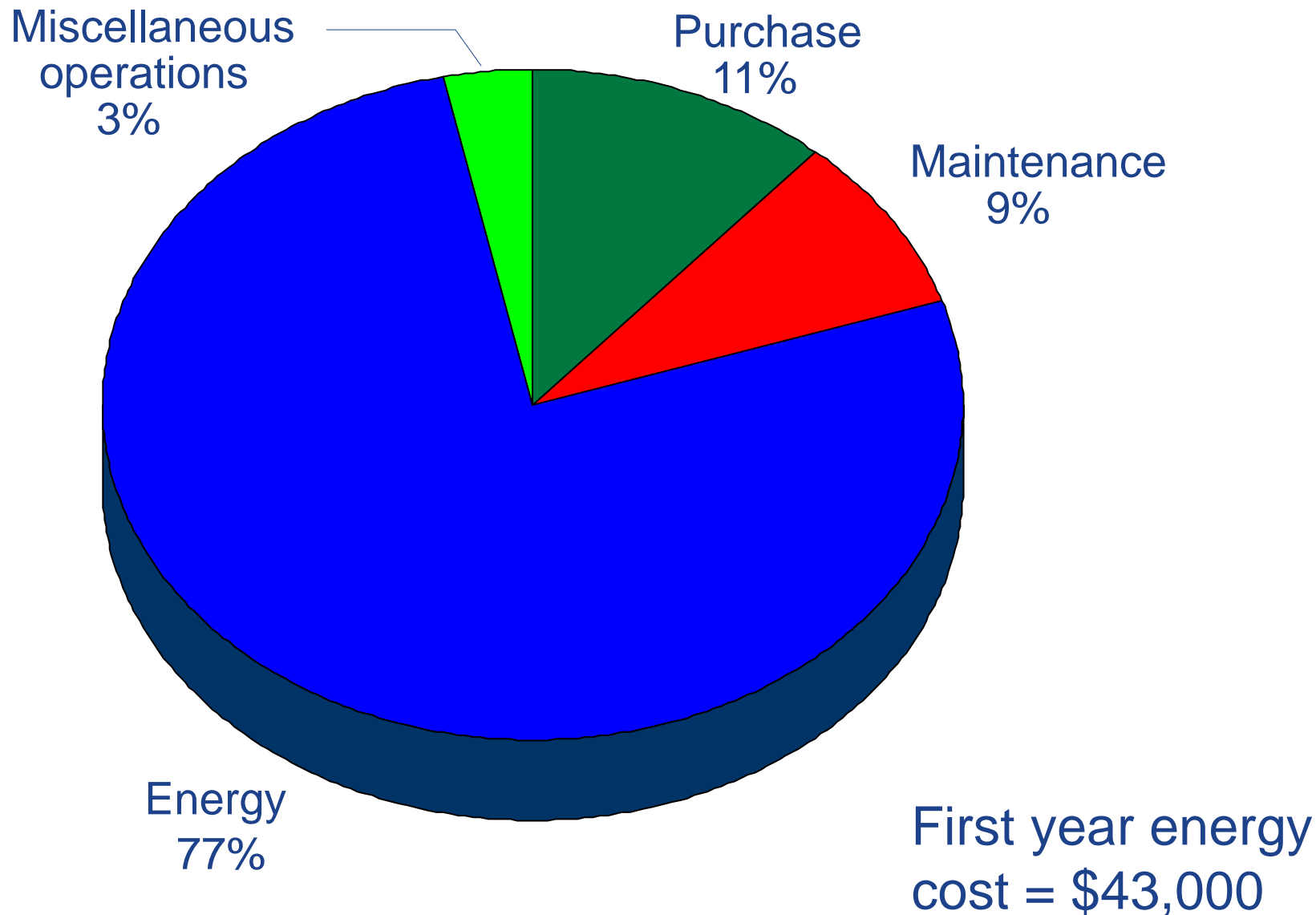
Life cycle cost - 250-hp pump and motor

\$28,000 initial cost, \$5,000/yr maintenance



First year energy
cost = \$69,000

Higher first cost pump and motor (\$56K), low service time (4,380 hrs/year)



Pump and motor efficiencies: Seventy+ years of progress

<u>Year</u>	<u>Pump efficiency (%)</u>	<u>Motor efficiency(%)</u>
1928	80	87.5
1955	85	90.5
2006	88	95.4

Achievable efficiency estimates for commercially
available 75-hp pump and motor

With pumping systems, motor and pump performance is just part of the bigger picture

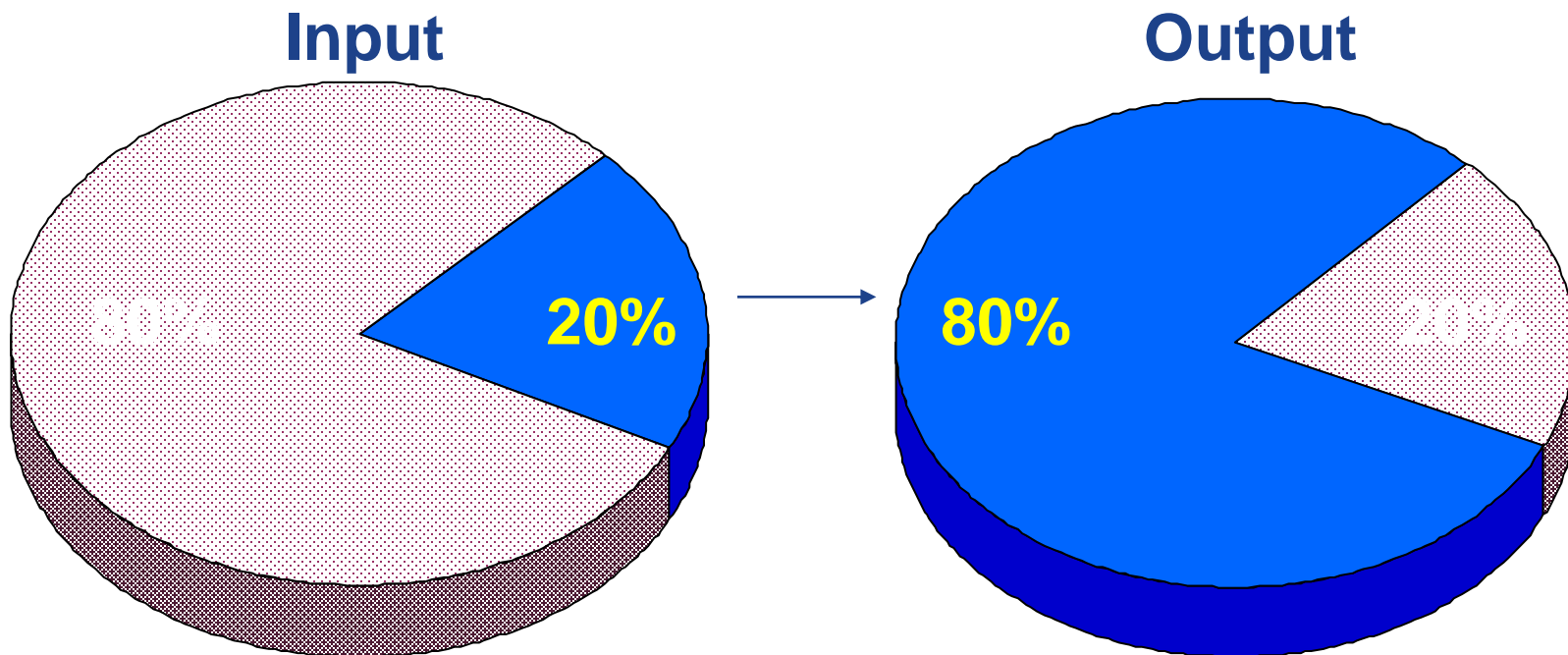


The Pareto Principle or "the vital few and trivial many"

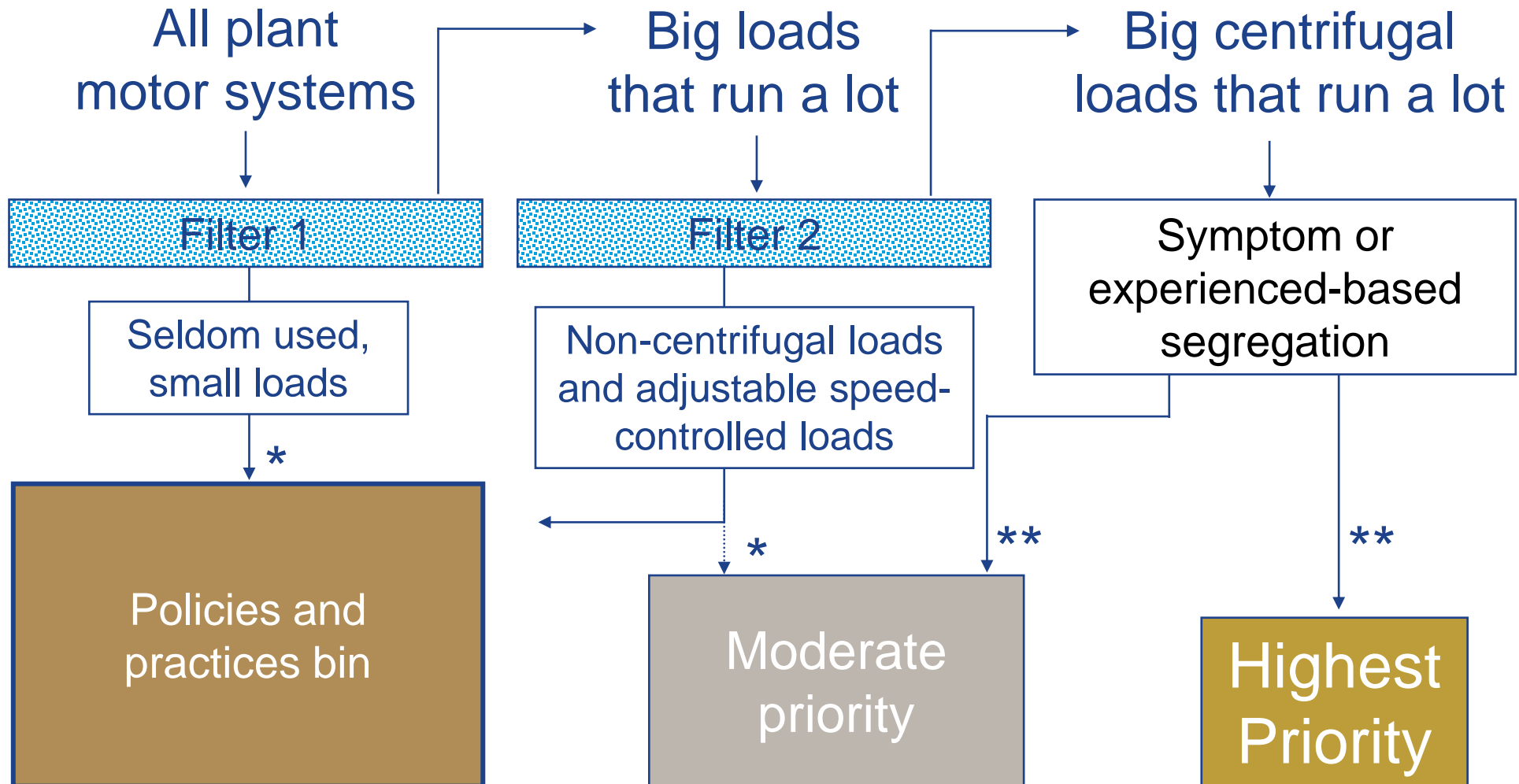
J. M. Juran, who first used the term "Pareto Principle" also coined a more descriptive phrase:

"The VITAL FEW and the trivial many"

(Relatively few are responsible for relatively much)



Prescreening to narrow the field of focus - i.e., to select the VITAL FEW for further review



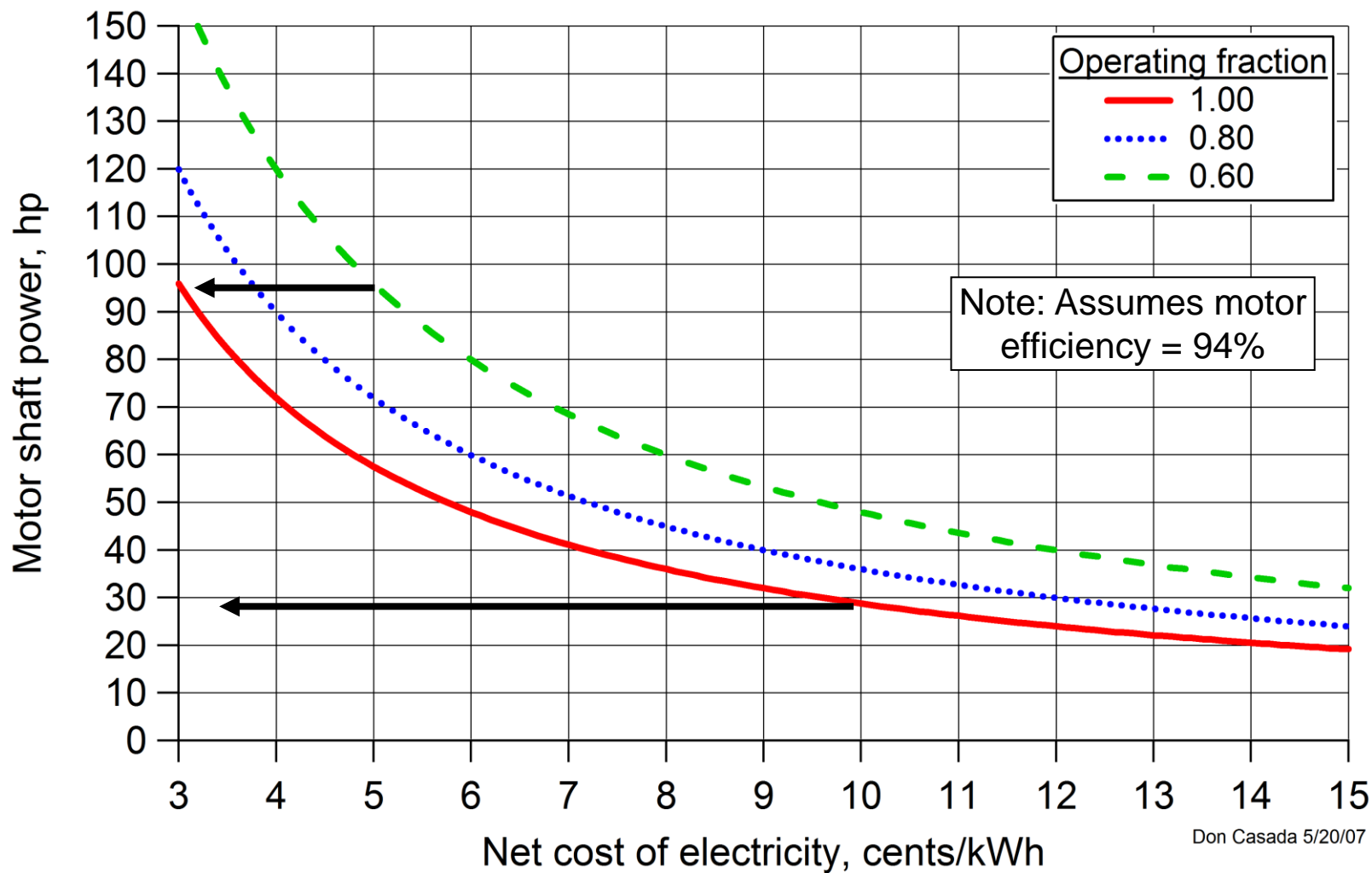
* Productivity/reliability-critical systems sent to higher priority levels

17 ** Policies & practices also apply to moderate & highest priority applications

Electric rates help define what qualifies as "big"

- Common rate elements
 - Energy (\$/kWh)
 - Demand (\$/kW)
 - Fixed charge (\$/meter)
 - Reactive power (\$/kVAR)
- Schedule options, misc. considerations
 - Incredible array of variations (time-of-use, seasonal, etc.)
 - Expect increasing attractiveness to time of use, and more variations of it as the narrow margin between capacity and demand shrinks.
- Suggested threshold: \$20,000/yr electric cost
- But also consider low run time equipment that may set the demand charge (run off-peak instead of on-peak)

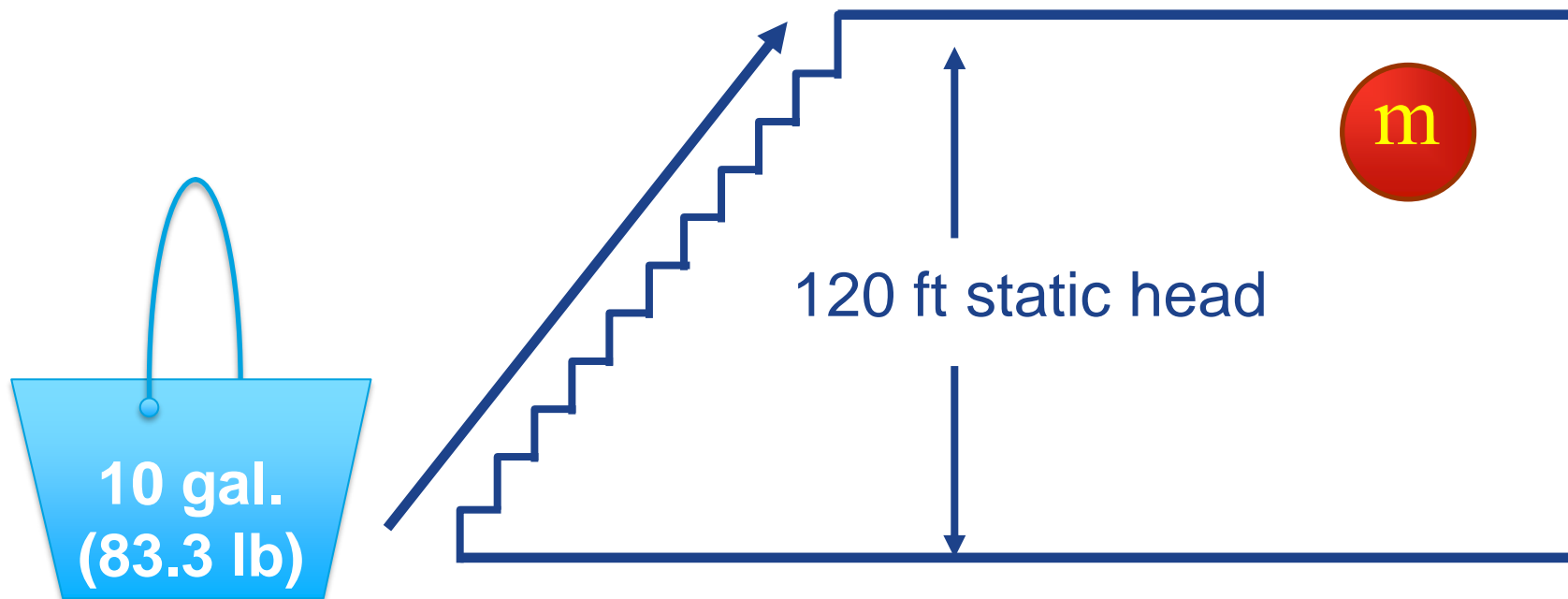
Motor load for \$20,000/year cost as a function of net electrical cost rate



Examples: at 10 ¢/kWh, a continuously-operated 30-hp shaft load would cost more than \$20K/yr.

¹⁹At 5 ¢/kWh and 80% load factor, a 95-hp load would cost the same.

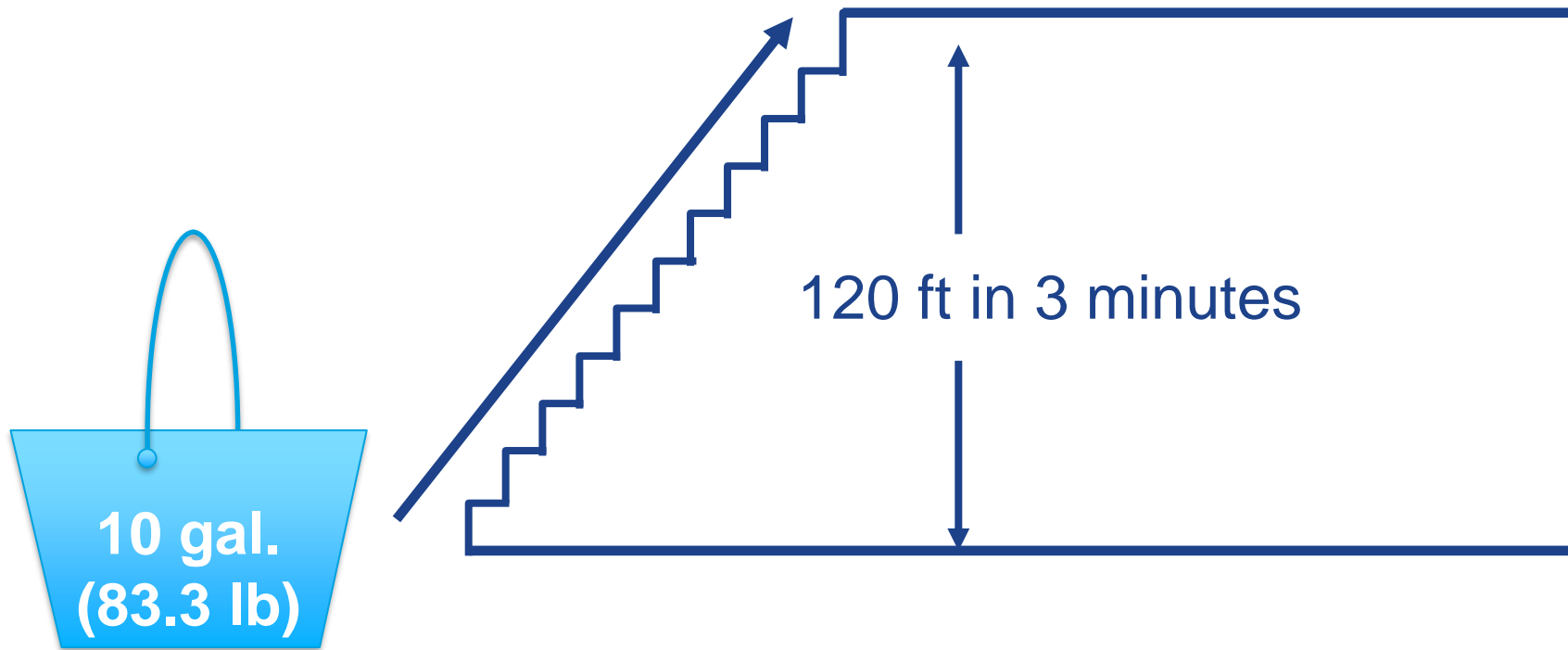
To provide direction for secondary prescreening, let's first review fluid energy basics



Ideal fluid movement energy requirements are proportional to weight and head

Ideal energy above = 10000 ft-lb, or 3.24 calories
(less than one M&M)

Ideal power depends on how fast it is moved



Power required = 0.1 horsepower, or
65 calories per hour

An important – and practically useful – fluid power relationship

$$\text{Fluid power (hp)} = \frac{\text{Flow rate (gpm)} \cdot \text{Head (ft)} \cdot \text{specific gravity}}{3960}$$

Pumping system energy basics are fundamental to secondary prescreening

$$E = \frac{Q \cdot H \cdot T \cdot sg}{5308 \cdot \eta_{\text{pump}} \cdot \eta_{\text{motor}} \cdot \eta_{\text{drive}}}$$

E energy, kilowatt-hours

Q flow rate, gpm

H head, ft

T time, hours

sg specific gravity, dimensionless

5308 Units conversion constant

η_{pump} pump efficiency, fraction

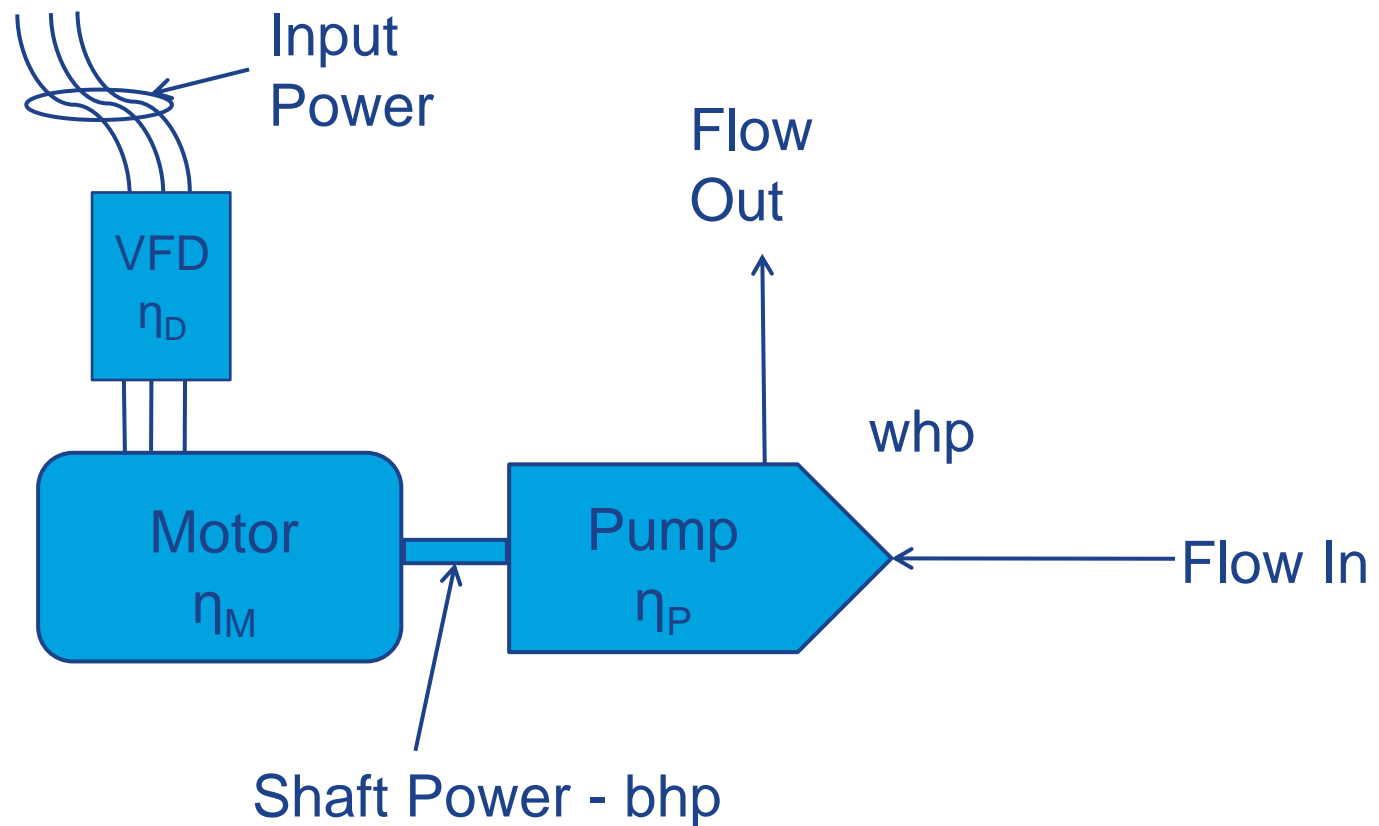
η_{motor} motor efficiency, fraction

η_{drive} drive efficiency, fraction

} System-level opportunities

} Component-level opportunities

VFD on Pump Motor



$$\text{VFD Input Power} = \text{whp} / (\eta_D * \eta_M * \eta_P)$$

Example symptoms in pumping systems that indicate potential opportunity

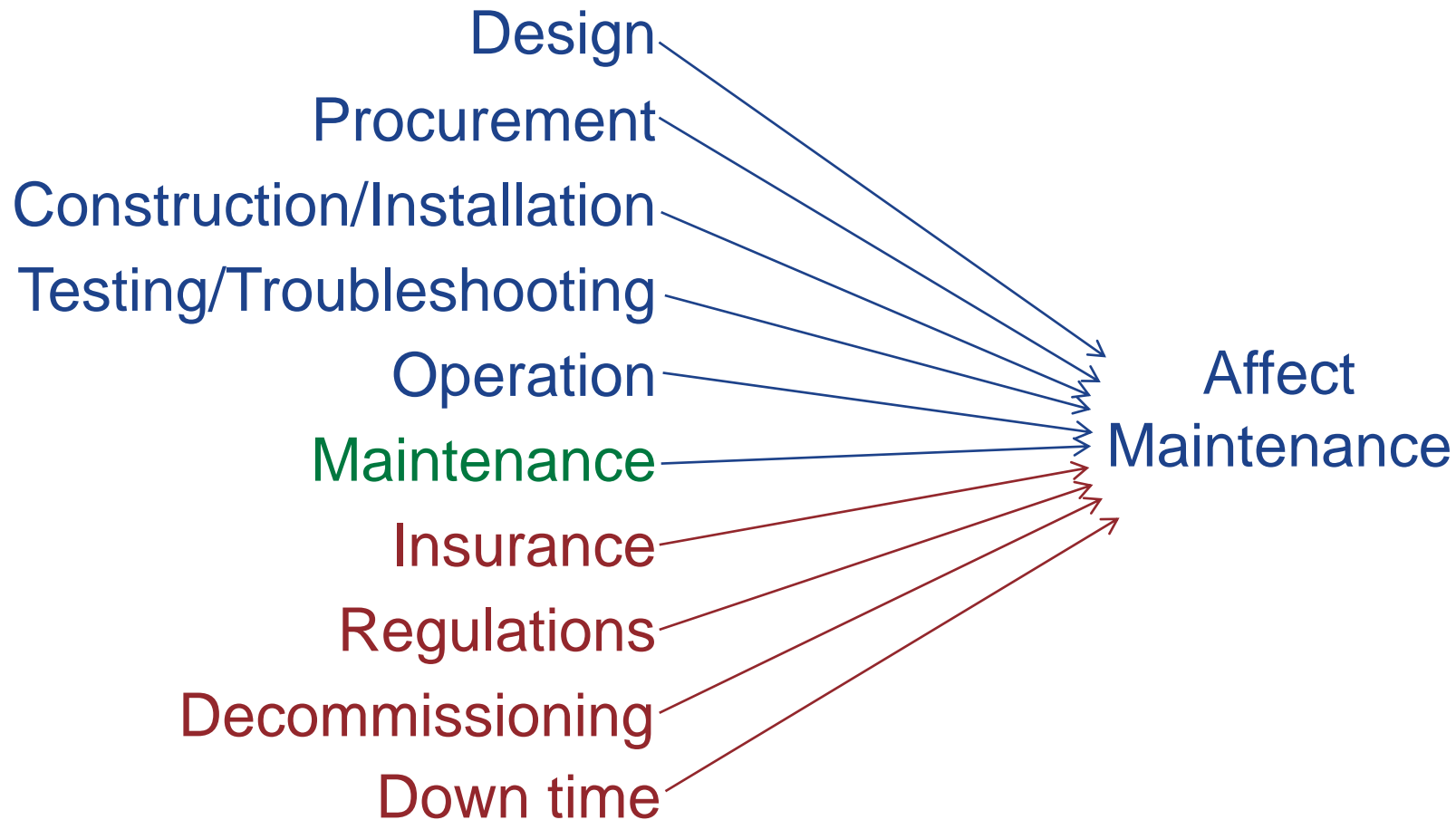
- Throttle valve-controlled systems
- Bypass (recirculation) line normally open
- Multiple parallel pump system with same number of pumps always operating
- Constant pump operation in a batch environment or frequent cycle batch operation in a continuous process
- Cavitation noise (at pump or elsewhere in the system)
- High system maintenance
- Systems that have undergone change in function

Many life cycle elements influence reliability, cost, and productivity of motor-driven systems

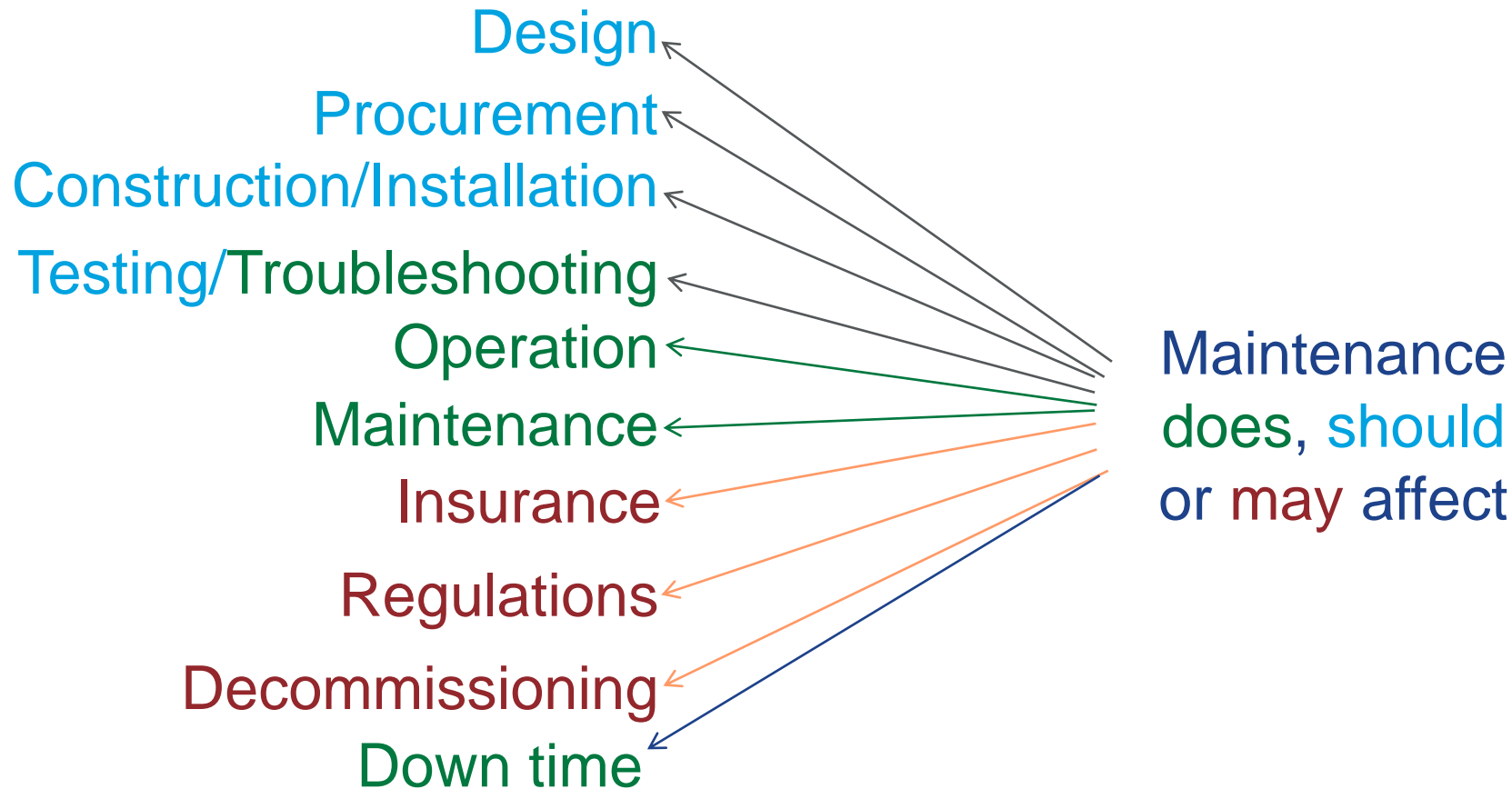
- Design
- Procurement
- Construction/Installation
- Testing/Troubleshooting
- Operation
- Maintenance
- Insurance
- Regulations
- Decommissioning
- Down time
- etc.....

Most of these elements are interdependent

Example: other factors do or **may** affect maintenance



Just like any stable control system, optimal asset management requires feedback



Life cycle elements are an integrated system, much like the physical systems themselves

- The elements can be treated as components
 - For example, procurement can be on lowest first cost basis, without regard to the effect on maintenance or operations
- The elements can be treated as a system
 - For example, procurement considers all the elements of cost and is based on lowest total life cycle cost

Contingency planning - making the change when a failure occurs

- The alternatives evaluation picture changes dramatically when failures occur
- Changes that couldn't be justified when the system was functional may well be after failure
- The alternative may actually be less costly than simple repair/replace of the existing component
- Contingency planning is common for motors, but not for pumps

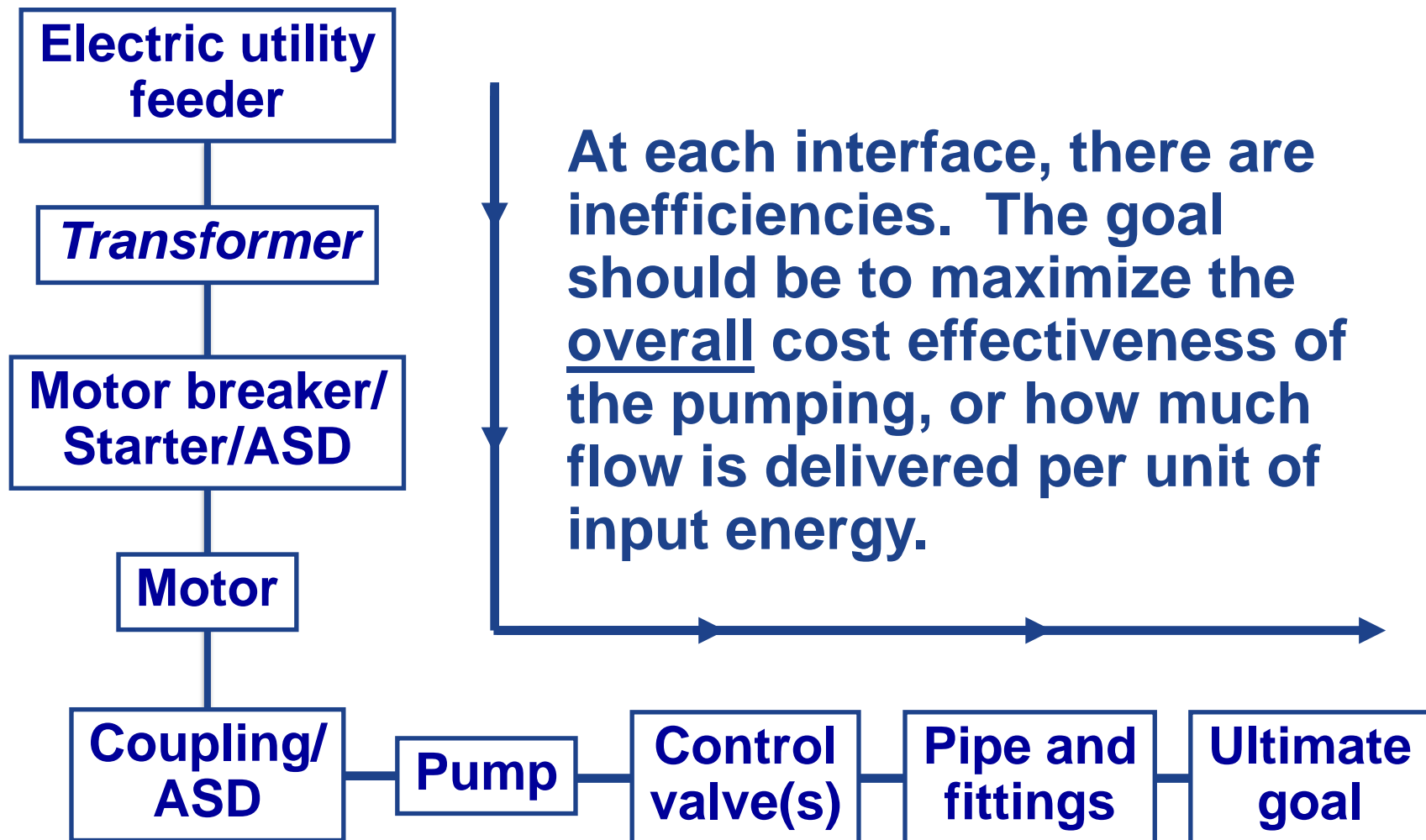
Break

Field monitoring of pumping systems

and

Application of MEASUR software tool

First, let's try to get a big picture perspective of energy flow for pumping systems



Observations on losses in some of the power train components

Utility grid – line losses; not our problem (or are they?)

Transformer – Very efficient (typically upper 90's %)

Breaker/starter – Negligible

Electrical ASD – Minor

Motor – Minor

Coupling – Minor

Mechanical ASD – Minor to moderate

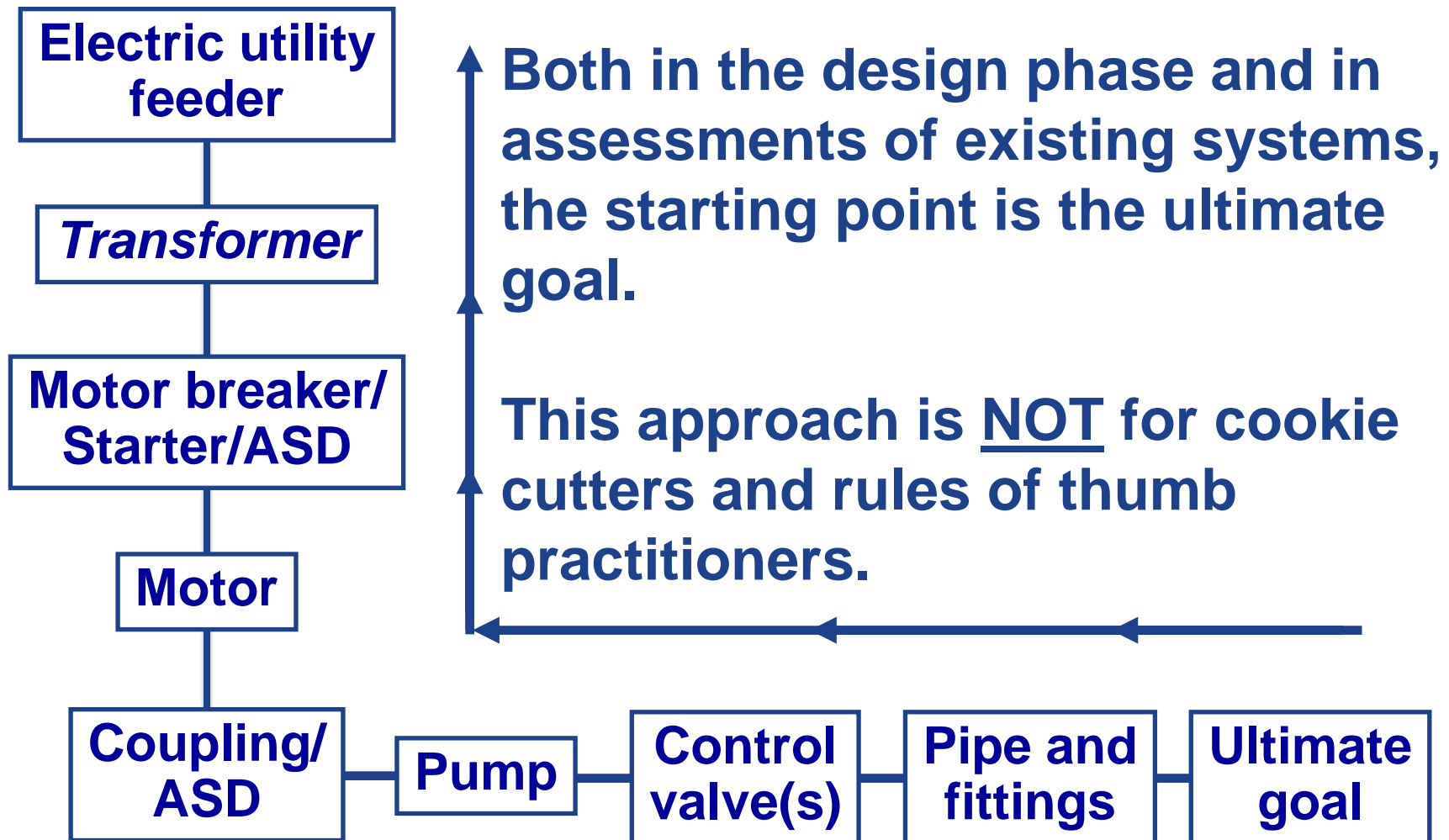
Pump – Important

Control valves – Zero to major

Pipe and fittings – Minor to major

Ultimate goal – Always important

The optimization path is the other side of a two way street



System performance characteristics

Fluid statics: pressure, elevation, density

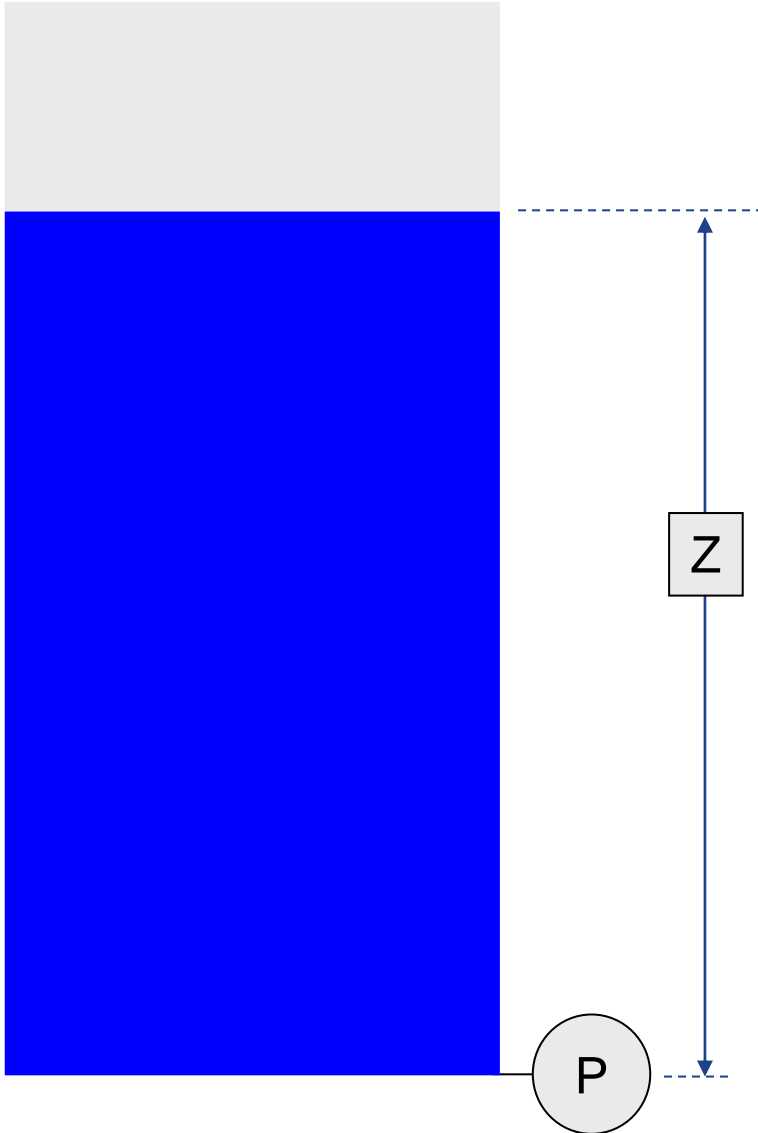
$$P = \frac{Z \cdot \text{s.g.}}{2.31}$$

P = pressure, psig

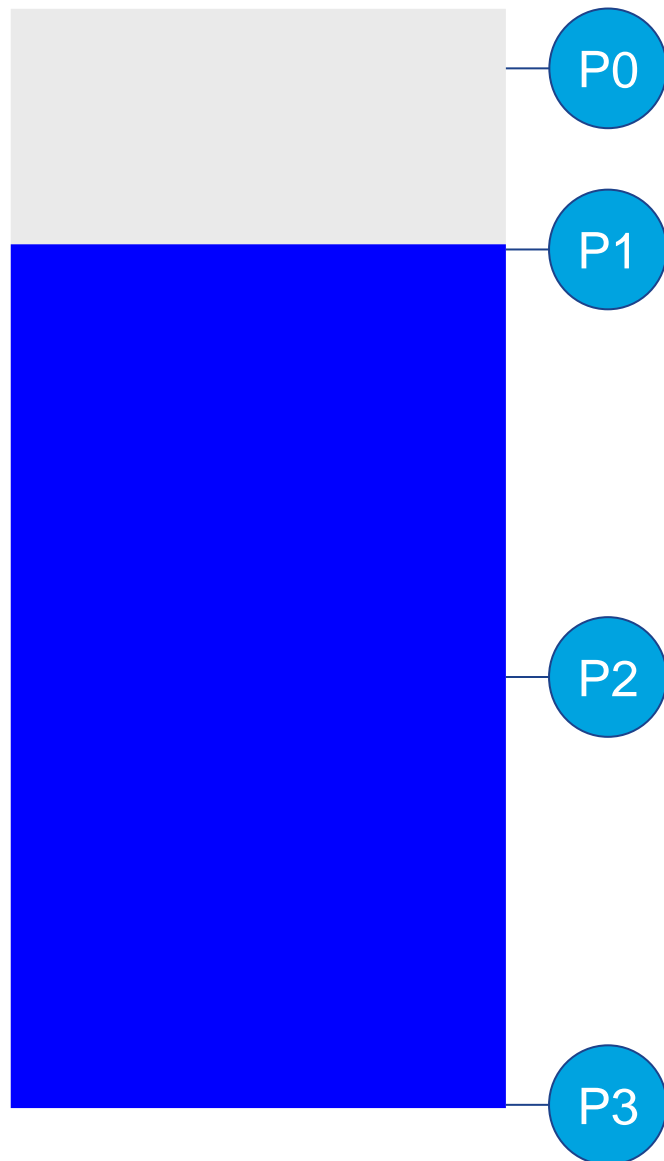
Z = elevation, ft

s.g. = fluid specific gravity

If $Z = 23.1$ ft, and the fluid is normal temperature water (s.g. = 1.0), then $P = 10$ psig



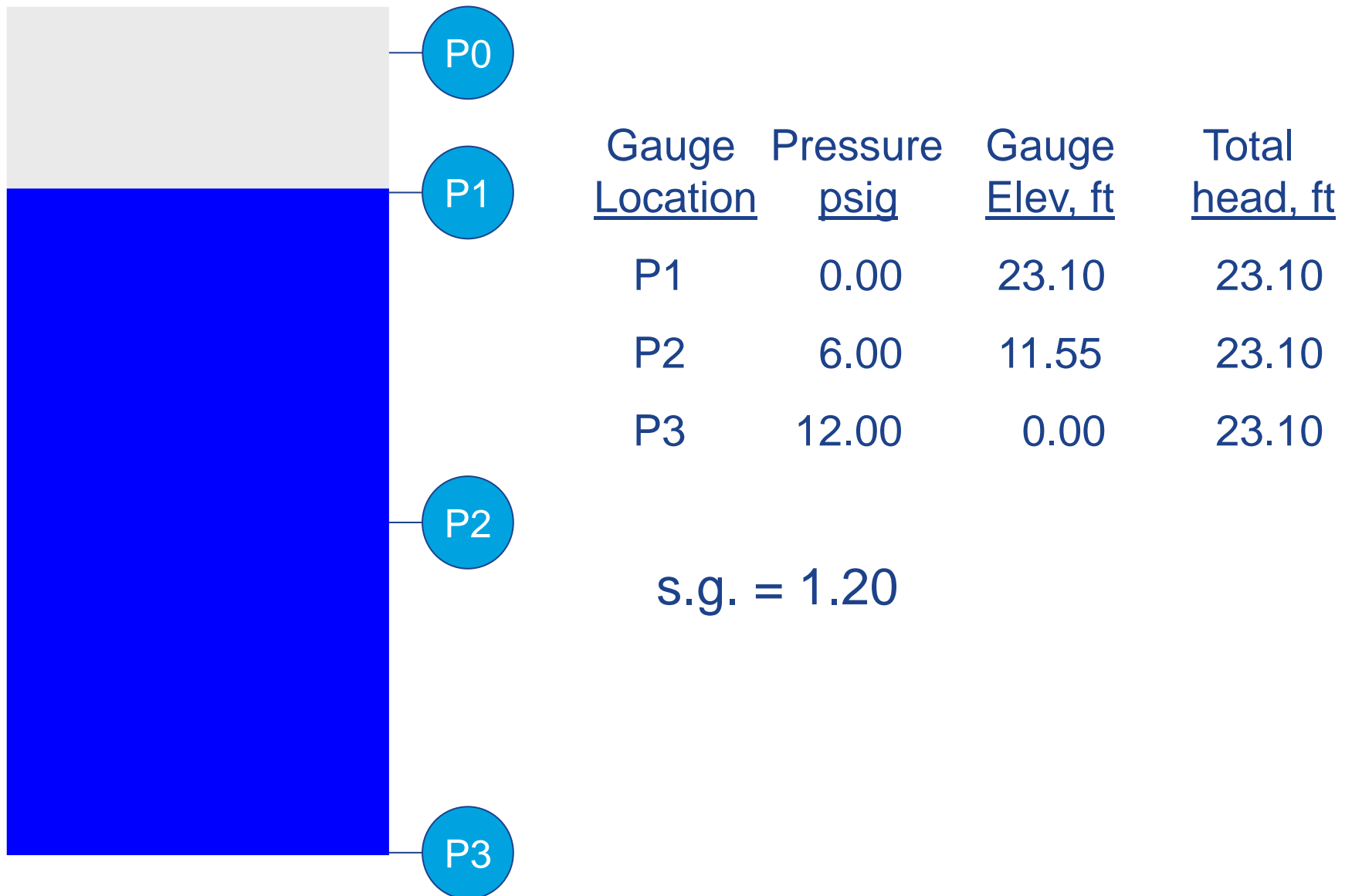
The head is constant throughout a static system



<u>Gauge Location</u>	<u>Pressure psig</u>	<u>Gauge Elev, ft</u>	<u>Total head, ft</u>
P1	0.00	23.10	23.10
P2	5.00	11.55	23.10
P3	10.00	0.00	23.10

s.g. = 1.00

If we change to a more dense fluid, but at the same level, pressure changes, but head does not



One of the single most important fluid energy relationships was identified in the 1700's



Euler



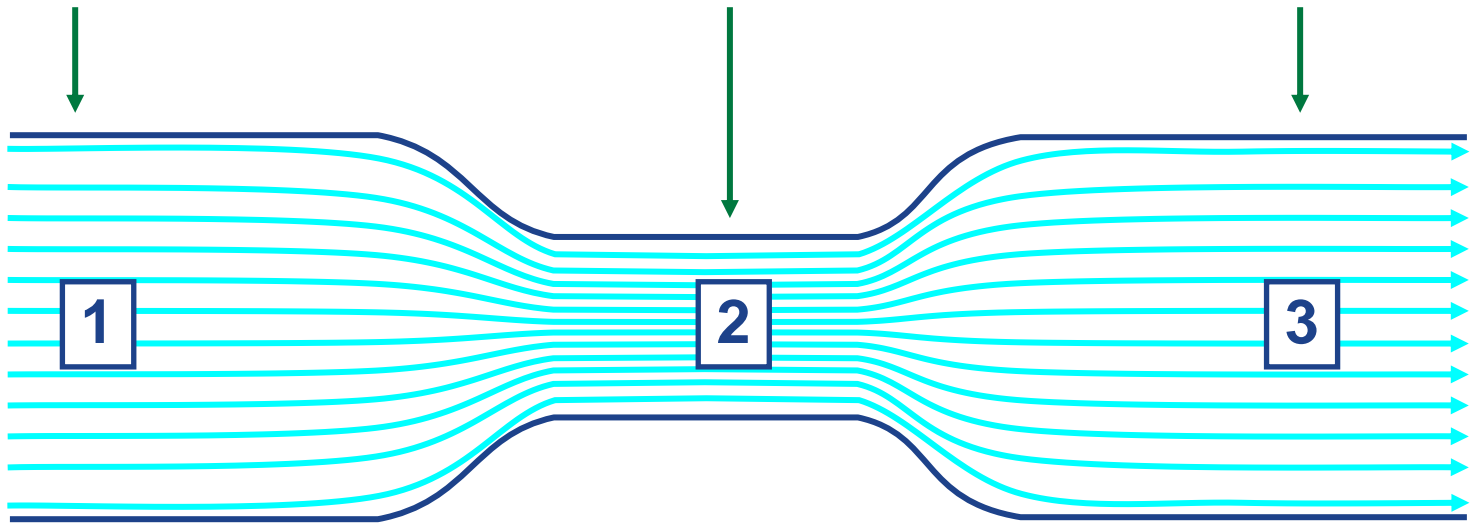
Bernoulli

<u>Component</u>	<u>Symbol</u>
Velocity	V
Pressure	P
Elevation	Z

The combined energy, or head, associated with the fluid velocity, pressure, and elevation along a frictionless streamline is constant, even if the individual components aren't.

Bernoulli's principle: Total energy is constant along a *frictionless* streamline

$$\frac{V_1^2}{2g} + \frac{P_1}{\gamma} + Z_1 = \frac{V_2^2}{2g} + \frac{P_2}{\gamma} + Z_2 = \frac{V_3^2}{2g} + \frac{P_3}{\gamma} + Z_3$$



γ = fluid specific weight (lb_f/ft^3)

g = gravitational acceleration, 32.2 ft/sec^2 (9.81 m/s^2)

Note: Units are in ft (m) of *head*

A useful analogy to Bernoulli



The Bernoulli relation applies to frictionless, steady, streamline flow

In the real world, friction exists (both within the fluid itself and between the fluid and pipe walls).

So how much does friction cause the real world to deviate from the relationships of the Bernoulli principle?

It depends. Sometimes a little, sometimes a lot.

What are some sources of friction in pumping systems?

Pipe walls

Valves

Elbows

Tees

Reducers/expanders

Expansion joints

Tank inlets/outlets

(i.e., almost everything that the pumped fluid passes through, as well as the fluid itself)

Pipe friction loss estimates are usually based on an equation referred to as Darcy-Weisbach

This equation is very useful to examine to understand what parameters influence *frictional* losses in piping:

$$H_f = f \cdot \frac{L}{d} \cdot \frac{V^2}{2g}$$

H_f = head loss due to friction (ft)

f = Darcy friction factor

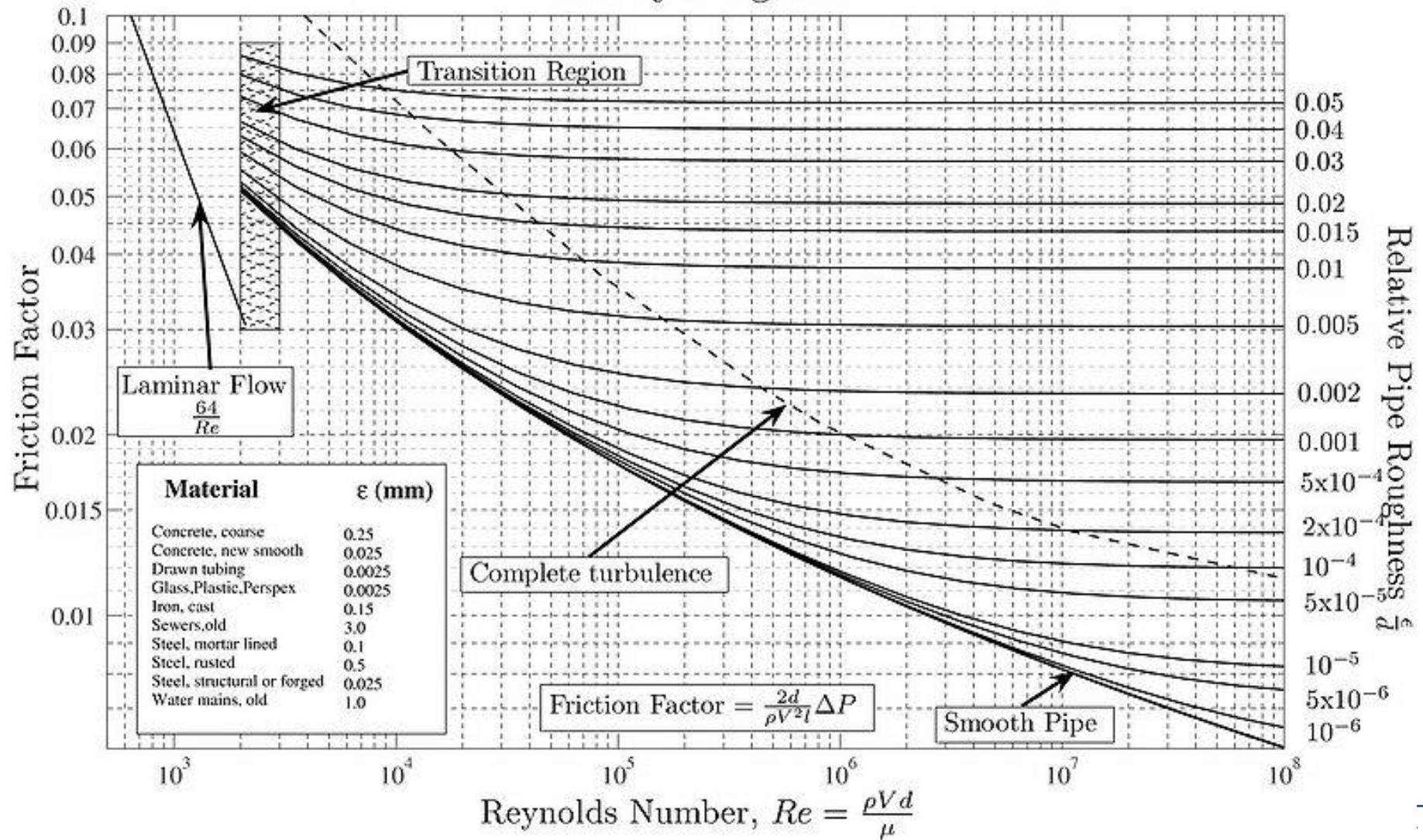
L = pipe length (ft)

d = pipe diameter (ft)

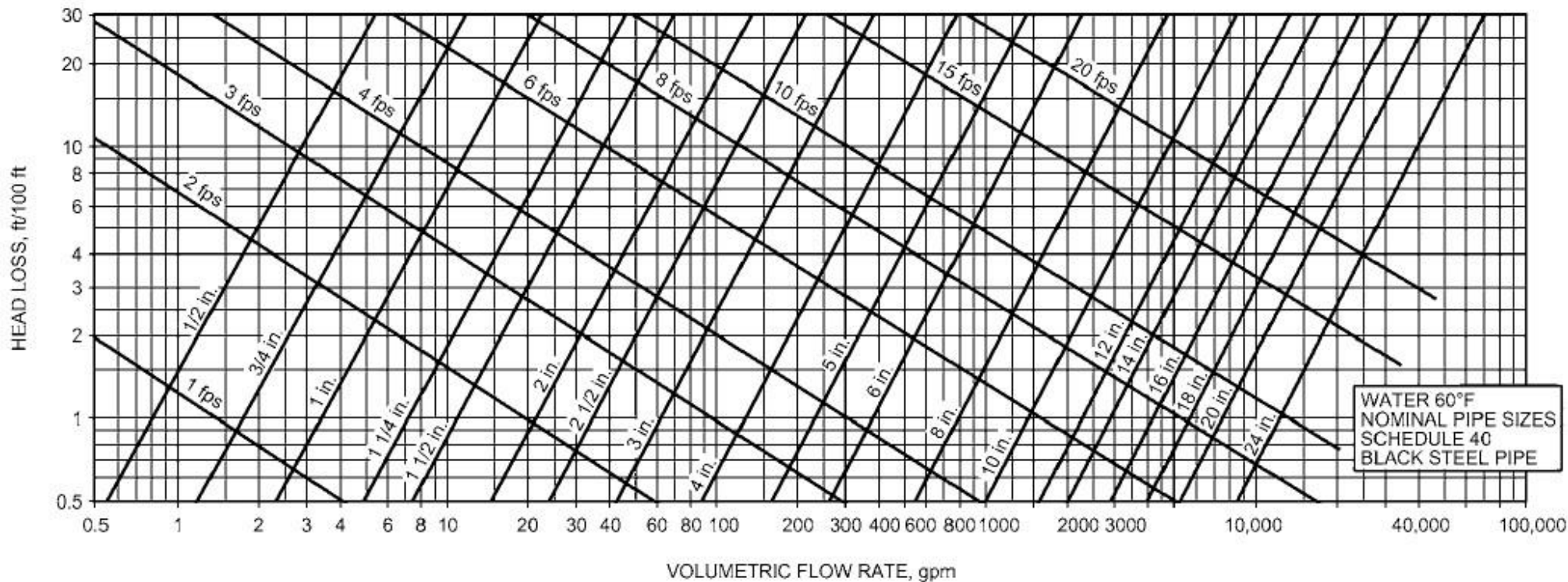
$\frac{V^2}{2g}$ = velocity head (ft)

Moody Diagram for Determining Friction Factor

Moody Diagram



Schedule 40 Steel Pipe Sizing



Piping component frictional losses are also primarily dependent on experimental data

For pipe components, frictional losses have generally been estimated based on the velocity head.

$$H_f = K \cdot \frac{V^2}{2g}$$

K = Loss coefficient

$\frac{V^2}{2g}$ = velocity head

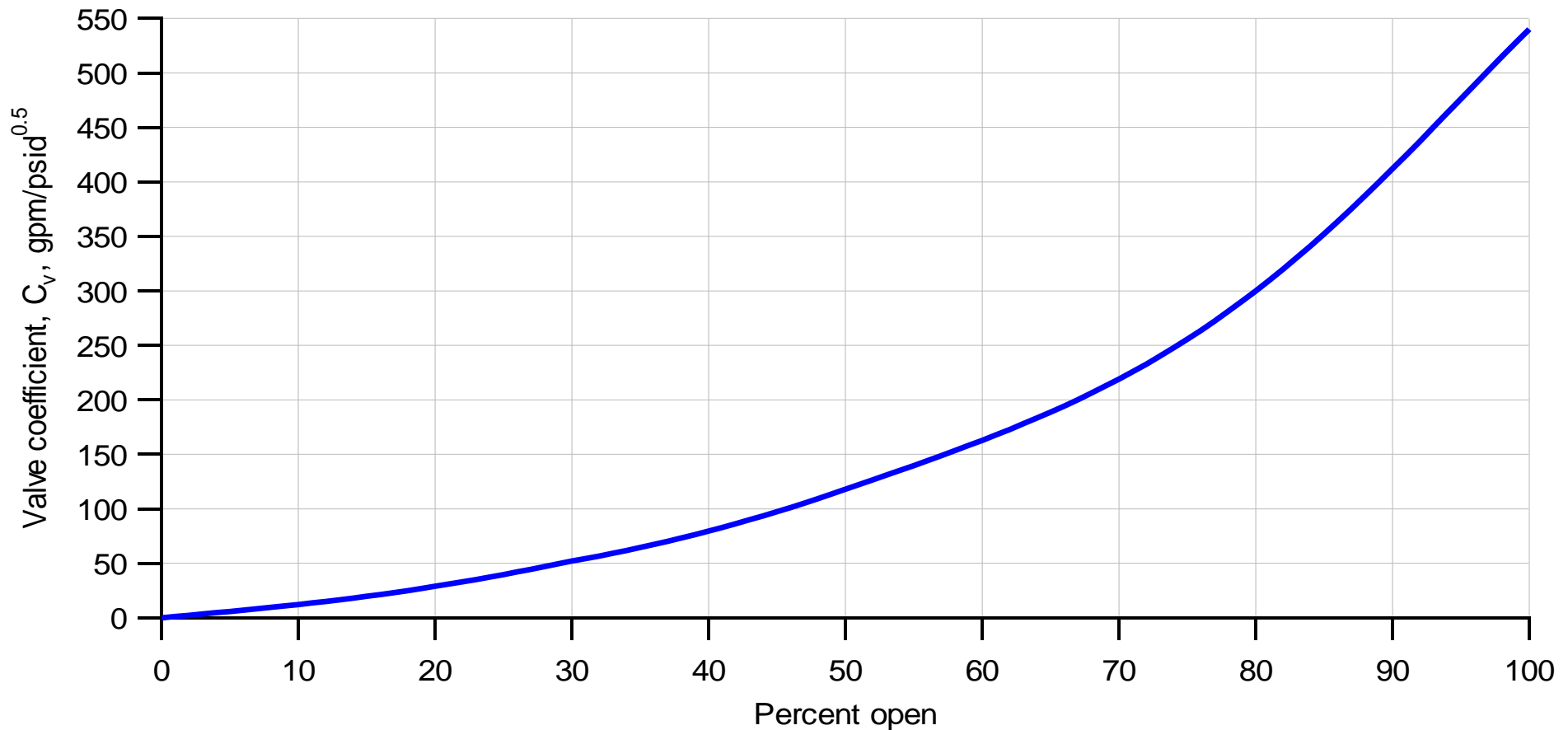
K is a function of size, and for valves, the valve type, and valve % open.

Some *typical* K values for miscellaneous pipe components

<u>Component</u>	<u>Component K</u>
90° elbow, standard	0.2 - 0.3
90° elbow, long radius	< 0.1 - 0.3
Square-edged inlet (from tank)	0.5
Discharge into tank	1
Check valve	2
Gate valve (full open)	0.03 - 0.2
Globe valve (full open)	3 - 8
Butterfly valve (full open)	0.5 - 2
Ball valve (full open)	0.04 - 0.1

Valve Performance Measures

Flow coefficient versus valve position, for the rotary valve



Unfortunately, "typical" is not very definitive

(From Hydraulic Institute Engineering Data Book, 2nd edition)
Approximate Range of Variation for K

Fitting		Range of Variation
90 Deg. Elbow	Regular Screwed	± 20 per cent above 2 inch size
	Regular Screwed	± 40 per cent below 2 inch size
	Long Radius, Screwed	± 25 per cent
	Regular Flanged	± 35 per cent
	Long Radius, Flanged	± 30 per cent
45 Deg. Elbow	Regular Screwed	±10 per cent
	Long Radius, Flanged	±10 per cent
180 Deg. Bend	Regular Screwed	± 25 per cent
	Regular Flanged	± 35 per cent
	Long Radius, Flanged	± 30 per cent
Tee	Screwed, Line or Branch Flow	± 25 per cent
	Flanged, Line or Branch Flow	± 35 per cent
Globe Valve	Screwed	± 25 per cent
	Flanged	± 25 per cent
Gate Valve	Screwed	± 25 per cent
	Flanged	± 50 per cent
Check Valve	Screwed	± 30 per cent
	Flanged	+ 200 per cent / - 80 per cent

5

Design Engineer Perspective – Pump Selection

- If the pump is too small – I've got a big problem!
- If the pump is too large – The testing & balancing company will pinch the flow control valves and everything is fine.
(Except for the operating cost!!)
- How will the engineer select the K's for his pressure drop calculations which leads to the pump selection?
- Gate valve (wide open) 0.03 – 0.20? Engineer used 0.20
- Globe valve (wide open) 3.0 – 8.0? Engineer used 8.0
- Butterfly valve (wide open) 0.5 – 2.0? Engineer used 2.0
- Standard 90° elbow 0.2 – 0.3? Engineer used 0.3
- Thus, the pump will likely be oversized
- The contractor may have added an additional safety factor to the pump sizing

We can slightly modify the Bernoulli equation to account for friction

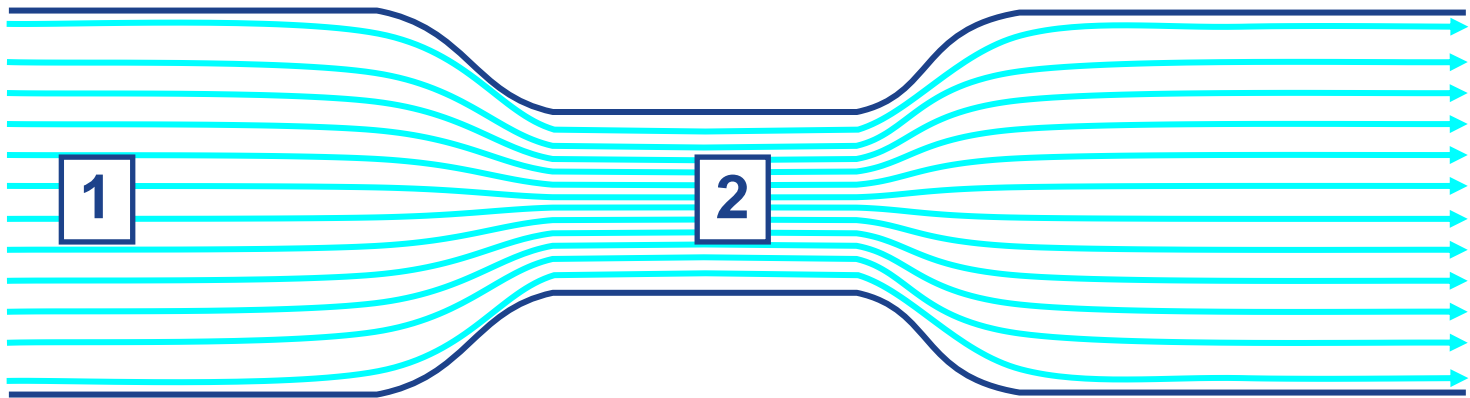
$$\frac{V_1^2}{2g} + \frac{P_1}{\gamma} + Z_1 = \frac{V_2^2}{2g} + \frac{P_2}{\gamma} + Z_2 + H_{f1-2} = \frac{V_3^2}{2g} + \frac{P_3}{\gamma} + Z_3 + H_{f1-3}$$

The diagram illustrates fluid flow through a pipe that narrows at point 2 and then widens again at point 3. Three points are marked along the flow path: point 1 is in the wide section before the constriction, point 2 is in the narrowest part of the constriction, and point 3 is in the wide section after the constriction. Cyan streamlines with arrows show the flow direction from left to right. The streamlines are more densely packed at point 2, indicating higher velocity. Arrows from the equation above point to the corresponding terms in the diagram: $\frac{V_1^2}{2g}$ points to point 1, $\frac{P_2}{\gamma}$ points to point 2, Z_2 points to the center of the pipe at point 2, $\frac{V_3^2}{2g}$ points to point 3, and H_{f1-3} points to the flow path between points 1 and 3.

There is less hydraulic head/energy available at points 2 and 3 because of frictional losses

Modified again to accommodate the normal units of pressure in the U.S.A.

$$\frac{V_1^2}{2g} + \frac{2.31 P_1}{s.g.} + Z_1 = \frac{V_2^2}{2g} + \frac{2.31 P_2}{s.g.} + Z_2 + H_{f1-2}$$

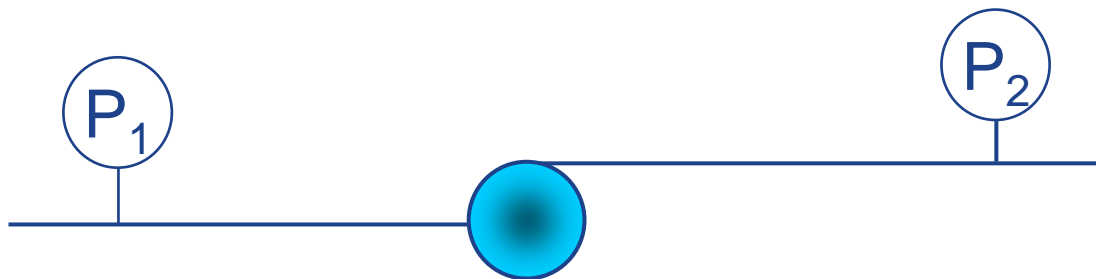


<u>Symbol</u>	<u>Represents</u>	<u>Units</u>
V	Velocity	ft/s
g	gravitational acceleration constant	ft/s ²
P	pressure	psig
s.g.	specific gravity	none
Z	Elevation	ft
H _f	Frictional head loss	ft

Pump Types

- Pumps are generally grouped into two broad categories—positive displacement pumps and dynamic (centrifugal) pumps. Positive displacement pumps use a mechanical means to vary the size of the fluid chamber to cause the fluid to flow. On the other hand, centrifugal pumps impart momentum to the fluid by rotating impellers that are immersed in the fluid. The momentum produces an increase in pressure or flow at the pump outlet.
- Positive displacement pumps have a constant torque characteristic, whereas centrifugal pumps demonstrate variable torque characteristics.
- A centrifugal pump converts driver energy to kinetic energy in a liquid by accelerating the fluid to the outer rim of an impeller. The amount of energy given to the liquid corresponds to the velocity at the vane tip of the impeller. The faster the impeller revolves or the bigger the impeller, then the higher the velocity of the liquid at the vane tip and the greater the energy imparted to the liquid.

The Bernoulli relationship is slightly modified to define the pump head



$$\frac{V_1^2}{2g} + \frac{2.31 P_1}{s.g.} + Z_1 + H_{\text{pump}} = \frac{V_2^2}{2g} + \frac{2.31 P_2}{s.g.} + Z_2$$

or

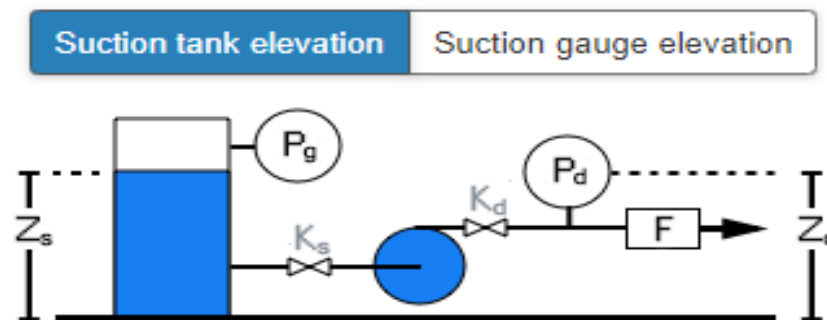
$$H_{\text{pump}} = \left(\frac{V_2^2}{2g} + \frac{2.31 P_2}{s.g.} + Z_2 \right) - \left(\frac{V_1^2}{2g} + \frac{2.31 P_1}{s.g.} + Z_1 \right)$$

H_{pump} = Pump head at a given flow rate

MEASUR Pump Head Calculator



PUMP HEAD TOOL



K_s represents all suction losses from the tank to the pump

K_d represents all discharge losses from the pump to the gauge P_d

Fluid Specific Gravity

1.002

Flow Rate

3000

gpm

Suction

Pipe diameter (ID)	12	in
Tank gas overpressure (P_g)	0	psi
Tank fluid surface elevation (Z_s)	10	ft
Line loss coefficients (K_s)	0.5	

Discharge

Pipe diameter (ID)	12	in
Gauge pressure (P_d)	124	psi
Gauge elevation (Z_d)	10	ft
Line loss coefficients (K_d)	1	

Generate Example

Reset Data

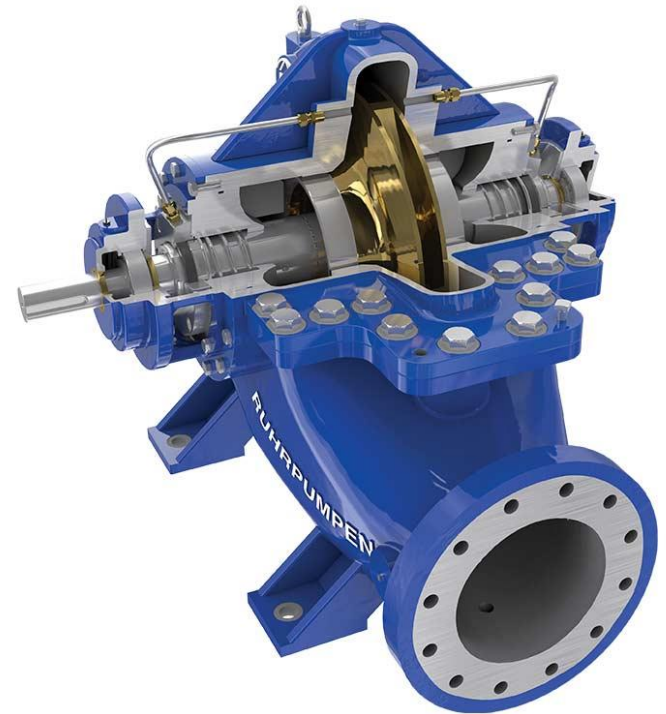
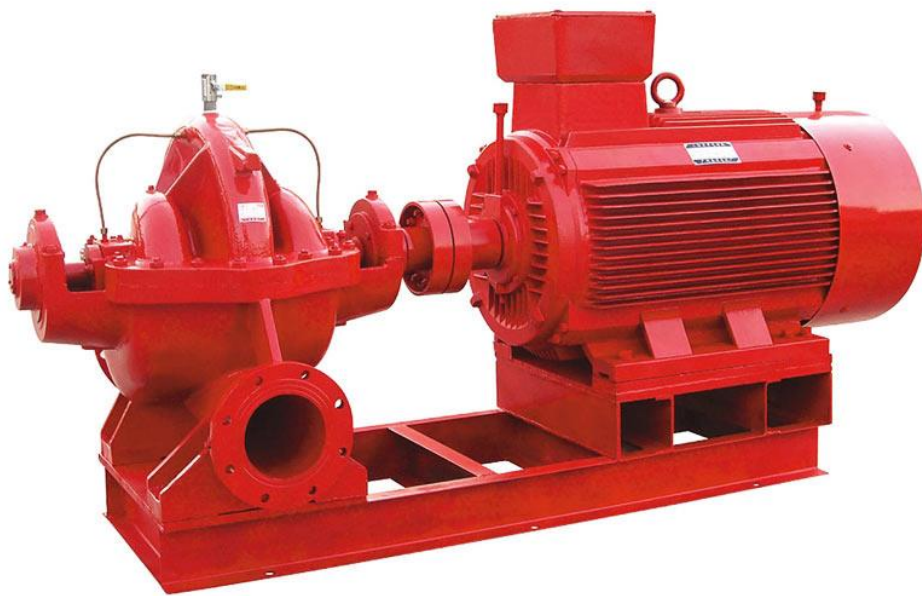
MEASUR Pump Head Calculator Results

RESULTS		HELP
Result Data		
Differential Elevation Head		0.0 ft
Differential Pressure Head		285.97 ft
Differential Velocity Head		1.13 ft
Estimated Suction Friction Head		0.56 ft
Discharge Friction Head		1.13 ft
Pump Head		288.78 ft

End Suction Vertical Discharge Centrifugal Pump



Horizontal Split Case Centrifugal Pump

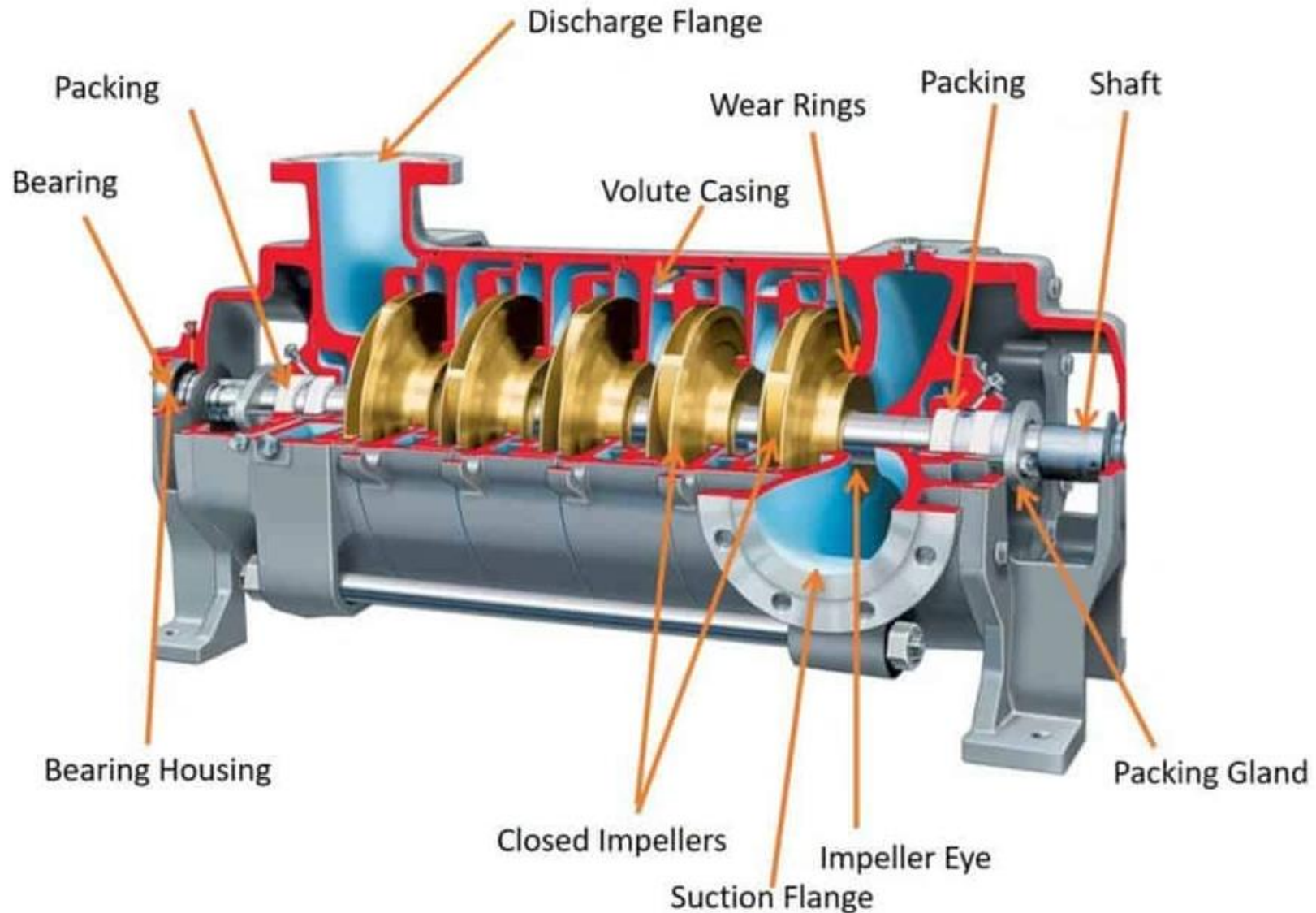


Vertical Turbine Pump

Vertical turbine pumps are commonly used in all types of applications, from moving process water in industrial plants to providing flow for cooling towers at power plants, from pumping raw water for irrigation, to boosting water pressure in municipal pumping systems, and for many other pumping applications.



Multistage Boiler Feedwater Pumps

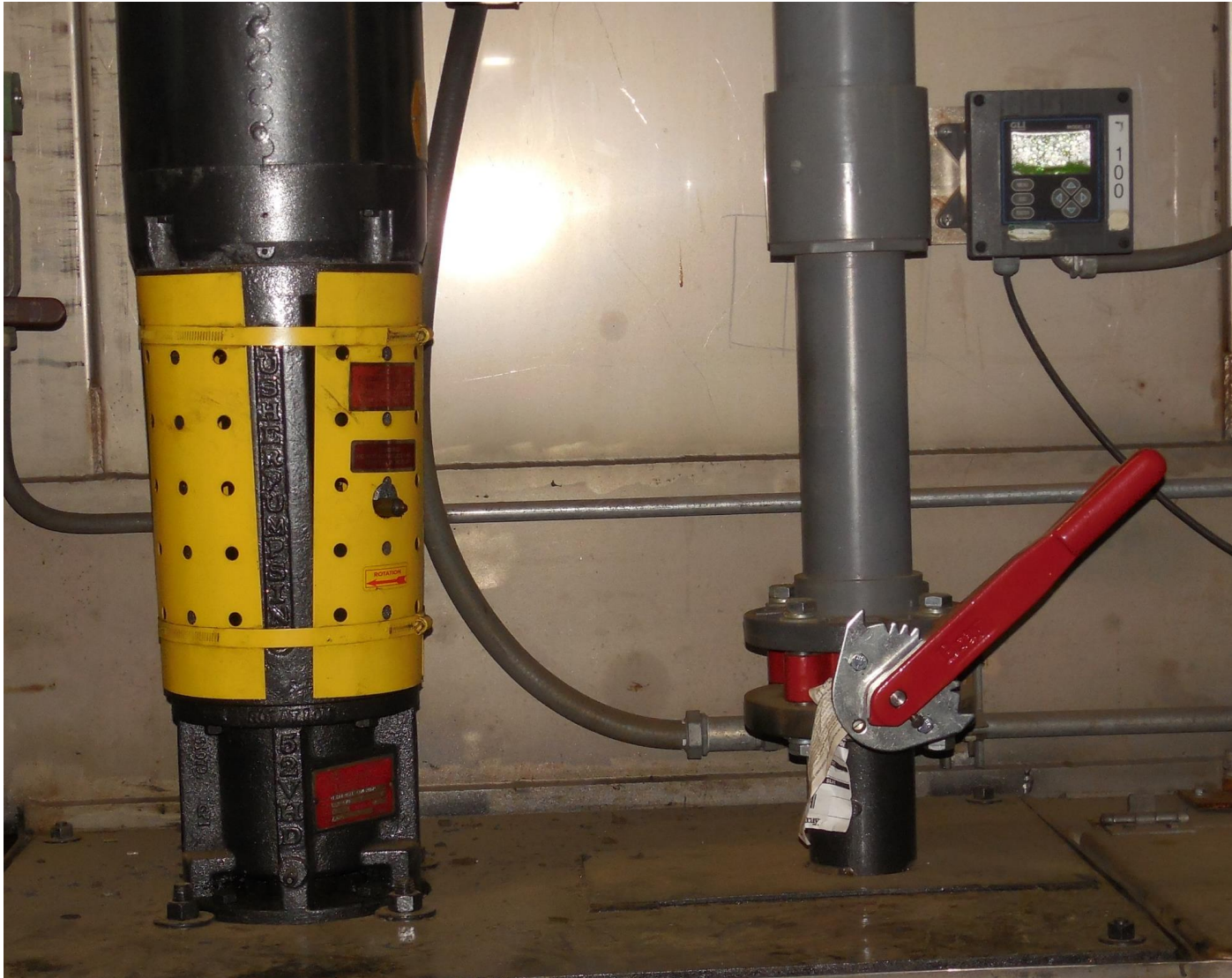


Typical pump isolation valves

Non-rising stem gate valve and swing check valve at the pump discharge.



Butterfly valves can isolate or throttle



The End for Session 1



The End